

The Confining String: Lattice Results versus Effective Field Theory

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From Quarks and Gluons to Hadrons and Nuclei, Erice, 23.9.2011

Collaboration:
Ferdinando Gliozzi (INFN Torino)
Michele Pepe (INFN Milano)

Outline

The Confining String in Yang-Mills Theory

Systematic Low-Energy Effective String Theory

Lüscher-Weisz Multi-Level Simulation Technique

String Width at Zero and at Finite Temperature

Anatomy of k -Strings in $SU(4)$ Yang-Mills Theory

String Breaking and String Decay

Conclusions

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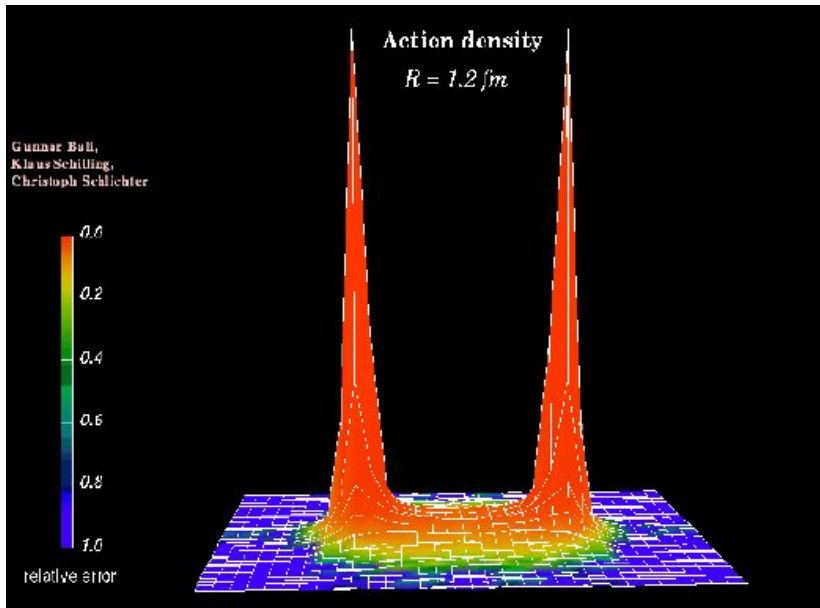
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Anatomy of k -Strings in $SU(4)$ Yang-Mills Theory

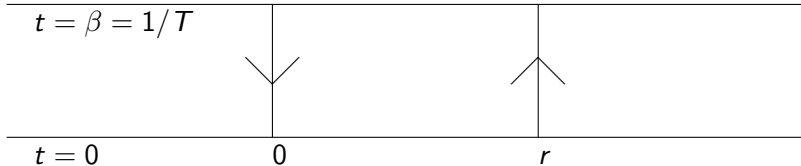
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Action Density of Flux String in $SU(2)$ Yang-Mills Theory



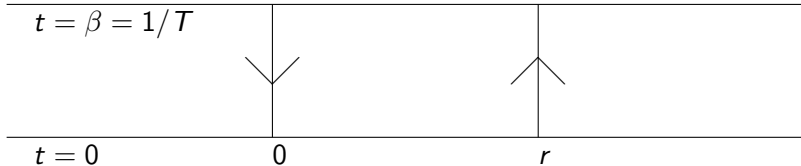
String tension from Polyakov loop correlators



$$\Phi(\vec{x}) = \text{Tr } \mathcal{P} \exp \left(\int_0^\beta dt G_0(\vec{x}, t) \right),$$

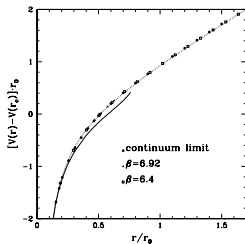
$$\langle \Phi(0)^* \Phi(r) \rangle \sim \exp(-\beta V(r)), \quad V(r) \sim \sigma r$$

