

Dilepton production in elementary reactions

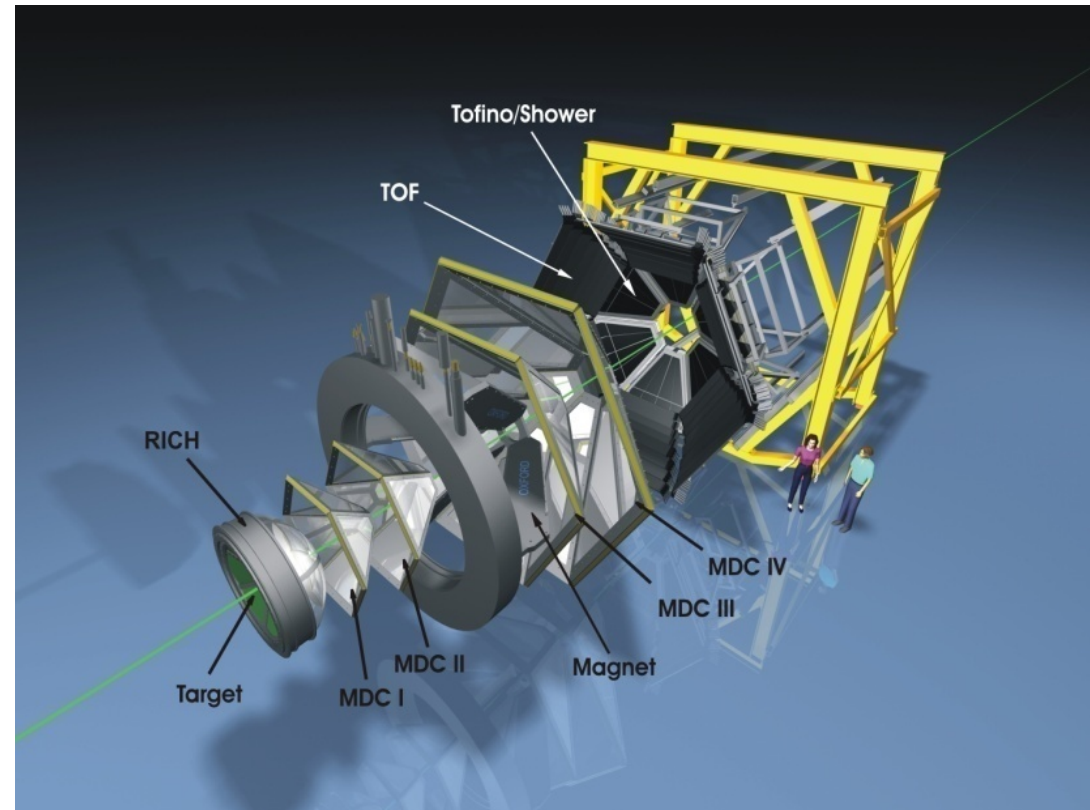
Anar Rustamov

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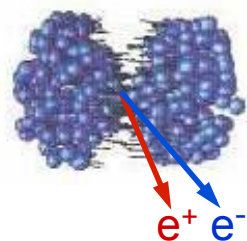
University Frankfurt

- Introduction
- The HADES experiment
- Experimental data
 - p+p data at 3.5 GeV
 - p+p and n+p data at 1.25 GeV
- Summary

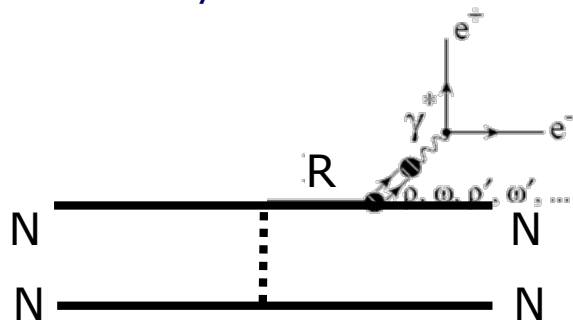
- **Acceptance**
 - $\varphi \sim 2\pi$
 - $15^\circ < \theta < 85^\circ$
 - pair $\sim 30\%$
- **Momentum resolution**
 - Magnet: 0.1-0.34 Tm
 - MDC: 24 drift chambers
 - $\sigma_m \sim 2\%$ at ρ/ω region
- **Particle identification**
 - RICH
 - Time of flight
 - Pre-Shower
 - MDC (for hadrons)
- **Trigger**
 - LVL1- charged particle mult.
 - LVL2- single electron trigger



Dilepton sources at 1-2A GeV



first chance collisions
 elementary collision of nucleons

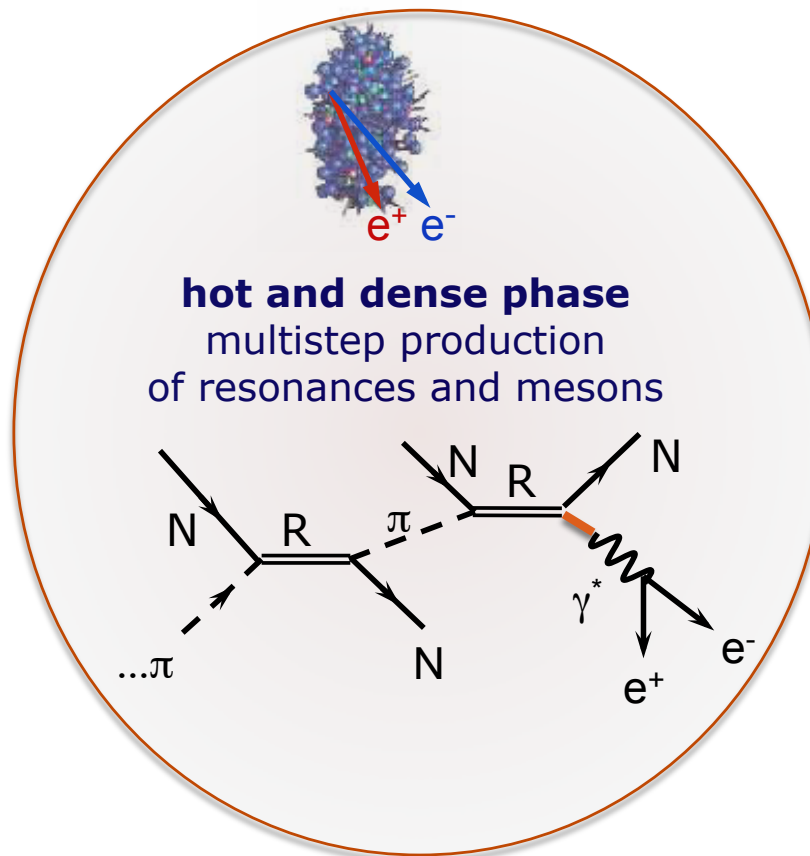


PRL 98, 052302 (2008)

PLB 663 (2008) 43-48

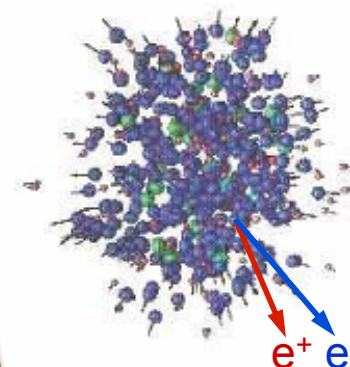
PLB 690 (2010)118

PRC 84 (2011) 014902

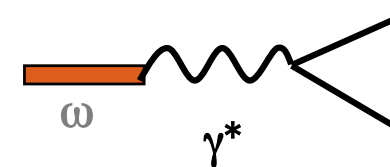
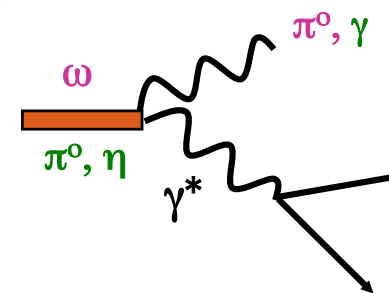


hot and dense phase
 multistep production
 of resonances and mesons

need for the elementary reactions!

