

Anomalous dilepton production from hot and dense nuclear matter

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Probing the Extremes of Matter with Heavy Ions
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- ▶ Motivation of local parity breaking (LPB)
- ▶ Axial baryon charge and chiral chemical potential
- ▶ Effective meson theory with chiral charge
- ▶ Manifestation of LPB in heavy ion collisions (HIC)
- ▶ PHENIX/STAR anomaly
- ▶ Conclusions and outlook

Motivation of local parity breaking

P-breaking

Parity: well established global symmetry of strong interactions. Reasons to believe it may be broken in a finite volume. Recent investigations:

- Chiral Magnetic Effect (CME): quantum fluctuation of θ parameter (P -odd bubbles) [D. E. Kharzeev, L. D. McLerran & H. J. Warringa, Nucl. Phys. A803, 227 (2008)]
- **New QCD phase** characterised by a local parity breaking due to pseudoscalar background [A. A. Andrianov, V. A. Andrianov & D. Espriu, Phys. Lett. B 678, 416 (2009)]

HIC may trigger LPB inside the hot dense nuclear fireball

[A. Andrianov, V. Andrianov, D. Espriu, X. Planells, Phys. Lett. B 710 (2012) 230]

Axial baryon charge and chiral chemical potential

Topological charge T_5 may arise due to quantum fluctuations in hot medium due to sphaleron transitions [Manton, McLerran, Rubakov, Shaposhnikov]

$$T_5 = \frac{1}{8\pi^2} \int_{\text{vol.}} d^3x \epsilon_{ijkl} \text{Tr} \left(G^j \partial^k G^l - i \frac{2}{3} G^j G^k G^l \right)$$

PCAC leads

$$Q_5^q = \int_{\text{vol.}} d^3x \bar{q} \gamma_0 \gamma_5 q, \quad \frac{d}{dt} (Q_5^q - 2N_f T_5) \simeq 0, \quad m_q \simeq 0$$

Lagrangian with topological or axial chemical potential (μ_θ , μ_5)

$$\langle \Delta T_5 \rangle \simeq \frac{1}{2N_f} \langle Q_5^q \rangle \iff \mu_5 \simeq \frac{1}{2N_f} \mu_\theta,$$

$$\Delta \mathcal{L}_{\text{top}} = \mu_\theta \Delta T_5 \iff \Delta \mathcal{L}_q = \mu_5 Q_5^q$$

Axial baryon charge and chiral chemical potential

LPB investigated in e.m. interactions of leptons and photons with hot/dense nuclear matter via heavy ion collisions.

- e.m. interaction implies $Q_5^q \rightarrow Q_5 = Q_5^q + Q_5^{\text{em}}$
- New μ_5 conjugated to Q_5
- **Bosonization** of Q_5^q following VMD prescription

Extra term in Lagrangian

$$\Delta\mathcal{L} \sim -\frac{1}{4}\varepsilon^{\mu\nu\rho\sigma}\text{Tr}\left[\hat{\zeta}_\mu V_\nu V_{\rho\sigma}\right],$$

with $\hat{\zeta}_\mu = \hat{\zeta}\delta_{\mu 0}$ due to spatially homogeneous and isotropic background ($\hat{\zeta} \equiv$ isospin content) and $\zeta \propto \mu_5$

$$\langle T_5 \rangle \longleftrightarrow \zeta$$

Effective meson theory with chiral charge

Scalar part of the effective Lagrangian estimated using spurion technique

$$D_\nu \implies D_\nu - i\{\mu_5 \delta_{0\nu}, \cdot\} = D_\nu - 2i\mu_5 \delta_{0\nu}$$

New processes are relevant inside the fireball: $\eta, \eta' \rightarrow \pi\pi$ (strictly forbidden in QCD on parity grounds). Such particles could reach thermal equilibrium.

Need to include the lightest iso-scalar degrees of freedom in effective Lagrangian.



New eigenstates mixing $\sigma - \eta - \eta'$ and $a_0 - \pi$, with effective masses depending on μ_5 and k . Work on their main properties in progress.