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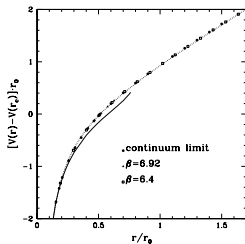
$$\sigma \approx (0.4 \text{ GeV})^2 \approx 10^5 \text{ N}$$

String tension from Polyakov loop correlators

$$\begin{array}{c}
 t = \beta = 1/T \\
 \begin{array}{ccc}
 & \vee & \wedge \\
 & | & | \\
 t = 0 & 0 & r
 \end{array}
 \end{array}$$

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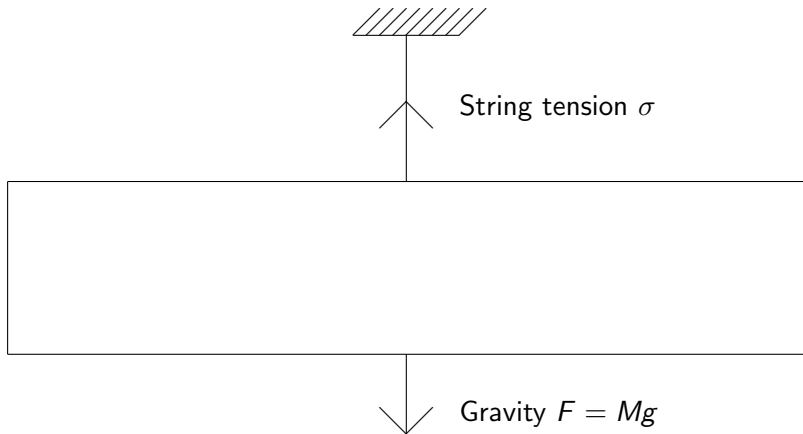
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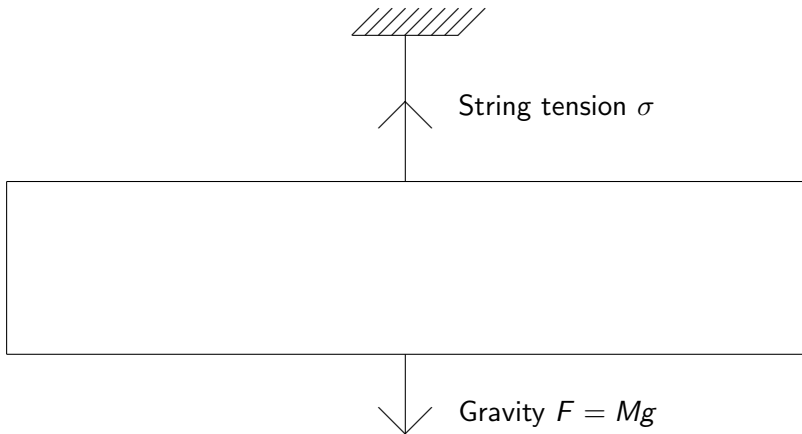
$$\sigma \approx (0.4 \text{ GeV})^2 \approx 10^5 \text{ N}$$

As strong as a cm-thick steel cable, but 13 orders of magnitude thinner.

How many people can be lifted by a Yang-Mills elevator?



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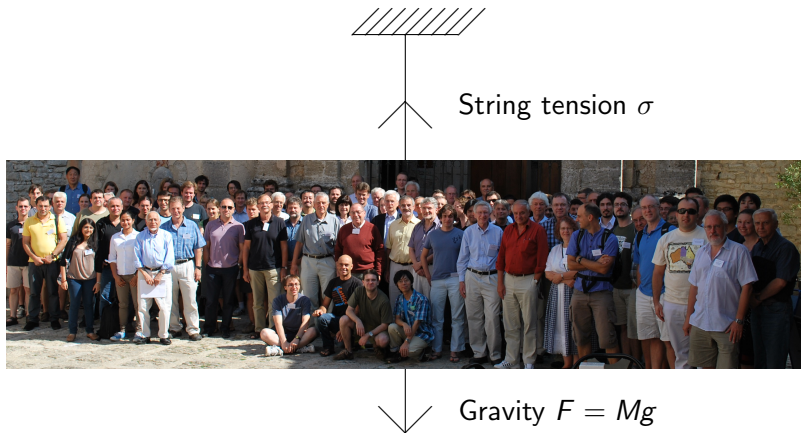


