

# Eta meson production in deuteron proton collisions at COSY-ANKE

$\eta^3\text{He}$  FSI studies and  $\eta$  mass determination  
using  $dp \rightarrow {}^3\text{He}\eta$

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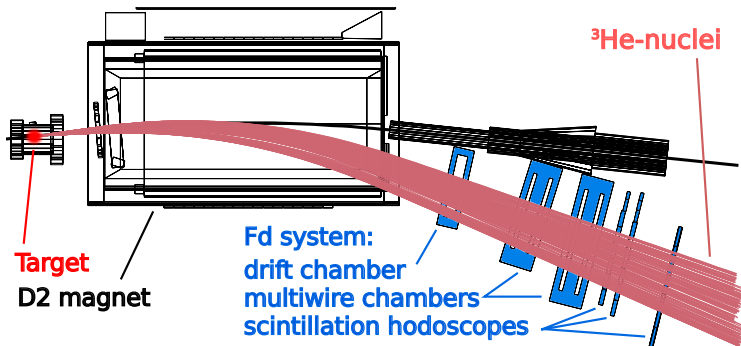
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MÜNSTER

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## The $dp \rightarrow {}^3\text{He}\eta$ at ANKE



- ▶ Internal fixed target experiment with a cluster-jet target
- ▶  ${}^3\text{He}$  nuclei detected in the Forward-System
- ▶ Full geometrical acceptance for  $dp \rightarrow {}^3\text{He}\eta$  up to 20 MeV excess energy

$\eta^3\text{He}$  final state interaction  
Is there a quasi bound state?

# $\eta^3\text{He}$ final state interaction – quasi bound state?

$\eta$ -mesic nucleus

## Quasi-bound $\eta$ -mesic nuclei

- ▶ Attractive S-wave  $\eta\text{N}$  interaction

R.S. Bhalerao and L.C. Liu, Phys. Rev. Lett. 54 (1985) 685

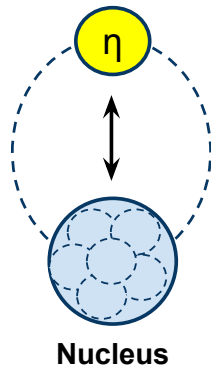
- ▶ Possible formation of  $\eta$ -nucleus bound states

Q. Haider and L.C. Liu, Phys. Lett. B172 (1986) 257

C. Wilkin, Phys. Rev. C47 (1993) 938

## $\eta$ -mesic nuclei program at COSY

- ▶  $A > 4$ : GEM ( $\eta^6\text{Li}$  and  $\eta^{25}\text{Mg}$ )
- ▶  $\eta^4\text{He}$ : ANKE, GEM, WASA
- ▶  $\eta^3\text{He}$ : ANKE, COSY-11, GEM, WASA
- ▶  $\eta\text{d}$  &  $\eta^3\text{H}$ : Proposed measurements at ANKE



# $\eta^3\text{He}$ final state interaction – quasi bound state?

## FSI - Final State Interaction

### Two ways to investigate $\eta$ -mesic nuclei

- ▶ Signal from such a state **below** the  $\eta A$  production threshold  
(WASA-at-COSY, Talk of M. Skurzok, Sunday evening)
- ▶ Investigation of the excitation function **above** threshold;  
A pole close to threshold should influence the  $\eta A$  production  
→ described by a FSI ansatz

### S-wave FSI ansatz for $dp \rightarrow ^3\text{He}\eta$ :

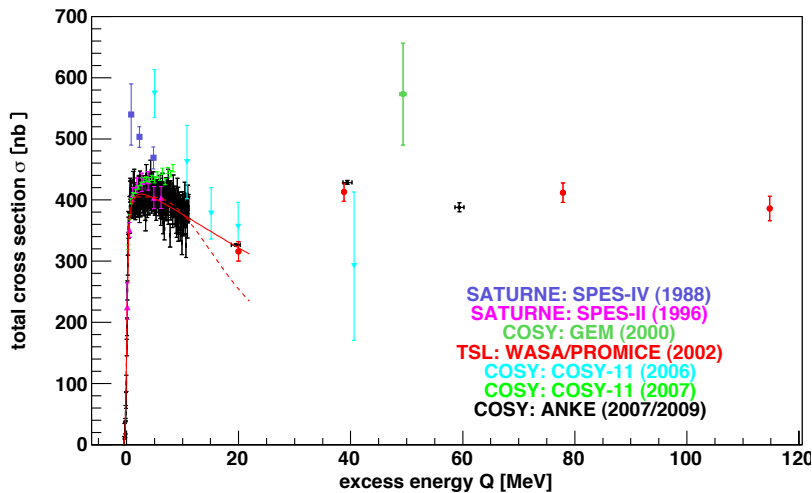
$$\frac{p_i}{p_f} \cdot \frac{d\sigma}{d\Omega} = |f|^2 = |f_{\text{prod.}} \cdot FSI|^2$$