Effective meson theory with chiral charge

Vector Meson Dominance approach to LPB

Vector Meson Dominance bosonization:

$$\mathcal{L}_{\text{int}} = \bar{q} \gamma_{\mu} \hat{V}^{\mu} q; \quad \hat{V}_{\mu} \equiv -e A_{\mu} Q + \frac{1}{2} g_{\omega} \omega_{\mu} \mathbb{I} + \frac{1}{2} g_{\rho} \rho_{\mu}^0 \tau_3,$$

$$(V_{\mu,a}) \equiv (A_{\mu}, \omega_{\mu}, \rho_{\mu}^0)$$

where $Q = \frac{\tau_3}{2} + \frac{1}{6}$, $g_{\omega} \simeq g_{\rho} \equiv g \simeq 6$.

Maxwell and mass terms

$$\mathcal{L}_{\text{kin}} = -\frac{1}{4} (F_{\mu\nu} F^{\mu\nu} + \omega_{\mu\nu} \omega^{\mu\nu} + \rho_{\mu\nu} \rho^{\mu\nu}) + \frac{1}{2} V_{\mu,a} (\hat{m}^2)_{a,b} V_b^{\mu}$$

$$\hat{m}^2 \simeq m_V^2 \begin{pmatrix} \frac{10e^2}{9g^2} & -\frac{e}{3g} & -\frac{e}{g} \\ -\frac{e}{3g} & 1 & 0 \\ -\frac{e}{g} & 0 & 1 \end{pmatrix}$$

Effective meson theory with chiral charge

Vector Meson Dominance approach to LPB

P -odd interaction

$$\mathcal{L}_{\text{mixing}}(k) = -\frac{1}{4}\epsilon^{\mu\nu\rho\sigma} \text{tr} \hat{\zeta}_\mu \hat{V}_\nu(x) \hat{V}_{\rho\sigma}(x) = \frac{1}{2}\zeta\epsilon_{jkl} V_{j,a} N_{ab} \partial_k V_{l,b}$$

- Isosinglet pseudoscalar background ($T \gg \mu$) [RHIC, LHC]

$$(N_{ab}^\theta) \simeq \begin{pmatrix} \frac{10e^2}{9g^2} & -\frac{e}{3g} & -\frac{e}{g} \\ -\frac{e}{3g} & 1 & 0 \\ -\frac{e}{g} & 0 & 1 \end{pmatrix}, \quad \det(N^\theta) = 0$$

→ undistorted γ and polarization splitting in meson masses:

$$m_{V,\epsilon}^2 = m_V^2 - \epsilon\zeta|\vec{k}|$$

- Pion-like condensate (not considered) ($\mu \gg T$) [FAIR, NICA]

$$(N_{ab}^\pi) \simeq \begin{pmatrix} \frac{2e^2}{3g^2} & -\frac{e}{g} & -\frac{e}{3g} \\ -\frac{e}{g} & 0 & 1 \\ -\frac{e}{3g} & 1 & 0 \end{pmatrix}, \quad \det(N^\pi) = 0$$

Manifestation of LPB in heavy ion collisions

L, \pm contribution for vector mesons before acceptance corrections:

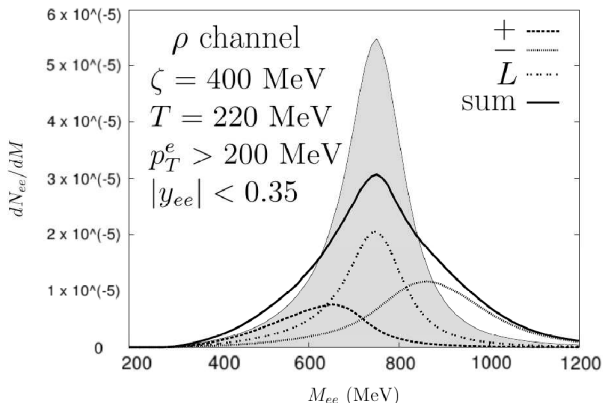
$$\frac{dN_{ee}^{\epsilon}}{d^4x dM} \simeq c_V \frac{\alpha^2 \Gamma_V m_V^2}{3\pi^2 g^2 M^2} \left(\frac{M^2 - n_V^2 m_{\pi}^2}{m_V^2 - n_V^2 m_{\pi}^2} \right)^{3/2} \\ \times \sum_{\epsilon} \int_M^{\infty} dk_0 \frac{\sqrt{k_0^2 - M^2}}{e^{k_0/T} - 1} \frac{m_{V,\epsilon}^4}{\left(M^2 - m_{V,\epsilon}^2 \right)^2 + m_{V,\epsilon}^4 \frac{\Gamma_V^2}{m_V^2}},$$