$$Mg = \sigma \approx 10^5 \text{ N}, \quad g \approx 10 \text{ m/sec}^2 \Rightarrow M \approx 10^4 \text{ kg} \approx 100 \text{ People}$$



About 100 participants of the
33rd International School on Nuclear Physics, Erice 2011.

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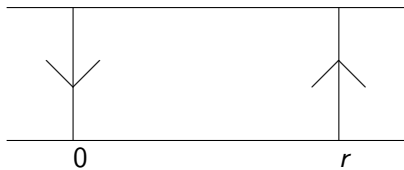
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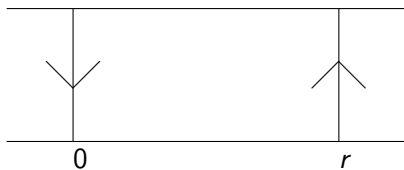
Low-energy effective string theory



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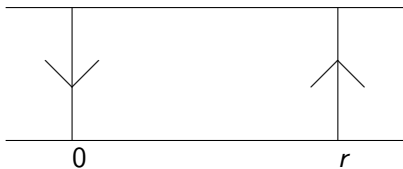


Low-energy effective string theory



The height variable $\vec{h}(x, t)$ points to the fluctuating string world-sheet in the $(d - 2)$ transverse dimensions ($\vec{h}(0, t) = \vec{h}(r, t) = 0$).

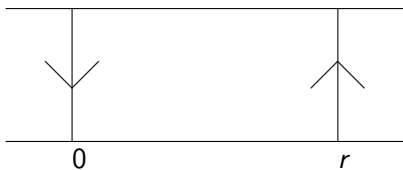
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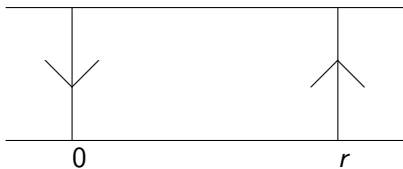


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$$w_{lo}^2(r/2) = \frac{d-2}{2\pi\sigma} \log(r/r_0)$$

M. Lüscher, K. Symanzik, P. Weisz, Nucl. Phys. B173 (1980) 365

M. Lüscher, Nucl. Phys. B180 (1981) 317

M. Lüscher, G. Münster, P. Weisz, Nucl. Phys. B180 (1981) 1

Effective string theory for $d = 3$ at the 2-loop level

$$S[h] = \int_0^\beta dt \int_0^r dx \frac{\sigma}{2} \left[\partial_\mu h \partial_\mu h - \frac{1}{8\sigma} (\partial_\mu h \partial_\mu h)^2 \right]$$

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O. Aharony and E. Karzbrun, JHEP 0906 (2009) 012

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$$\begin{aligned} w^2(r/2) &= \langle h(r/2, t) h(r/2 + \epsilon, t + \epsilon') \rangle \\ &= \left(1 + \frac{4\pi f(\tau)}{\sigma r^2} \right) w_{lo}^2(r/2) - \frac{f(\tau) + g(\tau)}{\sigma^2 r^2}, \\ f(\tau) &= \frac{E_2(\tau) - 4E_2(2\tau)}{48}, \\ g(\tau) &= i\pi\tau \left(\frac{E_2(\tau)}{12} - q \frac{d}{dq} \right) \left(f(\tau) + \frac{E_2(\tau)}{16} \right) + \frac{E_2(\tau)}{96}, \\ E_2(\tau) &= 1 - 24 \sum_{n=1}^{\infty} \frac{n q^n}{1 - q^n}, \quad q = \exp(2\pi i\tau), \quad \tau = i\beta/2r \end{aligned}$$