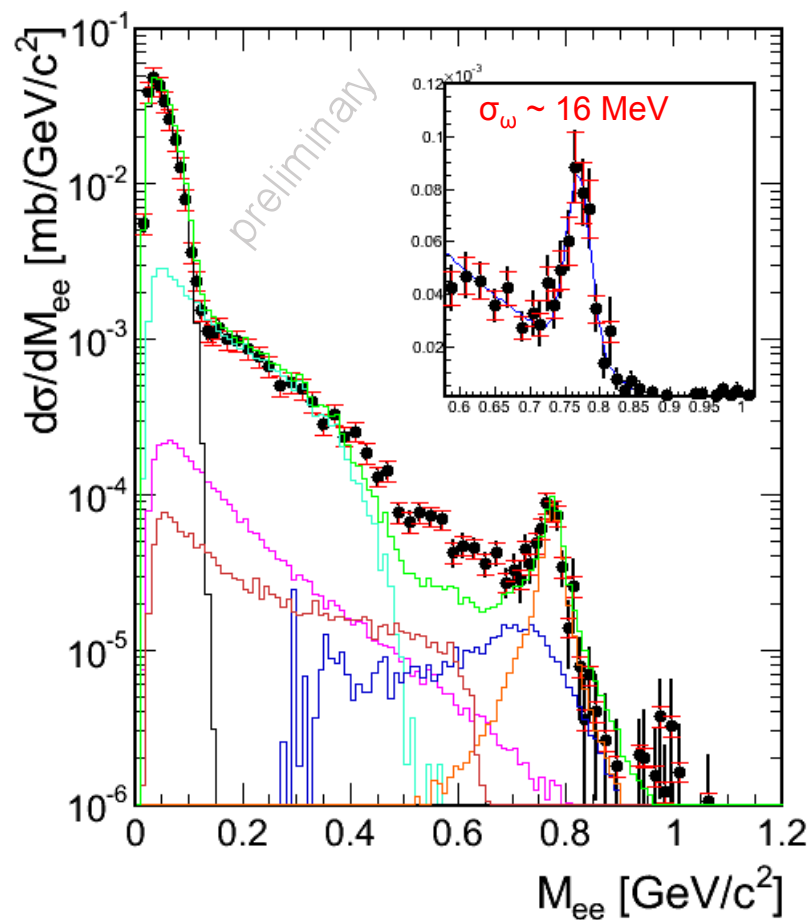


freeze-out
 decays of (long-lived)
 states (π^0, η, ω)

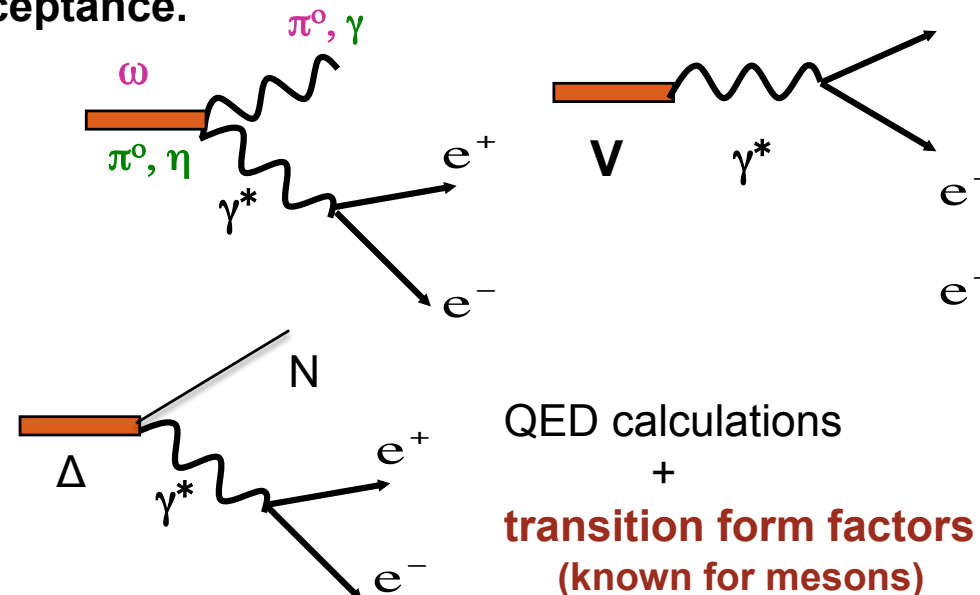


pp data at $E_{\text{kin}} = 3.5 \text{ GeV}$

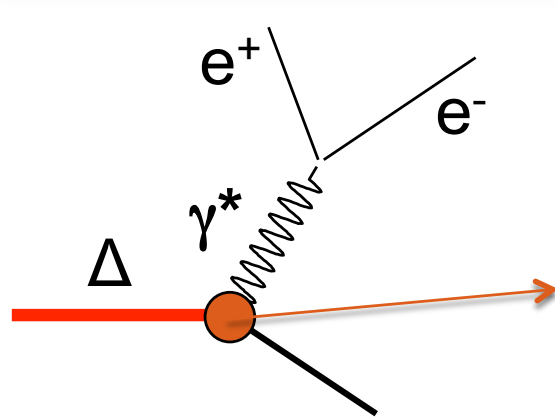
efficiency corrected. Inside HADES acceptance.
normalized to the p+p elastic scattering



$pp \rightarrow e^+ e^- + X$ (inclusive spectrum)



- What about production part?
 - inclusive cross sections
 - not known
 - production mechanism
 - **different models**



$$q^2 = q_\mu (E, -\vec{q}) q^\mu (E, \vec{q}) = E^2 - |\vec{q}|^2$$

$$q_{\gamma^*}^2 = M_{e^+e^-}^2 = M_{\gamma^*}^2 > 0 \text{ (time like photon)}$$

$$\langle J_\Delta \lambda_\Delta | S | \lambda_N \lambda_{\gamma^*} \rangle, \quad \lambda_\Delta = \lambda_{\gamma^*} - \lambda_N, \quad \lambda_{\gamma^*} = 0, \pm 1, \quad \lambda_N = \pm \frac{1}{2}$$

$$\left\langle J_\Delta \frac{3}{2} \left| S \right| -\frac{1}{2} 1 \right\rangle, \left\langle J_\Delta \frac{1}{2} \left| S \right| +\frac{1}{2} 1 \right\rangle, \left\langle J_\Delta \frac{1}{2} \left| S \right| -\frac{1}{2} 0 \right\rangle$$

$$\frac{d\Gamma(\Delta \rightarrow N e^+ e^-)}{dq^2} = \frac{\alpha^2}{48\pi} \frac{(m_\Delta + m_N)^2}{q^2 m_\Delta^3 m_N^2} \left[(m_\Delta + m_N)^2 - q^2 \right]^{\frac{1}{2}} \left[(m_\Delta - m_N)^2 - q^2 \right]^{\frac{3}{2}} |F(q^2)|^2$$

$$|F(q^2)|^2 = |G_M(q^2)|^2 + 3|G_E(q^2)|^2 + \frac{q^2}{2m_\Delta^2} |G_C(q^2)|^2$$

✧ only model calculations for q^2 dependance is known!

✧ from measured radiative decay width: $G_M(0) \approx 3$, $G_E(0) = 0$, $G_C(0)$ – not defined

➤ different options

➤ $F(q^2) = F(0)$

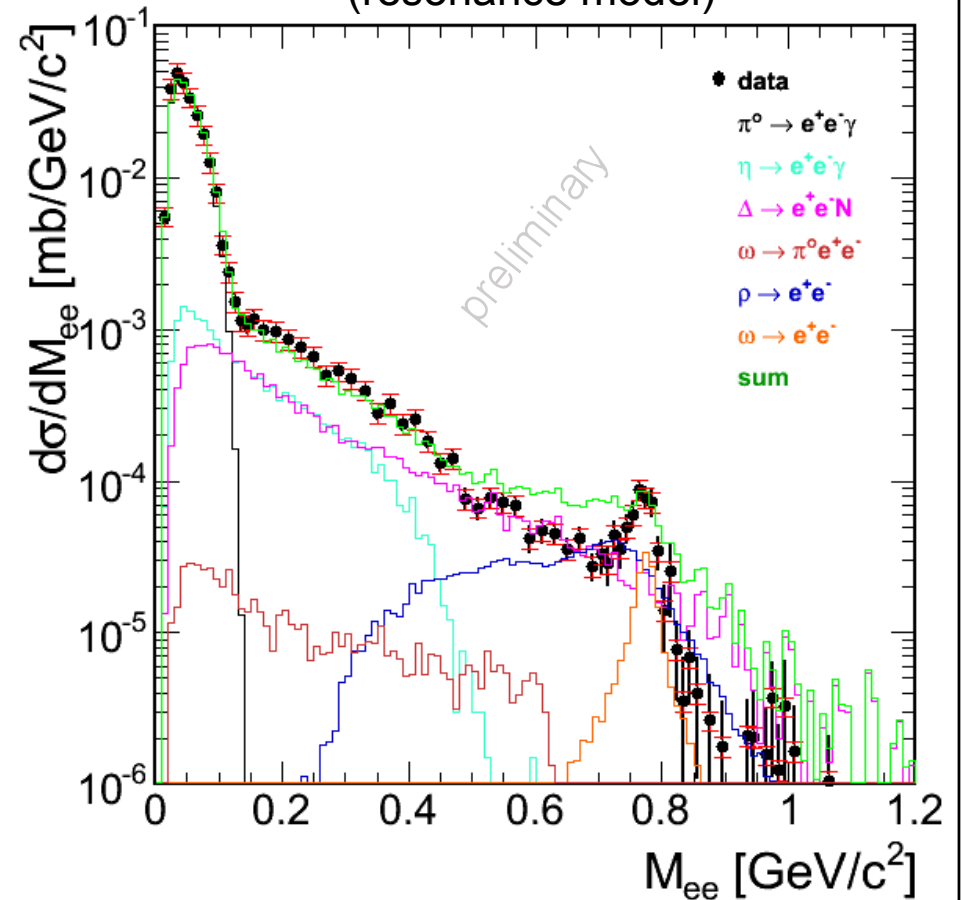
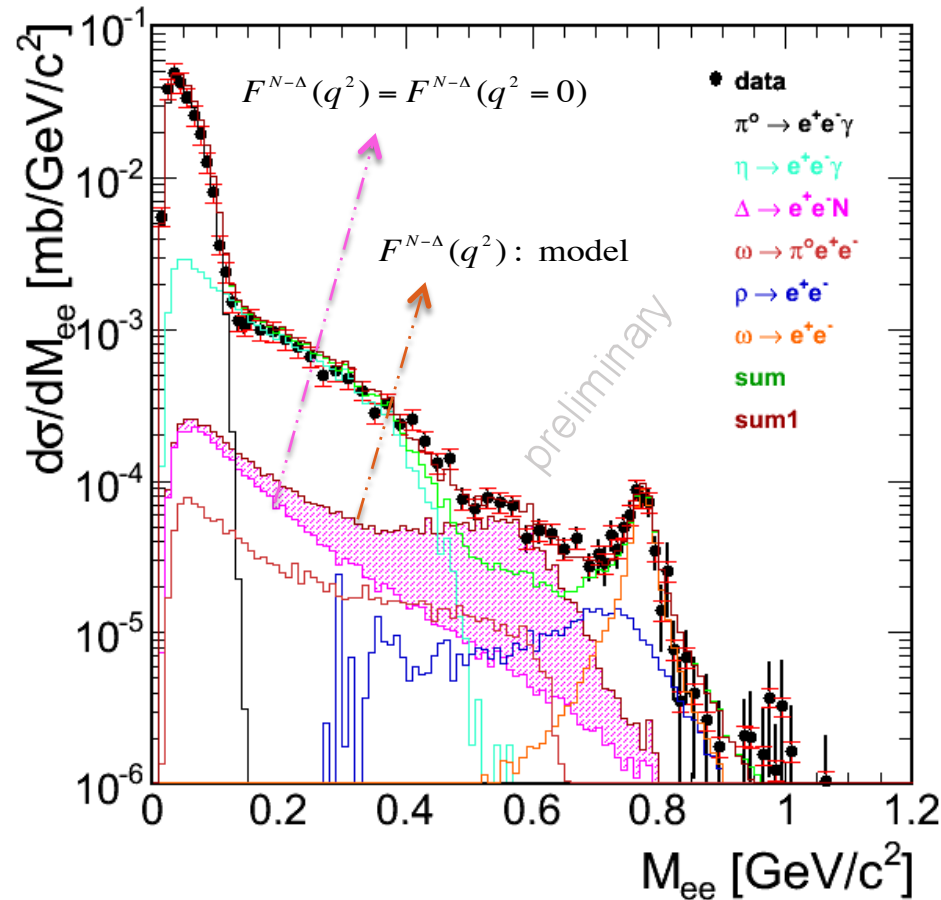
➤ use model calculations