where $n_V = 2, 0$; $|\vec{k}| = \sqrt{k_0^2 - M^2}$ and $M^2 > n_V^2 m_{\pi}^2$. c_V absorbs combinatorial factors different for ρ and ω , μ_V , finite volume suppression. Empirically for $\mu_5 = 0$ the ratio $c_{\rho}/c_{\omega} \sim 10$ holds.

Simulations implemented with PHENIX acceptance: $|y_{ee}| < 0.35$, $|\vec{p}_t^e| > 200$ MeV, gaussian M_{ee} smearing (width=10 MeV)

Manifestation of LPB in heavy ion collisions

ρ spectral function

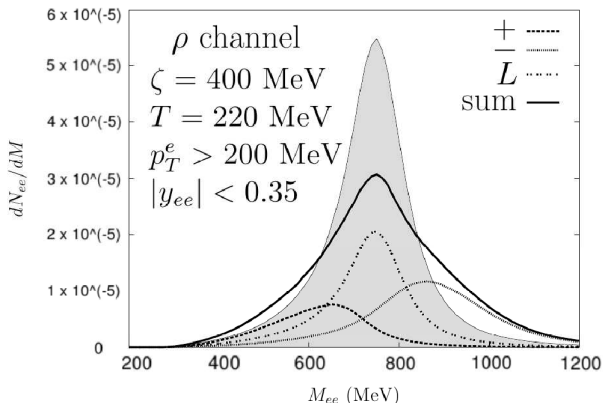


Polarization splitting in ρ spectral function for LPB $\zeta = 400$ MeV ($\mu_5 = 290$ MeV) compared with $\zeta = 0$ (shaded region).

POLARIZATION ASYMMETRY!!

Manifestation of LPB in heavy ion collisions

ρ spectral function

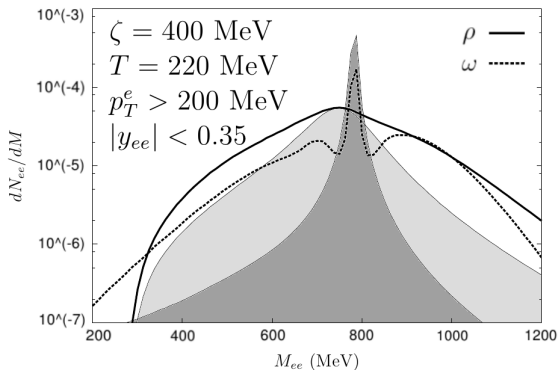


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POLARIZATION ASYMMETRY!!

Manifestation of LPB in heavy ion collisions

Distorted spectral functions

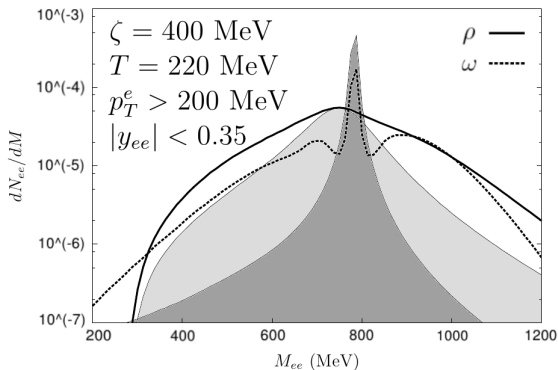


In-medium ρ and ω channels (solid and dashed line) and their vacuum contributions (light and dark shaded regions) for $\zeta = 400$ MeV. In-medium ρ is enhanced by a factor 1.8 due to $\pi\pi$ regeneration into ρ .

ENHANCEMENT OF DILEPTON YIELD!!