F. Gliozzi, M. Pepe, UJW, Phys. Rev. Lett. 104 (2010) 232001

JHEP 1011 (2010) 053

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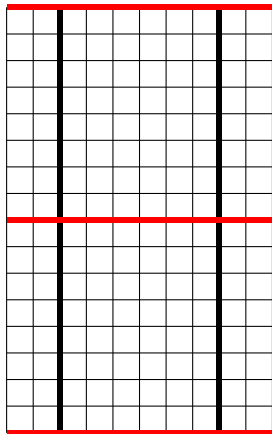
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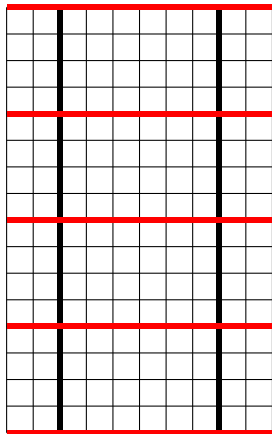
Lüscher-Weisz Multi-Level Simulation Technique

M. Lüscher and P. Weisz, JHEP 0109 (2001) 010



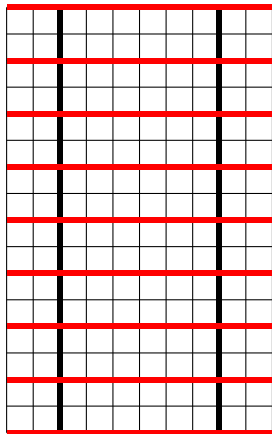
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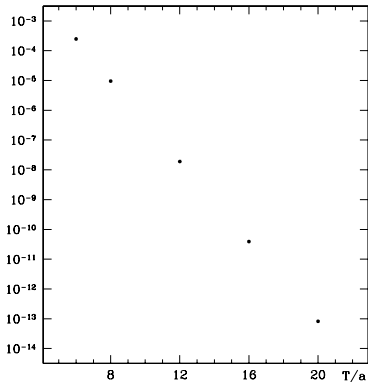
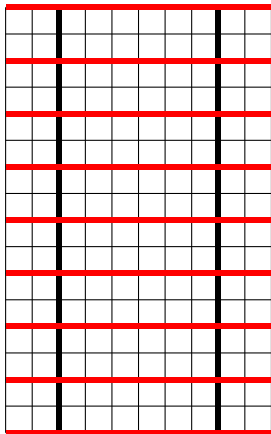
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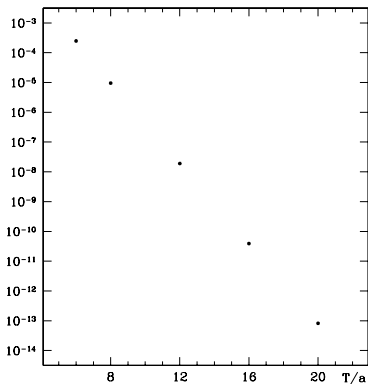
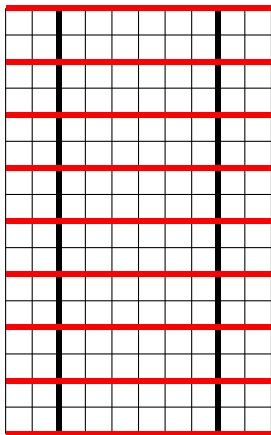
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Extending this technique, we have reached $\langle \Phi(0) * \Phi(r) \rangle \approx 10^{-135}$.