Coulomb gauge: $(\epsilon \mathbf{q}) = 0$

PYTHIA (production) + PLUTO (decay part)

UrQMD

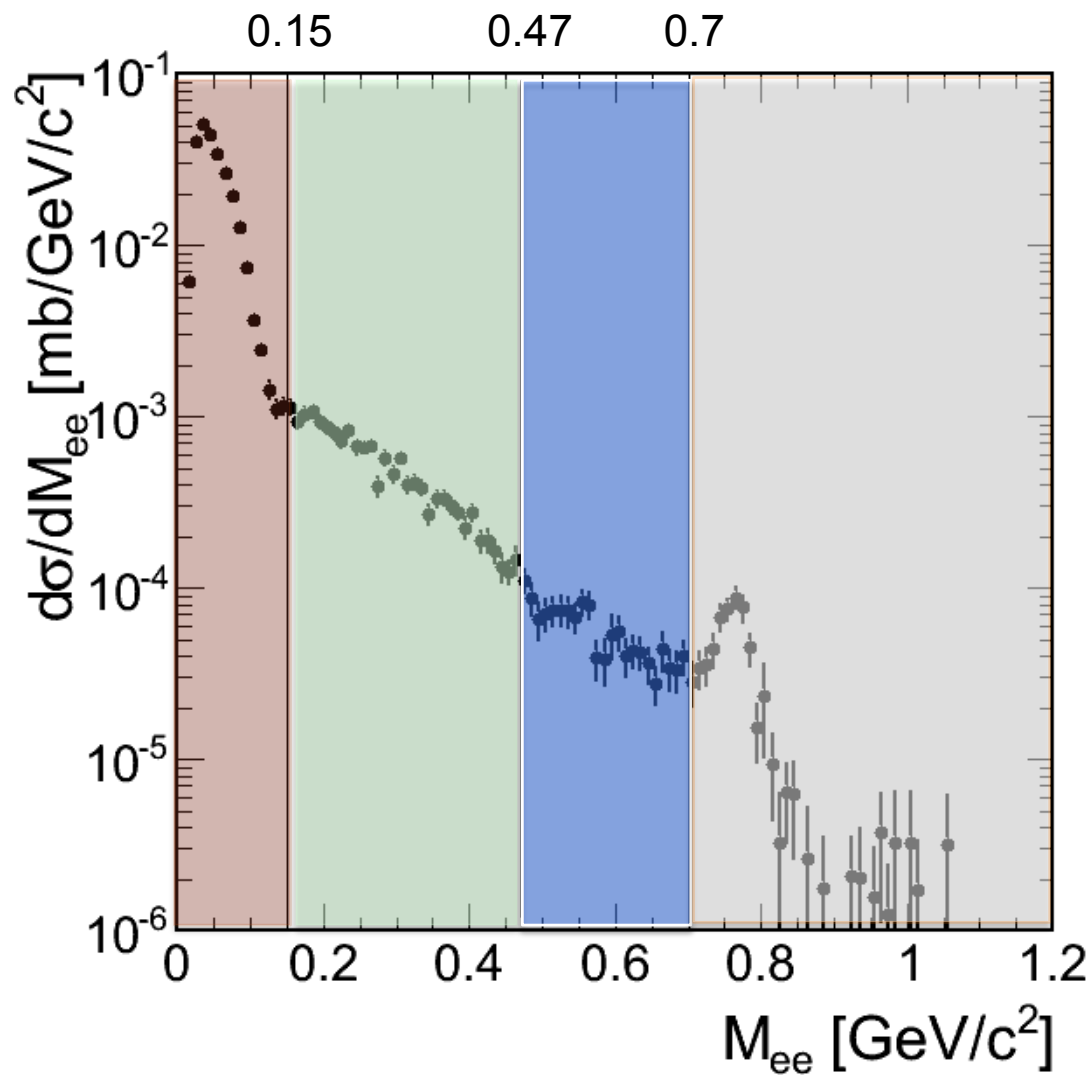
(resonance model)



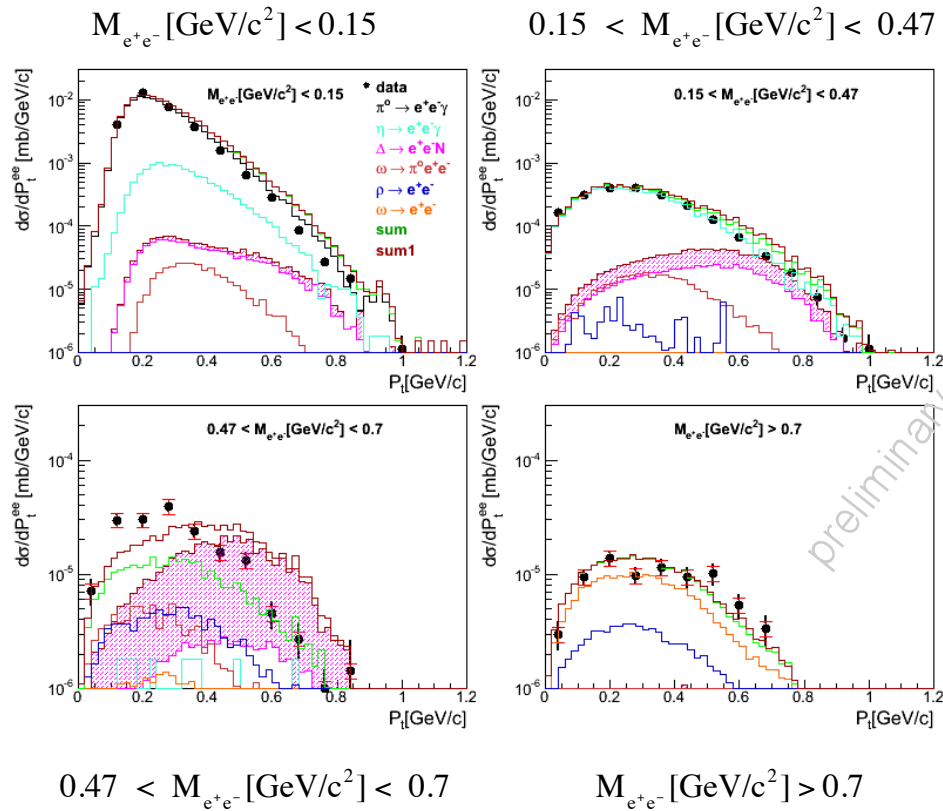
$F^{N-\Delta}(q^2)$ model : Q. Wan and F. Iachello,
 Int. J. Mod. Phys. A20, 1846 (2005)