Manifestation of LPB in heavy ion collisions

Distorted spectral functions

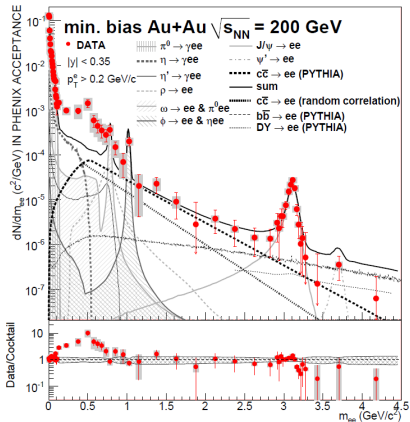
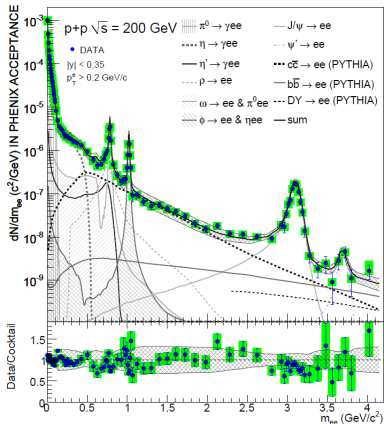


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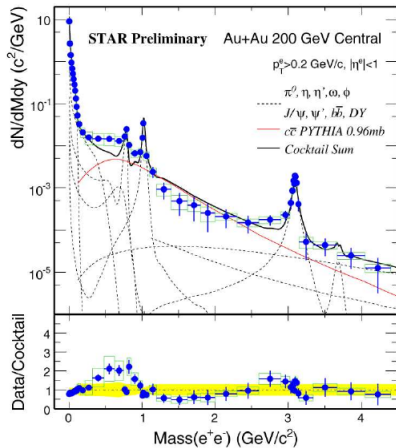
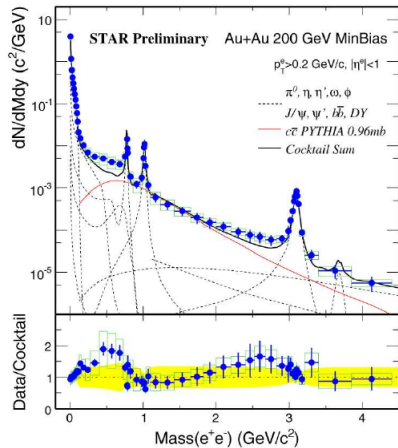
PHENIX/STAR anomaly

Abnormal e^+e^- excess in central HIC



PHENIX/STAR anomaly

Abnormal e^+e^- excess in central HIC



Conclusions and outlook

- LPB not forbidden by any physical principle in QCD at finite temperature/density
- The effect leads to unexpected modifications of the in-medium properties of vector mesons and photons
- LPB may help explaining the observed lepton spectrum in the LMR of PHENIX and STAR
- *Event-by-event* measurements of the lepton polarization asymmetry may reveal in an unambiguous way the existence of LPB
- Dalitz ω and η, η' (mixed with σ) decays and isotriplet condensate could be the responsible cases for the enhancement at $300 < M < 700$ [work on progress]

Thank you for your
attention!

Explicit formula for the simulation with acceptance correction:

$$\begin{aligned} \frac{dN}{d^4x dM} &= \int d\tilde{M} \frac{1}{\sqrt{2\pi}\Delta} \exp\left[-\frac{(M - \tilde{M})^2}{2\Delta^2}\right] c_V \frac{\alpha^2}{24\pi\tilde{M}} \left(1 - \frac{n_V^2 m_\pi^2}{\tilde{M}^2}\right)^{3/2} \\ &\times \sum_\epsilon \int_{\text{acc.}} \frac{k_t dk_t dy d^2\vec{p}_t}{|E_k p_{\parallel} - k_{\parallel} E_p|} \frac{1}{e^{\tilde{M}_t/T} - 1} P_\epsilon^{\mu\nu} \left(\tilde{M}^2 g_{\mu\nu} + 4p_\mu p_\nu\right) \\ &\times \frac{m_{V,\epsilon}^4}{\left(\tilde{M}^2 - m_{V,\epsilon}^2\right)^2 + m_{V,\epsilon}^4 \frac{\Gamma_V^2}{m_V^2}} \end{aligned}$$