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Simulations in $(2 + 1)$ -d $SU(2)$ Yang-Mills theory

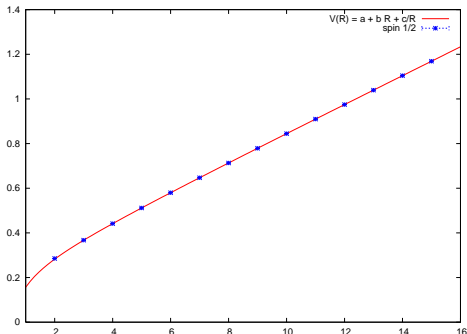
$$S[U] = -\frac{1}{g^2} \sum_{x, \mu, \nu} \text{Tr}[U_\mu(x) U_\nu(x + \hat{\mu}) U_\mu(x + \hat{\nu})^\dagger U_\nu(x)^\dagger],$$

$$\langle \Phi(0) \Phi(r) \rangle = \frac{1}{Z} \int \mathcal{D}U \Phi(0) \Phi(r) \exp(-S[U]) \sim \exp(-\beta V(r))$$

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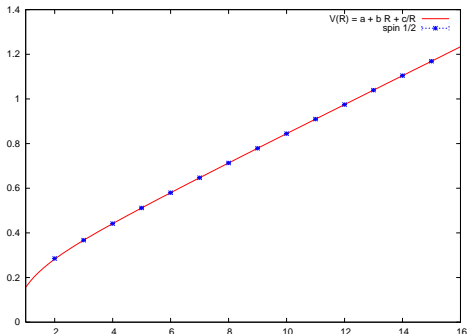


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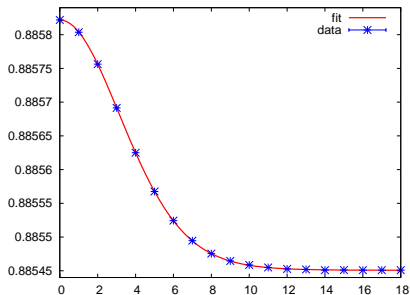


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There is very good agreement with the effective string theory.
The value of the string tension obtained on a $54^2 \times 48$ lattice at $4/g^2 = 9$ is $\sigma = 0.025897(15)/a^2$.

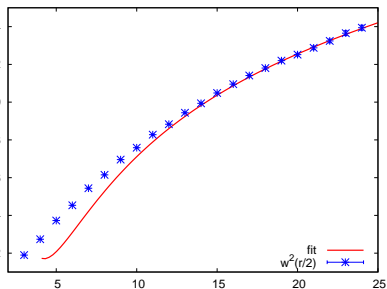
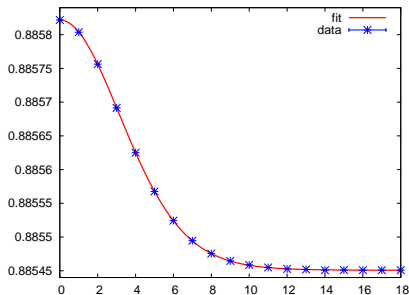
Computation of the string width

$$P(x) = \text{Tr}[U_1(x)U_0(x + \hat{1})U_1(x + \hat{0})^\dagger U_0(x)^\dagger],$$
$$C(x_2) = \frac{\langle \Phi(0)\Phi(r)P(x) \rangle}{\langle \Phi(0)\Phi(r) \rangle} - \langle P(x) \rangle$$



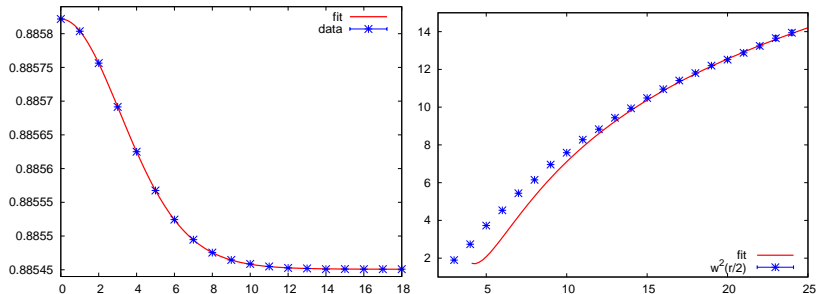
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There is very good agreement with the effective string theory at the two-loop level. The values of the low-energy parameters are $\sigma = 0.025897(15)/a^2$, $r_0 = 2.26(2)a = 0.364(4)/\sqrt{\sigma} \approx 0.2$ fm.