- ▶ Classical description with  $a$  and  $r_0$ : 
$$FSI = \frac{1}{1 - i \cdot a \cdot p_f + \frac{1}{2} \cdot a \cdot r_0 \cdot p_f^2}$$
- ▶ Alternative description with poles: 
$$FSI = \frac{1}{(1 - p_f/p_1)(1 - p_f/p_2)}$$

$$\text{with } a = -i \cdot \frac{p_1 + p_2}{p_1 \cdot p_2} \text{ and } r_0 = \frac{2 \cdot i}{p_1 + p_2}$$

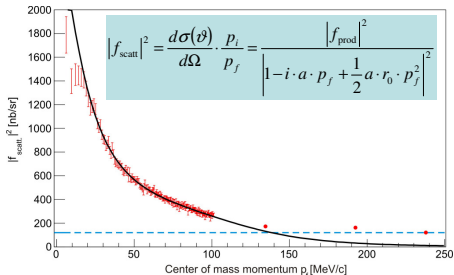
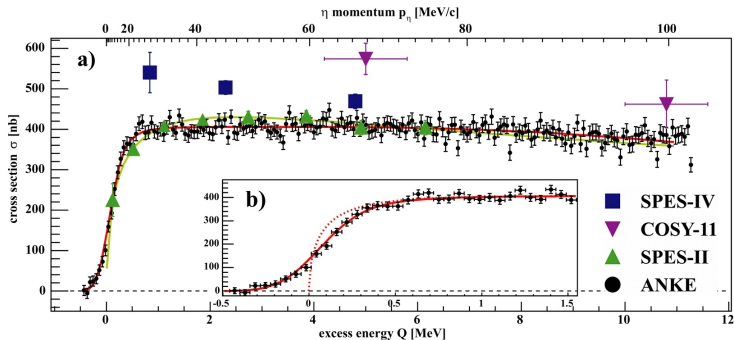
# $\eta^3\text{He}$ final state interaction – quasi bound state?

Total cross section of  $dp \rightarrow ^3\text{He}\eta$



T. Mersmann et al., Phys. Rev. Lett. 98 (2007) 242301; T. Rausmann et al., Phys. Rev. C80 (2009) 017001.

# $\eta^3\text{He}$ final state interaction – quasi bound state?



- ▶ Very good description of the whole energy range with FSI ansatz
- ▶ Momentum smearing of the COSY beam has to be taken into account

## Status and results of the ANKE $\eta^3\text{He}$ program

- ▶ Strong attractive FSI: large  $|a|$  and small  $|p_1|$
- ▶ Fit to the data for  $Q < 11$  MeV:  
Pole of the scattering amplitude:

$$Q_0 = p_1^2/2m_{\text{red}} = [(-0.30 \pm 0.15) \pm i(0.21 \pm 0.29)] \text{ MeV}$$

Scattering length:

$$a(\eta^3\text{He}) = [\pm(10.7 \pm 0.8) + i(1.5 \pm 2.6)] \text{ fm}$$

C. Wilkin, Phys. Rev. C47 (1993) 938:  $a(\eta^3\text{He}) = (-2.31 + i2.57) \text{ fm}$

- ▶ **Indication for a quasi-bound or virtual state!**

C. Wilkin et al., Phys. Lett. B654 (2007) 92-96;

## Further investigations

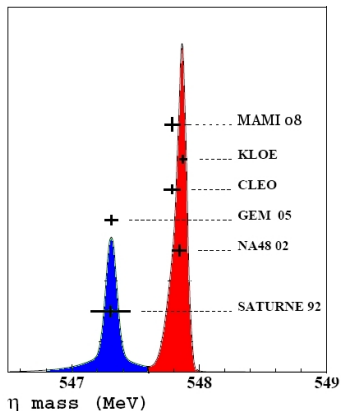
- ▶ Polarized measurement: Verification of FSI
- ▶ Other  $\eta\text{N}$  systems:  $\eta\text{d}$  &  $\eta^3\text{H}$