PLUTO: I. Fröhlich et al, arxiv:0708.2382

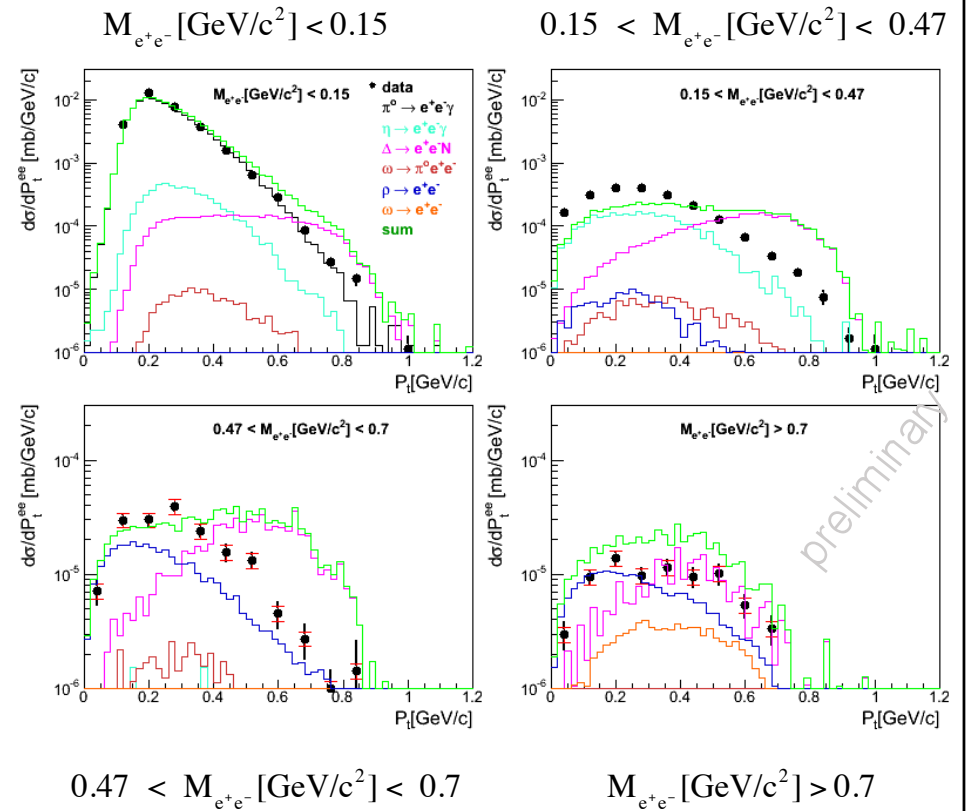
UrQMD: K. Schmidt, et al.
 Phys. Rev. C 79, 064908 (2009)



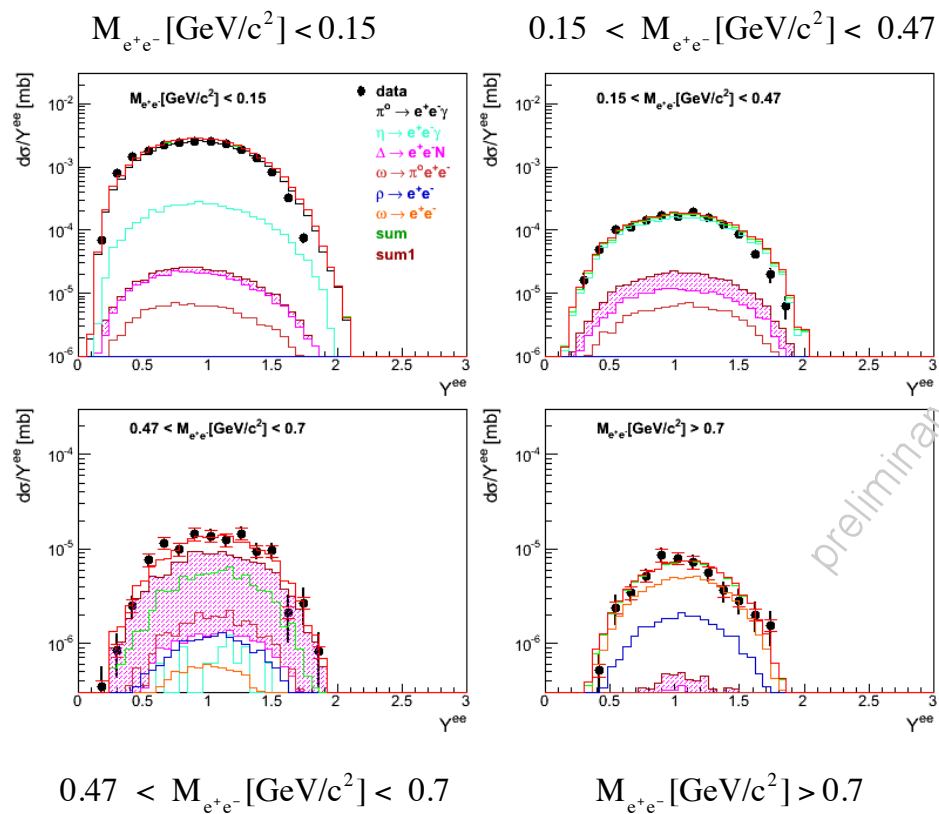
PYTHIA+PLUTO



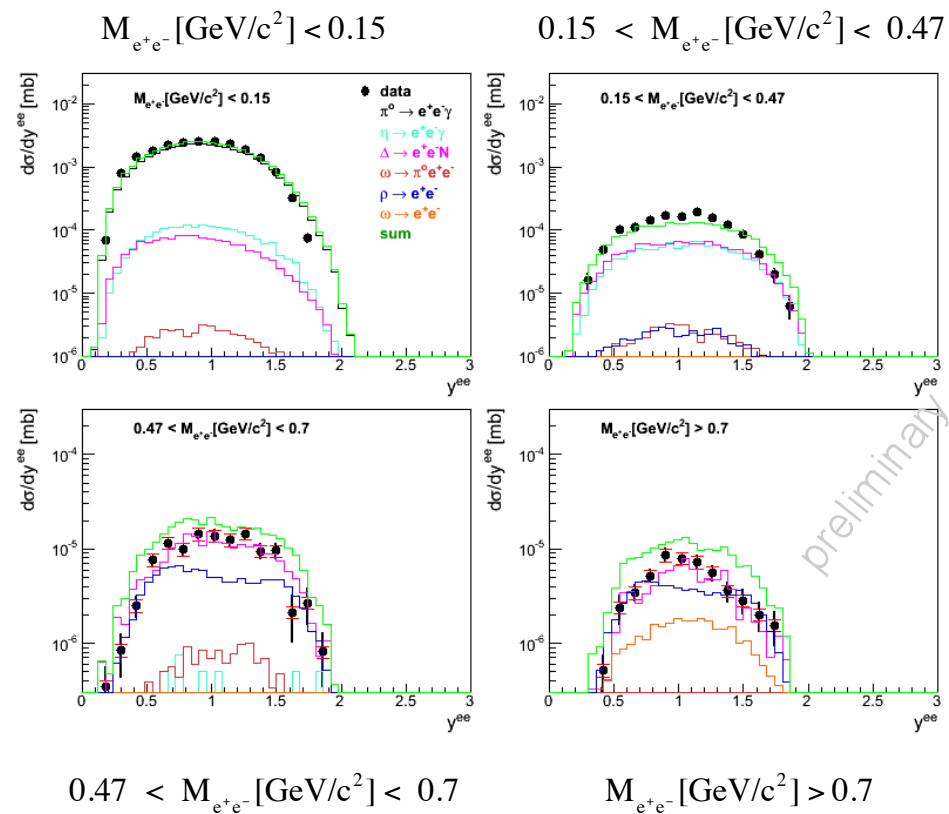
UrQMD (resonance model)

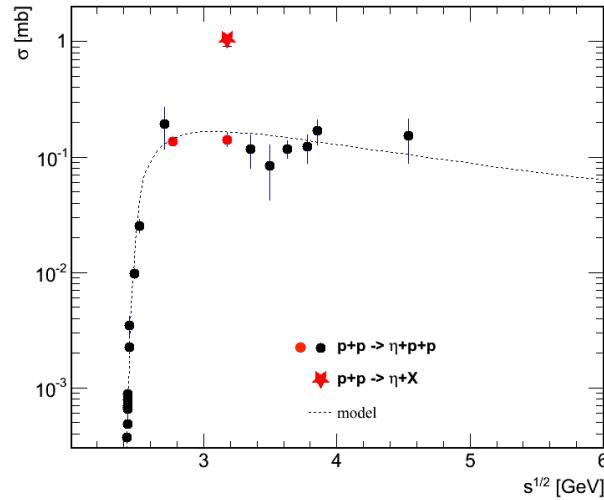
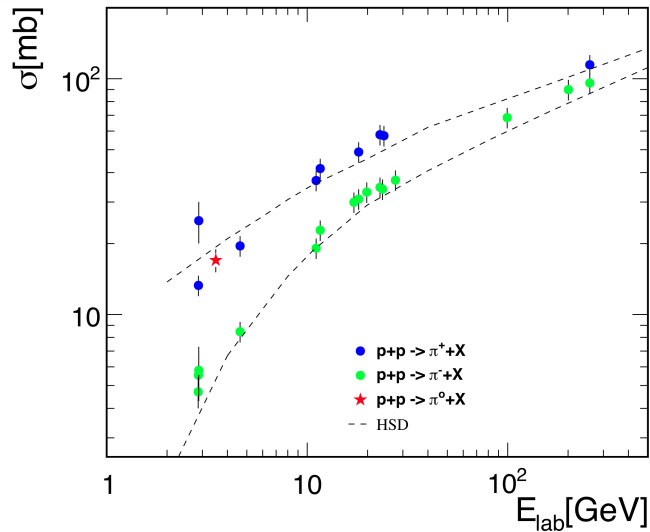