F. Gliozzi, M. Pepe, UJW, Phys. Rev. Lett. 104 (2010) 232001

H. Meyer, Phys. Rev. D82 (2010) 106001

String width at finite temperature

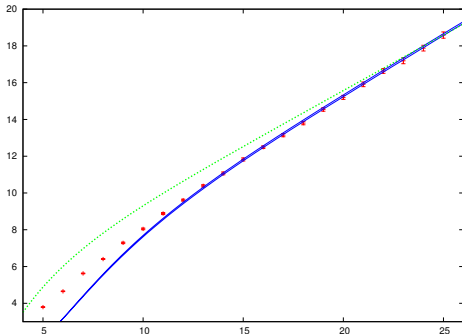
$$w^2(r/2) = \frac{1}{2\pi\sigma} \log\left(\frac{\beta}{4r_0}\right) + \frac{r}{2\beta} + \dots$$

At finite temperature, the effective string theory predicts a linear increase of the width as one separates the static sources.

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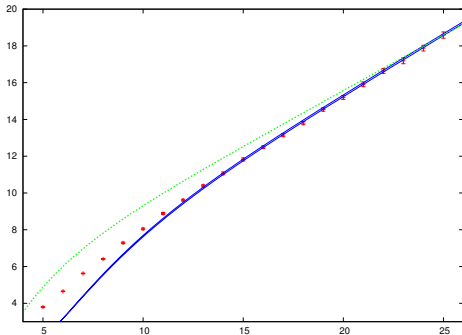
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At finite temperature, the effective string theory predicts a linear increase of the width as one separates the static sources.



Again, there is excellent agreement with the effective string theory at the two-loop level, now without any adjustable parameters.

F. Gliozzi, M. Pepe, UJW, JHEP 1101 (2011) 057

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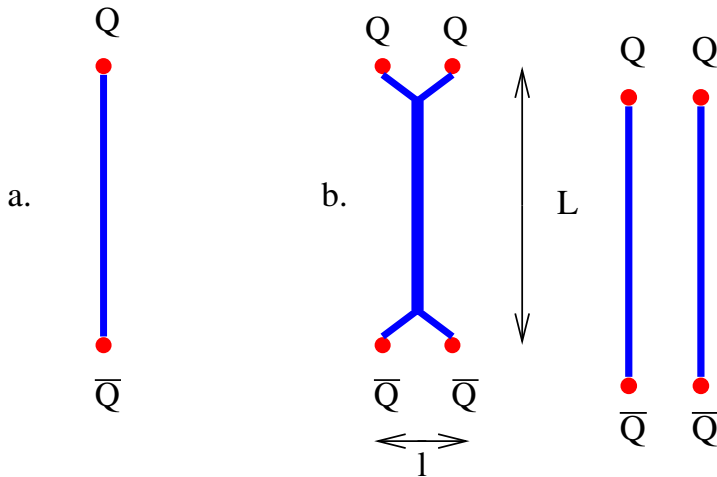
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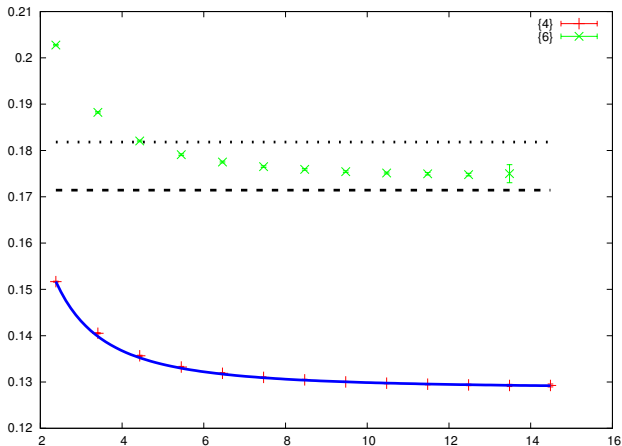
In $SU(4)$ Yang-Mills theory the $\{4\}$ - and $\{6\}$ -string are stable