# High precision $\eta$ mass determination

# High precision $\eta$ mass determination

Current situation on the  $\eta$  meson mass



Results of the  $\eta$  mass experiments with uncertainties below  $60 \text{ keV}/c^2$

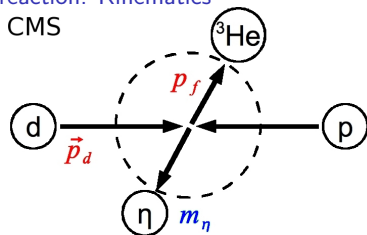
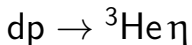
Experimental Facility	Mass [MeV/ $c^2$ ]	Measuring Method
SPES-SATURNE	547.300	$dp \rightarrow {}^3\text{He} \eta$
NA48-SPS	547.843	decay products
GEM-COSY	547.311	$pd \rightarrow {}^3\text{He} \eta$
CLEO-CESR	547.785	decay products
KLOE-DAΦNE	547.873	decay products
CB-MAMI	547.760	photoproduction

Current PDG  $\eta$  mass value:  $547.853 \pm 0.024 \text{ MeV}/c^2$

# High precision $\eta$ mass determination

Determination of the  $\eta$  mass with a two-body reaction: Kinematics

Two-body reaction:



- ▶ Final state momentum of  ${}^3\text{He}$  and  $\eta$

$$p_f = \frac{\sqrt{(s - \{m_{{}^3\text{He}} + m_\eta\}^2) \cdot (s - \{m_{{}^3\text{He}} - m_\eta\}^2)}}{2\sqrt{s}}$$

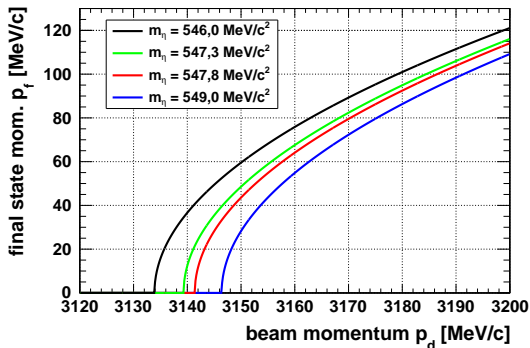
- ▶ CM-energy depends only on the beam momentum  $\vec{p}_d$

$$\sqrt{s} = |P_d + P_p| = \sqrt{2m_p \sqrt{m_d^2 + \vec{p}_d^2} + m_d^2 + m_p^2}$$

# High precision $\eta$ mass determination

Determination of the  $\eta$  mass with a two-body reaction: Kinematics

Dependency:  $p_f = p_f(p_d, m_\eta)$



Needed accuracy:  $\frac{\Delta p_d}{p_d} < 10^{-4}$

Near threshold:

Final state momentum is very sensitive to the  $\eta$  mass!

The goal:

- ▶ Accuracy of the  $\eta$ -mass:  $\Delta m_\eta < 50 \text{ keV}/c^2$
- ▶ Final state momentum of the  $^3\text{He}$ -nuclei:  $p_f$   
 $\Delta p_f = 400 \text{ keV}/c$
- ▶ Beam momentum:  $p_d$   
 $\Delta p_d = 300 \text{ keV}/c$

# High precision $\eta$ mass determination

## Beam momentum determination

### Artificial spin resonance

Published in Phys. Rev. ST Accel. Beams 13 (2010) 022803

- ▶ Induced by a horizontal magnetic rf-field
- ▶ Depolarization of a vertically polarized deuteron beam

### Resonance condition:

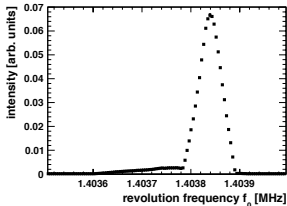
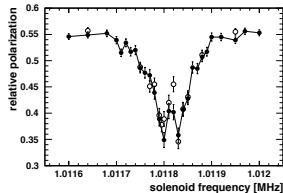
$$f_r = (1 + \gamma G_d) f_0$$