PYTHIA+PLUTO

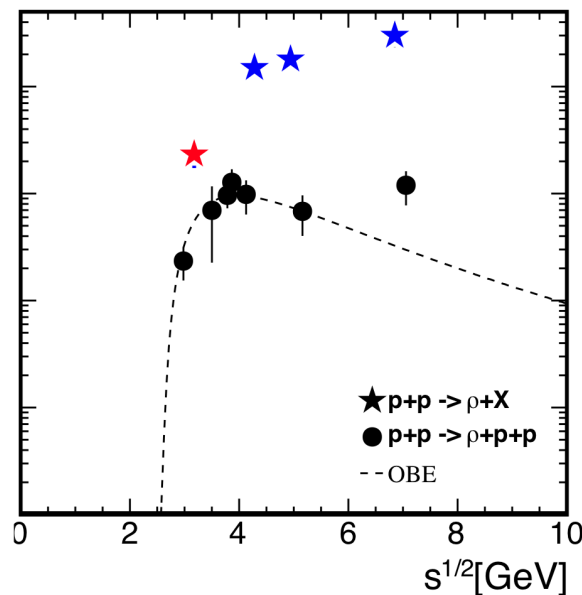
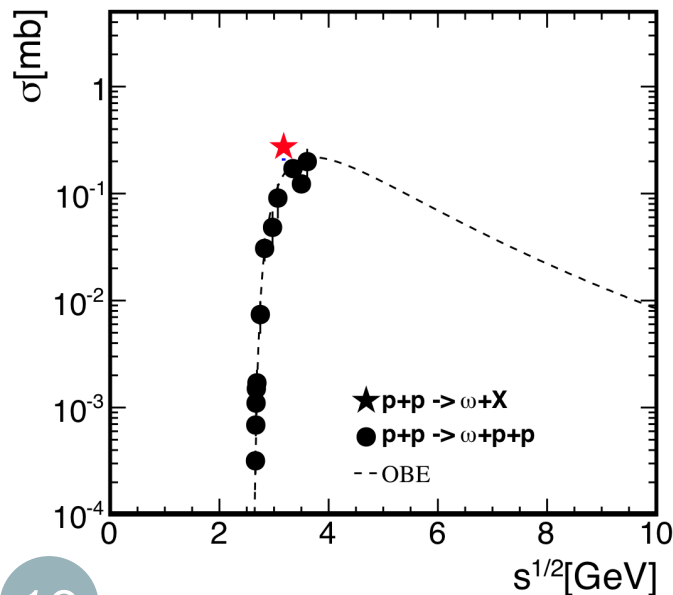


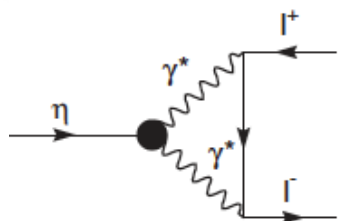
UrQMD (resonance model)





$\bullet \star$ Measured by HADES





Unitarity limit:

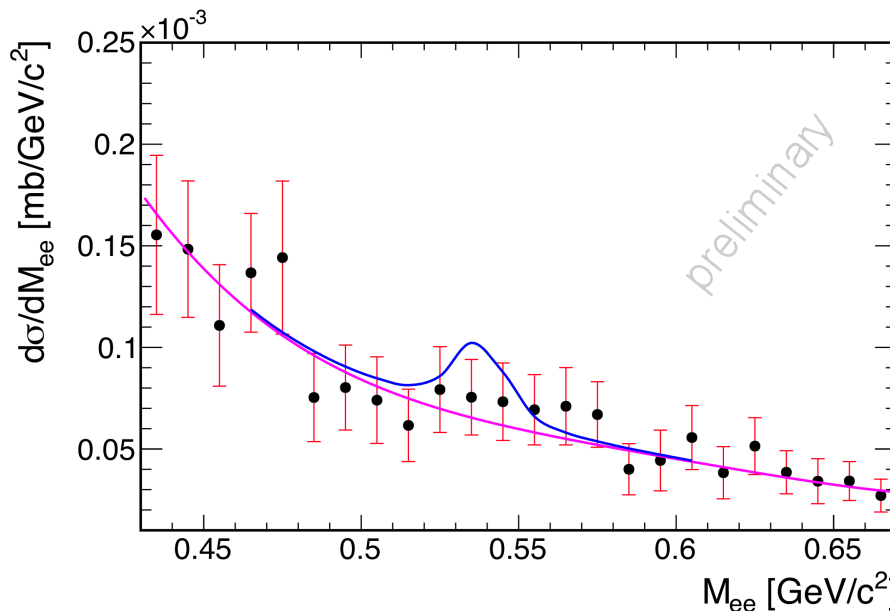
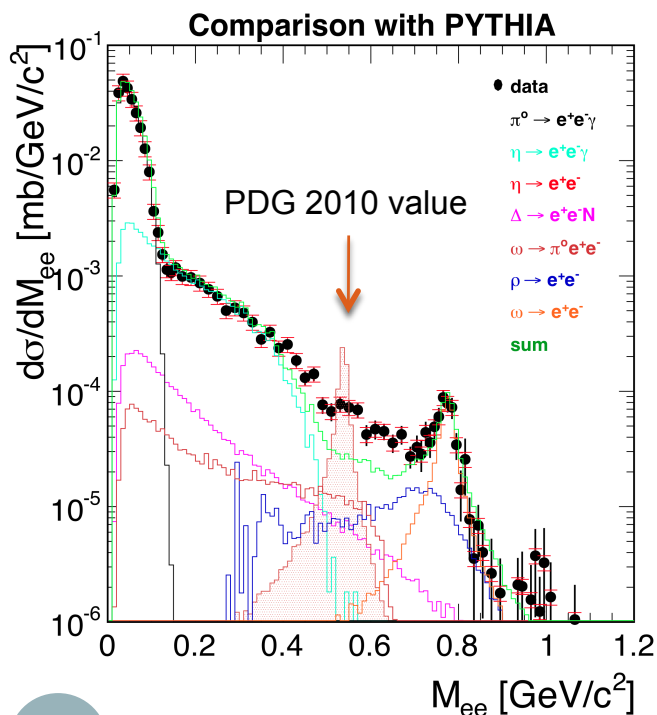
$$Br(\eta \rightarrow \mu^+ \mu^-) = 4.3 \times 10^{-6}$$

$$Br(\eta \rightarrow e^+ e^-) = 1.77 \times 10^{-9}$$

PDG (2010) values:

$$Br(\eta \rightarrow \mu^+ \mu^-) = 5.8 \times 10^{-6}$$

$$Br(\eta \rightarrow e^+ e^-) < 2.7 \times 10^{-5}$$



Hypothetical η direct peak using improved upper limit for its branching ratio from our data

- Kolmogorov-Smirnov test:
 - no evident peak!
- Feldman and Cousins method:
 - Improved upper limit: $Br(\eta \rightarrow e^+ e^-) < 4.86^{+0.7}_{-1.2} \times 10^{-6}$