Does the $\{6\}$ -string consist of two strands of $\{4\}$ -string?

Forces exerted by the {4}- and {6}-strings:

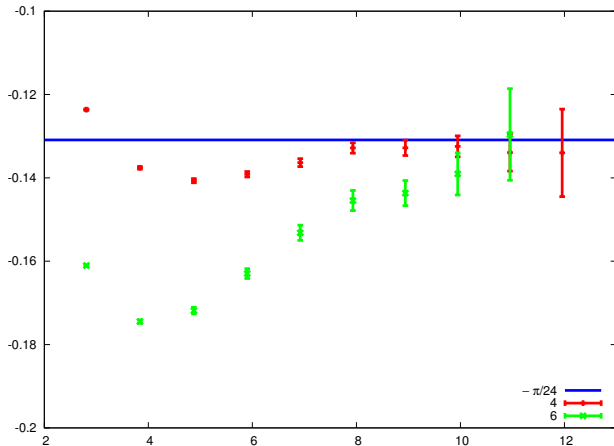
$$-F(r) = \frac{dV(r)}{dr} \rightarrow \sigma + \frac{\pi}{24r^2}$$



There are small deviations from both Casimir scaling and sine-law.
M. Pepe, PoS LATTICE 2010 (2010) 017.

Does the {6}-string consist of two strands of {4}-string?

$$c(r) = -\frac{1}{2}r^3 \frac{dF(r)}{dr} \rightarrow -\frac{\pi}{24}$$



The Lüscher term of the 6-string is the same as the one of the 4-string. Hence there is only one strand.

B. Bringoltz and M. Teper, Phys. Lett. B663 (2008) 429.

M. Pepe, PoS LATTICE 2010 (2010) 017.

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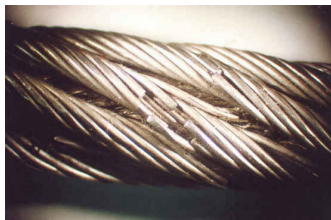
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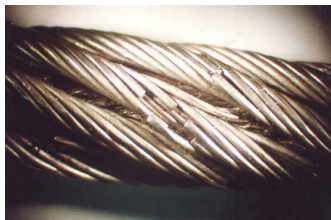
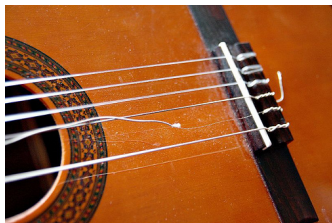
String breaking



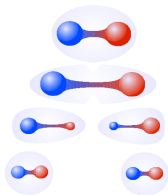
String breaking and string decay (strand rupture?)



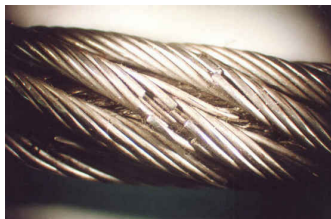
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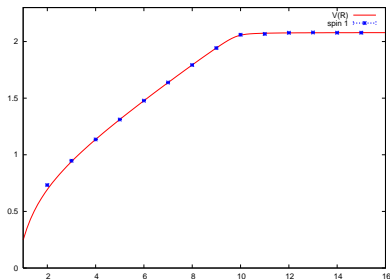
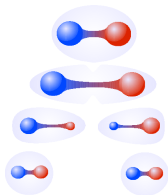
Static potential between triplet ($Q = 1$) charges in $(2+1)$ -d $SU(2)$ Yang-Mills theory