$$\gamma = \frac{1}{G_d} \left( \frac{f_r}{f_0} - 1 \right)$$

$$p_d = m_d \sqrt{\gamma^2 - 1}$$

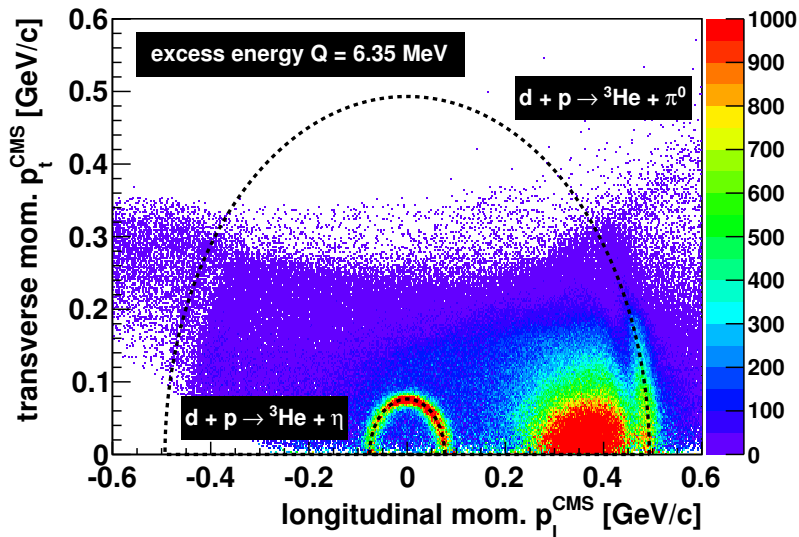
$$\frac{\Delta p_d}{p_d} < 6 \cdot 10^{-5}$$

$$3146.41 \pm 0.05 \pm 0.17 \text{ MeV}/c$$



# High precision $\eta$ mass determination

Final state momentum determination



# High precision $\eta$ mass determination

## Final state momentum determination

Using a two body reaction to verify the calibration

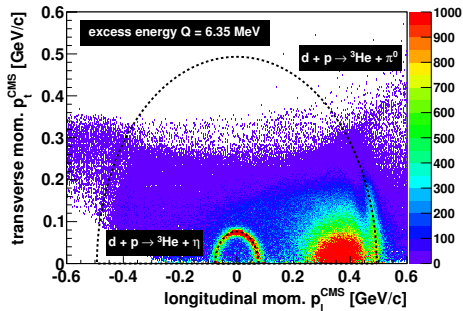
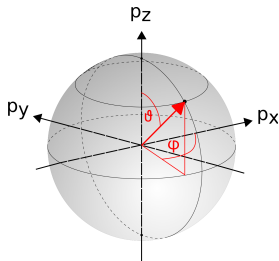
- ▶ Perfect symmetric momentum sphere in  $p_x$ ,  $p_y$ ,  $p_z$  with radius

$$p_f = \sqrt{p_x^2 + p_y^2 + p_z^2}$$

- ▶ Deviations of symmetric shape  $\rightarrow$  improve calibration
- ▶ Study  $\cos\vartheta$  and  $\phi$  dependency of the final state momentum

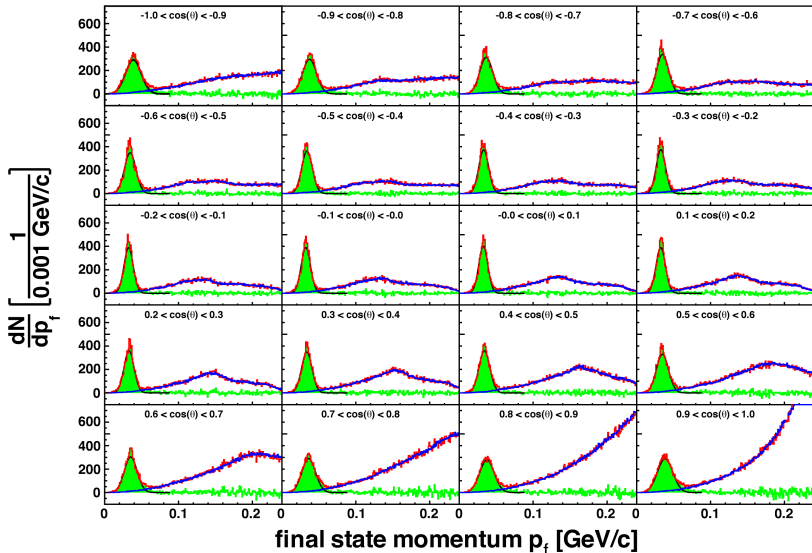
$$p_f = p_f(\cos\vartheta) \text{ and } p_f = p_f(\phi)$$

- ▶ Therefore full geometrical acceptance is needed



# High precision $\eta$ mass determination

Angular dependence of the  $^3\text{He}\eta$  final state momentum  $p_f = p_f(\cos\vartheta)$   
at an excess energy of  $Q = 1.2$  MeV