pp and np data at 1.25 GeV

pp → e⁺ e⁻ +X (inclusive spectrum)
compared to simulation

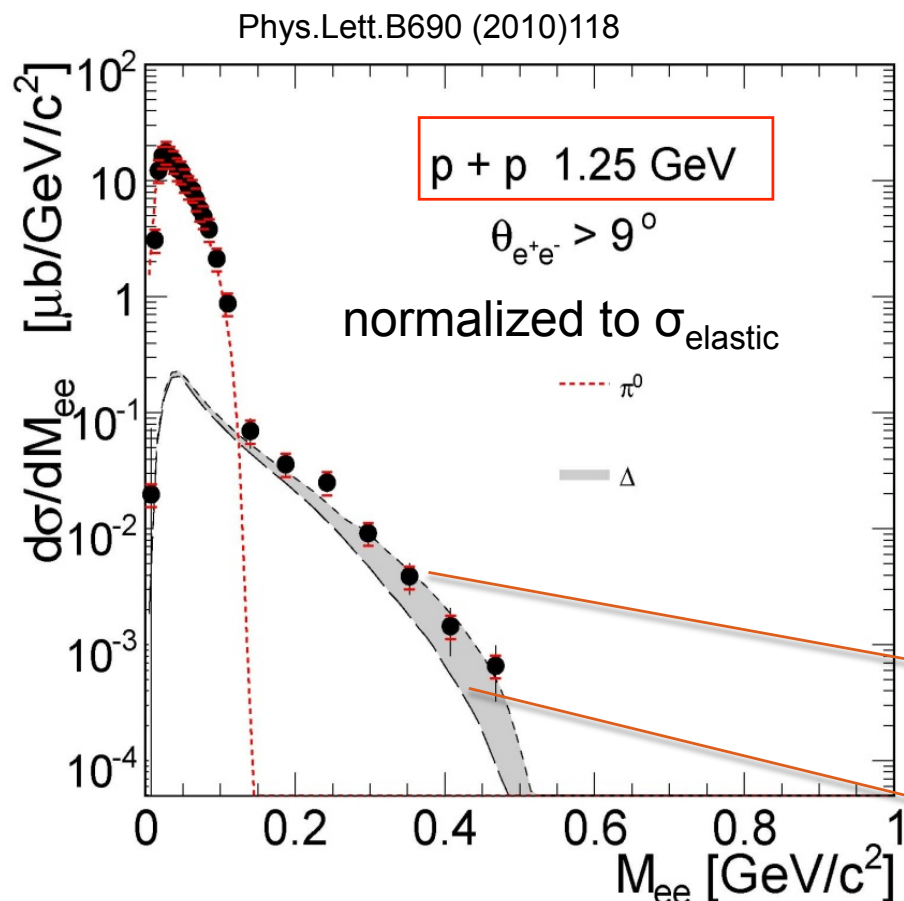
$$\sqrt{s} = 2.422 \text{ GeV}, \quad 2m_p + m_\eta \approx 2.424$$

below η production threshold

particle productions:

$$\pi^0 \text{ - through } \Delta \text{ isobar, } \sigma_{\pi^0} = \frac{2}{3} \sigma_\Delta + \frac{1}{3} \sum \sigma_{N^*}$$

Δ – matrix elements from OPE
calculations

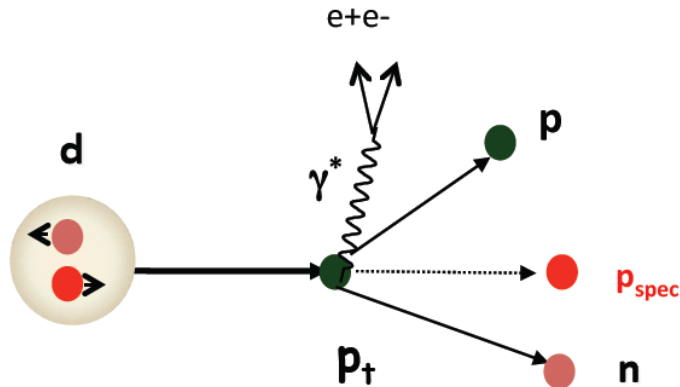


different types of N-Δ FF

✧ $F^{N-\Delta}(q^2)$: from model

✧ $F^{N-\Delta}(q^2) = F^{N-\Delta}(q^2 = 0)$

sensitivity to the N-Δ electromagnetic vertex structure is observed !

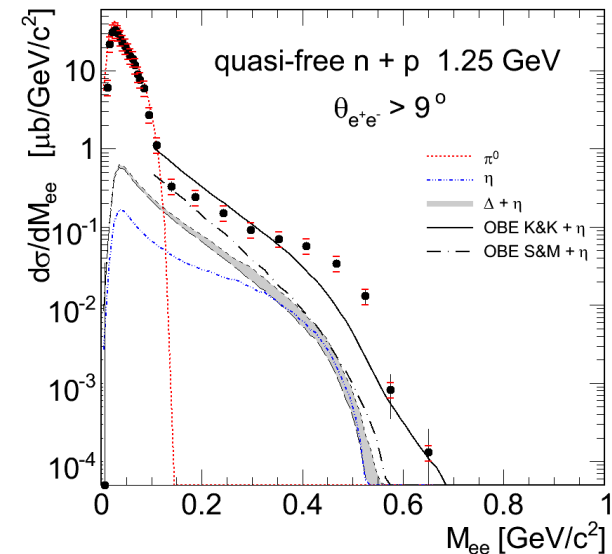
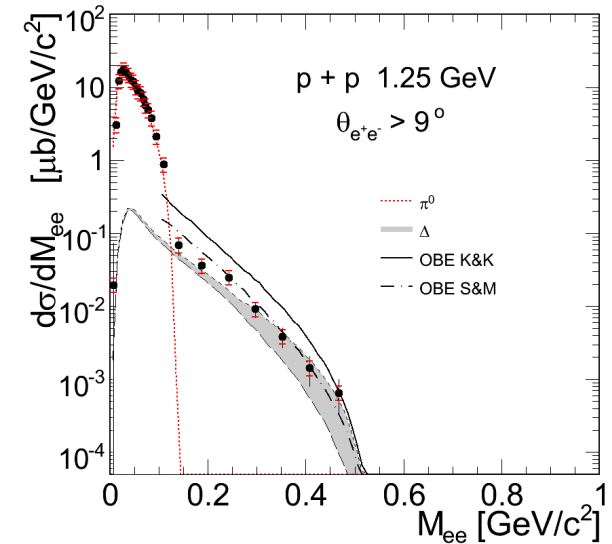


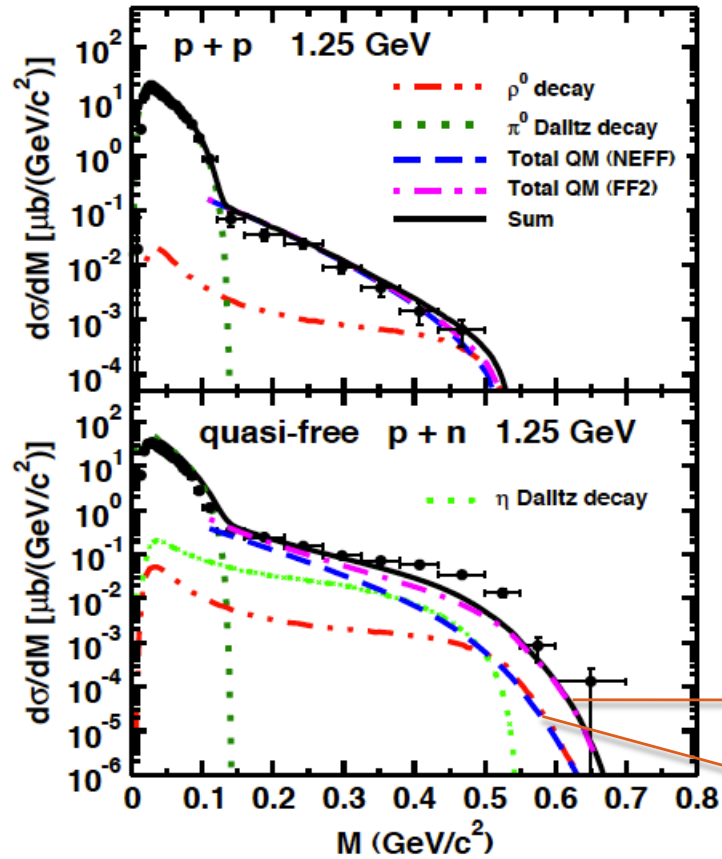
in intermediate mass range, n+p data is enhanced by a factor of ~ 10
 (not only Δ contributes)
 NN bremsstrahlung and more?

Two Eff. Lagrangian based approaches
 diagrams are added-up coherently!

L. Kaptary and B. Kämpfer, NPA 764 (2006), 338

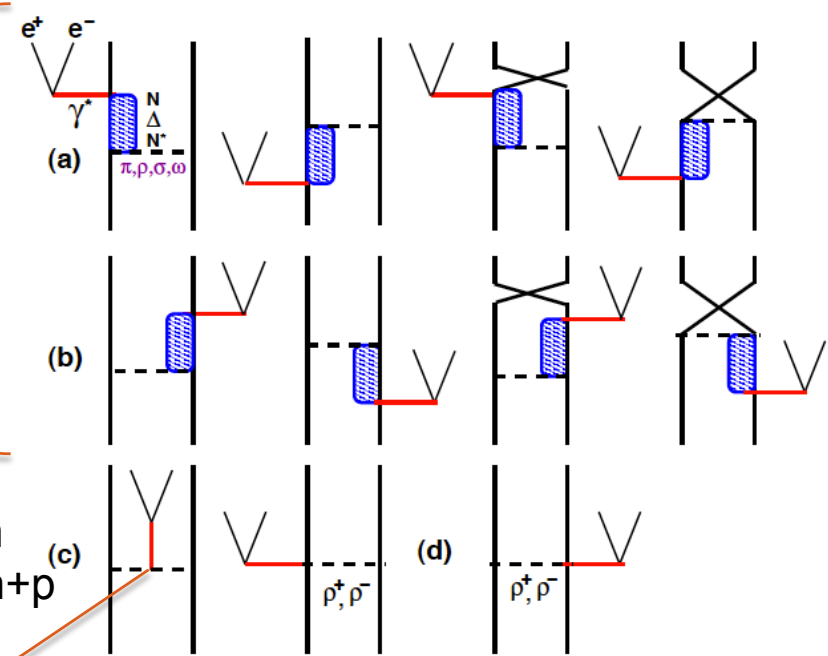
R. Shyam and U. Mosel, PRC 67 (2003), 065202