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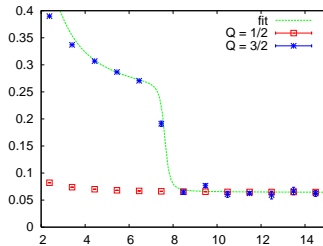
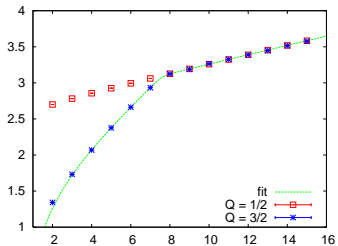


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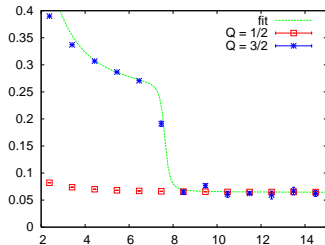
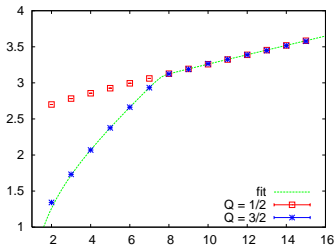
M. Pepe and UJW, Phys. Rev. Lett. 102 (2009) 191601

String decay

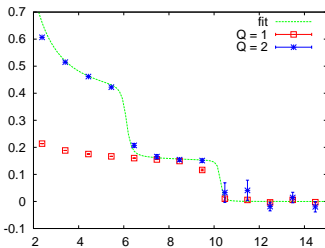
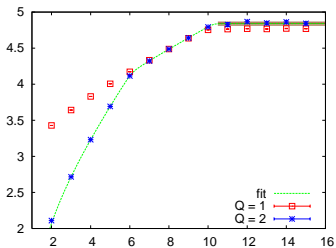


Potential and force between quadruplet ($Q = 3/2$) charges

String decay



Potential and force between quadruplet ($Q = 3/2$) charges



Potential and force between quintet ($Q = 2$) charges

Constituent gluon model: $E_{Q,n}(r) = \sigma_Q r - \frac{c_Q}{r} + 2M_{Q,n}$

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Q	$\sigma_Q a^2$	σ_Q/σ	$4Q(Q+1)/3$
1/2	0.06397(3)	1	1
1	0.144(1)	2.25(2)	8/3
3/2	0.241(5)	3.77(8)	5
2	0.385(5)	6.02(8)	8

We observe deviations from Casimir scaling.

Masses and mass differences: $\Delta_{Q,n} = M_{Q-1,n+1} - M_{Q,n}$

Q	$M_{Q,0a}$	$M_{Q-1,1a}$	$M_{Q-2,2a}$	$\Delta_{Q,0a}$	$\Delta_{Q-1,1a}$
1/2	0.109(1)	—	—	—	—
1	0.37(3)	1.038(1)	—	0.67(3)	—
3/2	0.72(5)	1.32(5)	—	0.60(5)	—
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A simple constituent gluon model describes the data rather well.

Outline

The Confining String in Yang-Mills Theory

Systematic Low-Energy Effective String Theory

Lüscher-Weisz Multi-Level Simulation Technique

String Width at Zero and at Finite Temperature

Anatomy of k -Strings in $SU(4)$ Yang-Mills Theory

String Breaking and String Decay

Conclusions

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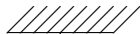
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- A **constituent gluon model** accounts for the “brown muck” surrounding a screened color charge.

Yang-Mills elevator as a metaphor for our meeting:



String tension σ



Gravity $F = Mg$

Thanks to **Amand Faessler** and **Jochen Wambach** for installing a “**Knowledge Elevator**” in Erice that **elevates** us to a higher level of understanding of the strong interaction.