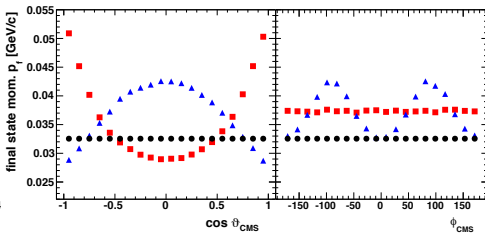
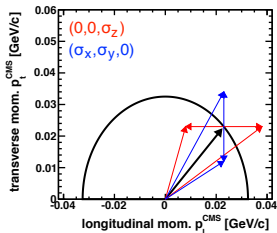




# High precision $\eta$ mass determination

Influence of different momentum resolutions for  $p_x$ ,  $p_y$ ,  $p_z$  on  $p_f$

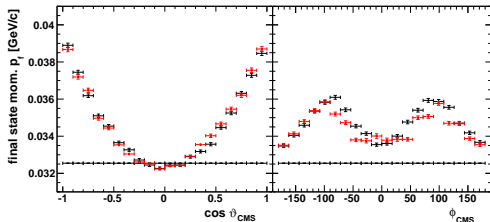
Mom. are gaussian distributed with  $(\sigma_{p_x}, \sigma_{p_y}, \sigma_{p_z}) = (10, 20, 30)$  MeV/c



Extracted momentum resolution  
 $(\sigma_{p_x}, \sigma_{p_y}, \sigma_{p_z}) = (3.2, 7.8, 16.4)$   
MeV/c

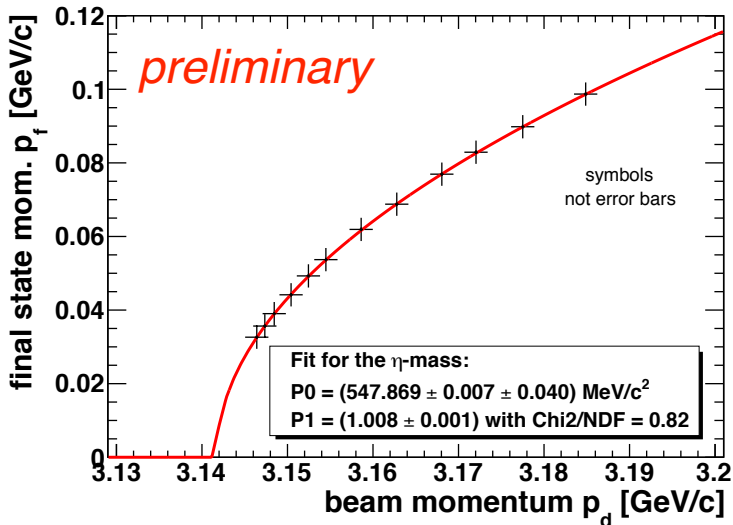
Final state momenta in the  
range of  $p_f = 30 - 100$  MeV/c

Accuracy:  $\Delta p_f < 320$  keV/c



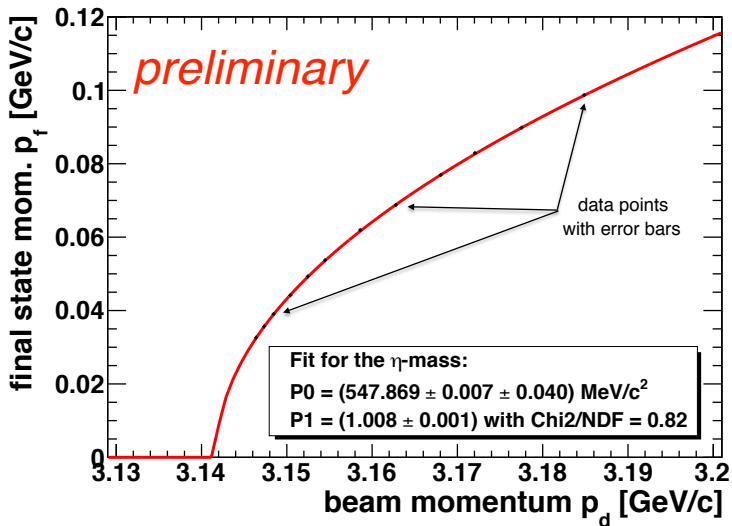
# High precision $\eta$ mass determination

Preliminary "final" ANKE-COSY result of the  $\eta$  mass



# High precision $\eta$ mass determination

Preliminary "final" ANKE-COSY result of the  $\eta$  mass



# Thank you for your attention