p+p and n+p

emission from internal line for n+p

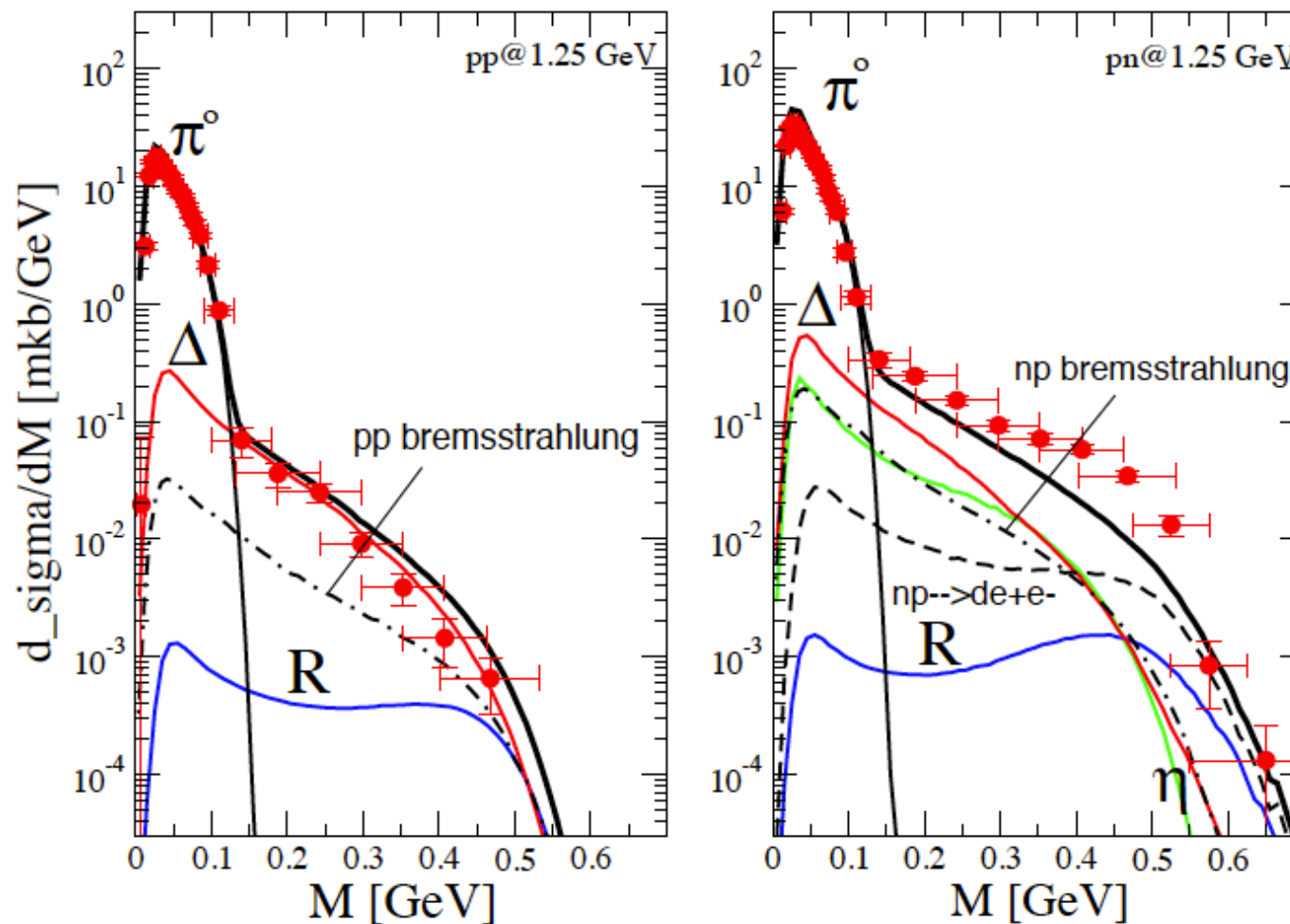


with pion em. transition form factor

without pion em. transition form factor

R. Shyam and U. Mosel, arXiv:1006.3873 [hep-ph]

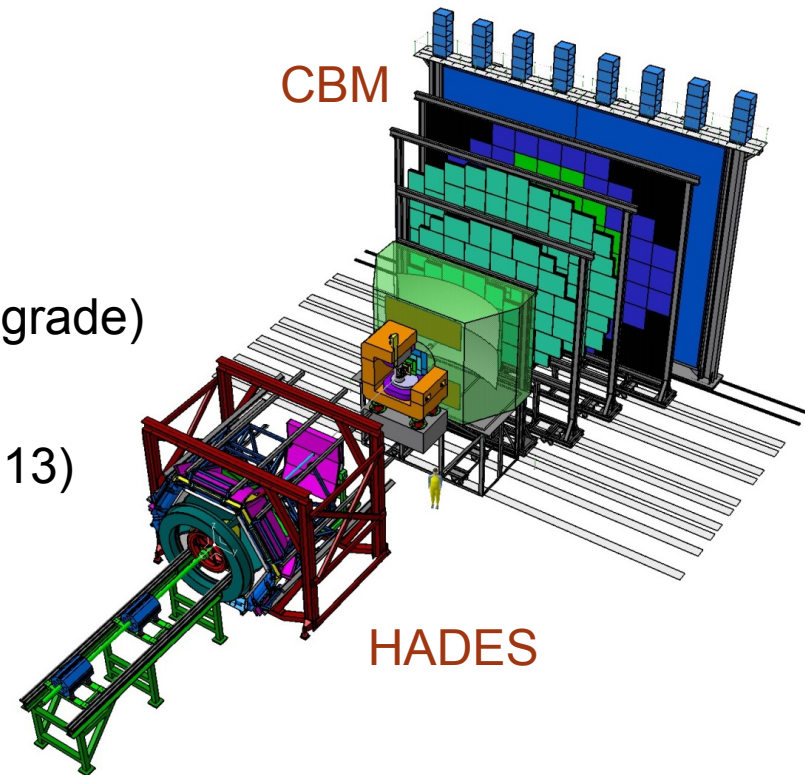
again, sensitivity to em. form factors is observed !



Additional contribution, $np \rightarrow de^+e^-$, is taken into account!

B. V. Martemyanov, M. I. Krivoruchenko and Amand Faessler: arXiv:1108.4265v1

- Upgraded HADES
 - new RPC detectors (50-80ps time res.)
 - new MDCI detectors
 - forward wall
 - ~20 kHz event rates for Au+Au (DAQ upgrade)
- Au+Au at 1.25 AGeV
 - Ag+Ag at 1.65 AGeV
 - pion induced reactions } (2012-2013) (2014)
- HADES moves to FAIR/SIS100 (after 2016)



- With some minor tunes PYTHIA describes the measured data in a better way compared to the UrQMD version of resonance model
- For the first time the inclusive production cross sections for π , η , ρ and ω mesons are determined
- An improved upper bound for the direct dielectron decays of the η meson is obtained
- At 3.5 GeV the data exhibits a clear structure below the ρ meson pole mass
- This structure is satisfactorily described by using the form factor model for the N-Delta transition vertex
- However, this approach contradicts the measured P_t distributions
- Already at 1.25 GeV p+p data the sensitivity to the Δ -N transition structure is observed
- Still no consistent theory for the n+p data at 1.25 GeV

Cyprus:

Department of Physics, University of Cyprus

Czech Republic:

Nuclear Physics Institute, Academy of Sciences of Czech Republic

France:

IPN (UMR 8608), Université Paris Sud

Germany:

GSI, Darmstadt
FZ Dresden-Rossendorf
IKF, Goethe-Universität Frankfurt
II.PI, Justus Liebig Universität Giessen
PD E12, Technische Universität München

Italy:

Istituto Nazionale di Fisica Nucleare,
Laboratori Nazionali del Sud
Istituto Nazionale di Fisica Nucleare
Sezione di Milano

Poland:

Smoluchowski Institute of Physics,
Jagiellonian University

Portugal:

LIP-Laboratório de Física de Partículas e
Física Experimental de Partículas

Russia:

INR, Russian Academy of Science
Joint Institute of Nuclear Research
ITEP

Spain:

Departamento de Física de Partículas,
University of Santiago de Compostela
Instituto de Física Corpuscular,
Universidad de Valencia-CSIC

17 institutions
120+ members

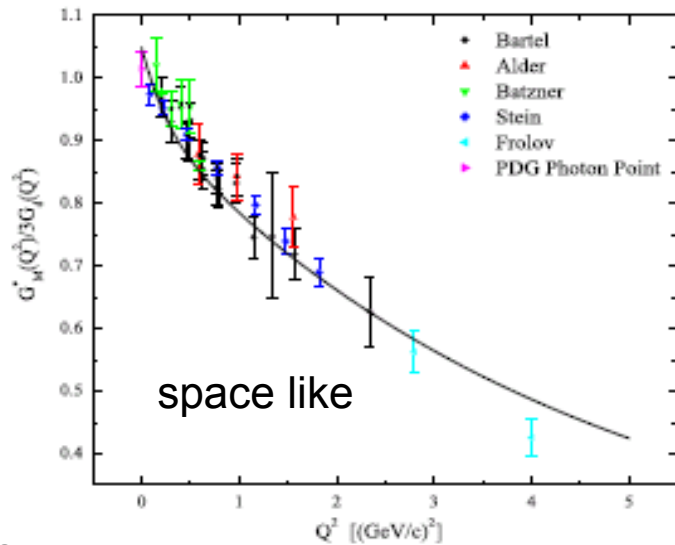


Additional slides

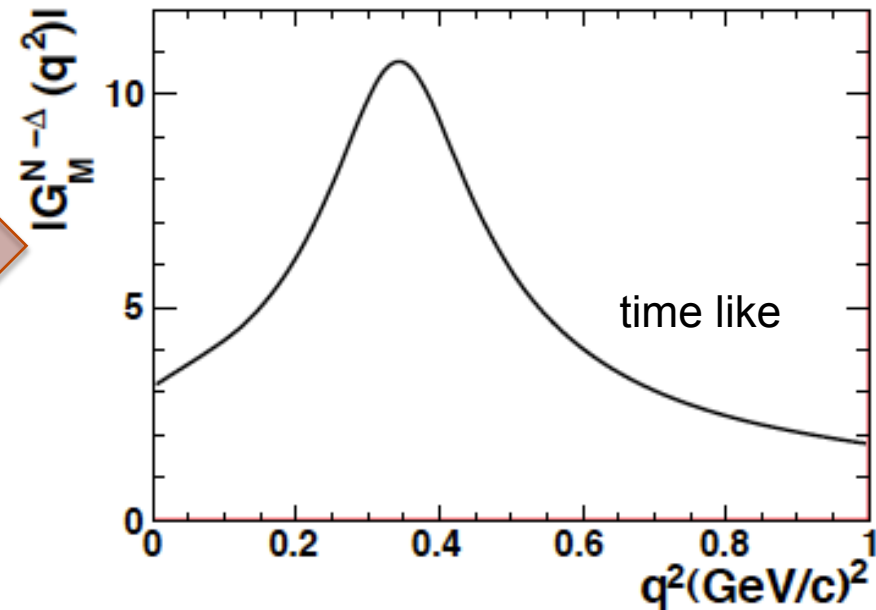
reaction (E_{kin})	year	physics goal
$^{12}\text{C}+^{12}\text{C}$ (2 A GeV)	2002	verification of the DLS data, systematic investigation of excess yield, strangeness analysis
$^{12}\text{C}+^{12}\text{C}$ (1 A GeV)	2004	
$^{40}\text{Ar}+^{nat}\text{KCl}$ (1.76 A GeV)	2005	
p+p (2.2 GeV)	2004	investigation of η meson production, transition form-factors, helicity angles. Investigation of the detector performance by elastic scattering.
p+p (1.25 GeV)	2006	Investigation of NN bremsstrahlung and Delta Dalitz decays
d+p (1.25 GeV)	2007	
p+p (3.5 GeV)	2007	Investigation of vector meson production mechanisms. Study the experimental line shape of the omega meson
p+ ^{93}Nb (3.5 GeV)	2008	Investigation of in medium modification of the vector mesons

$$F(Q^2) = (1 + \gamma Q^2)^{-2} \left[\alpha_0 + \alpha_\rho \frac{M_\rho^2}{M_\rho^2 + Q^2} \right]$$

- ✧ only ρ (isovector) is relevant in case of Δ
- ✧ reproduces simultaneously nucleon space-like and time-like as well as N- Δ space like form factors.



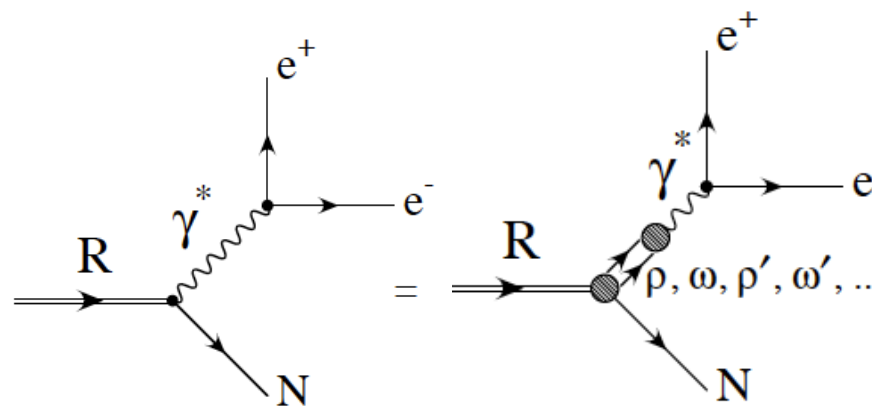
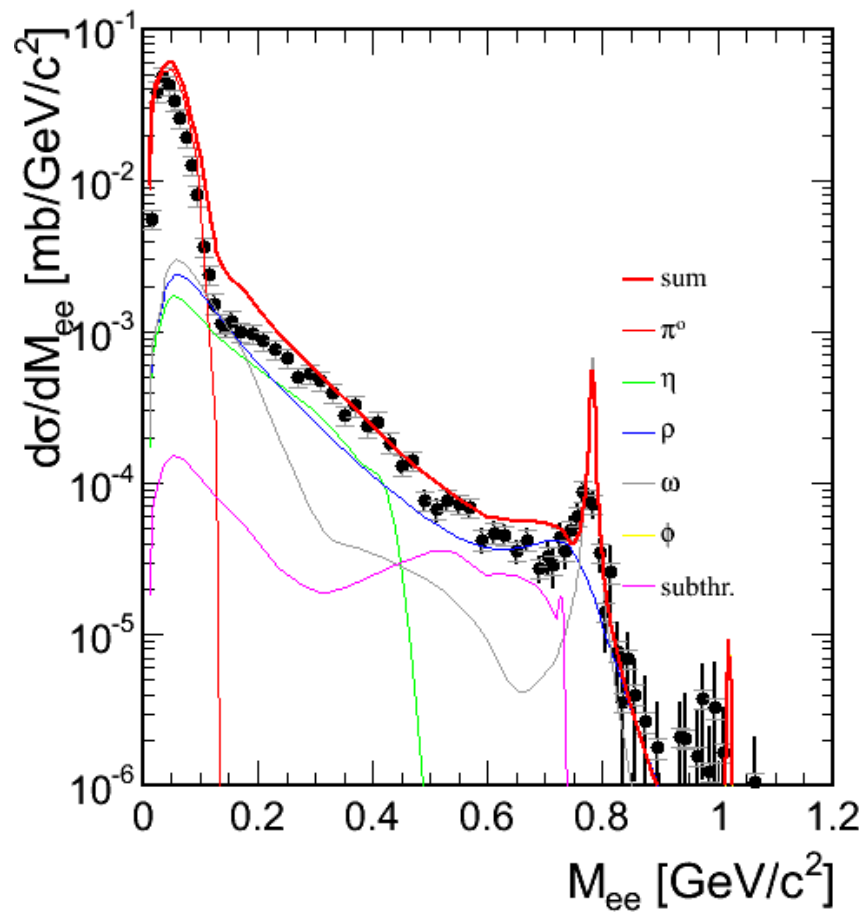
Q. Wan and F. Iachello, Int. J. Mod. Phys. A20, 1846 (2005)



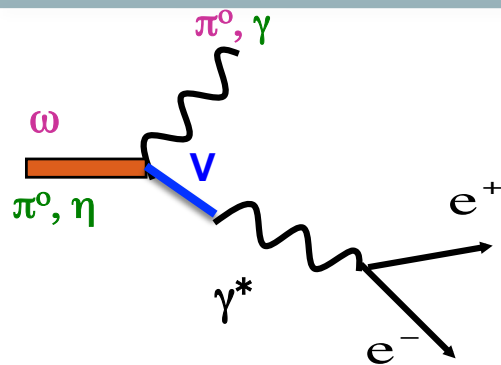
➔ In our q^2 range the VDM part dominates

alternatively one could use Extended Vector Dominance Model

M. I. Krivoruchenko et. al, Ann. of Phys. 296, 299 (2002)



M. I. Krivoruchenko et. al, Ann. of Phys. 296, 299 (2002)



$$\frac{d\Gamma}{dM} = \left[\frac{d\Gamma}{dM} \right]_{QED} |F(M^2)|^2$$

$$F(M^2)_{\pi^0} \approx 1 + M^2 \frac{dF}{dM^2} \Big|_{M^2=0} = 1 + M^2 b_{\pi^0} \quad (b_{\pi^0} = 5.5 \text{ GeV}^{-2})$$

$$|F(M^2)| = \frac{\left(\frac{d\Gamma}{dM} \right)_{\text{exp}}}{\left(\frac{d\Gamma}{dM} \right)_{QED}}$$

pole parameterization

$$|F(M^2)|^2 = \left(1 - \frac{M^2}{\Lambda^2} \right)^{-2}$$

