

# Ion traps in nuclear physics



UNIVERSITY OF JYVÄSKYLÄ

**Ari Jokinen**

**INTERNATIONAL SCHOOL OF NUCLEAR PHYSICS**

36th Course

**Nuclei in the Laboratory and in the Cosmos**

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# Ion traps in nuclear physics



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## Content

- Penning trap basics
- Mass measurements
  - Atomic masses
  - Nuclear structure
  - Nuclear astrophysics
- Trap-assisted spectroscopy
- Precision measurements
  - Superalloyed beta decay
  - $0\nu\text{-}\beta\beta$ ,  $0\nu\text{-ECEC}$ , “ultra-low” Q-values

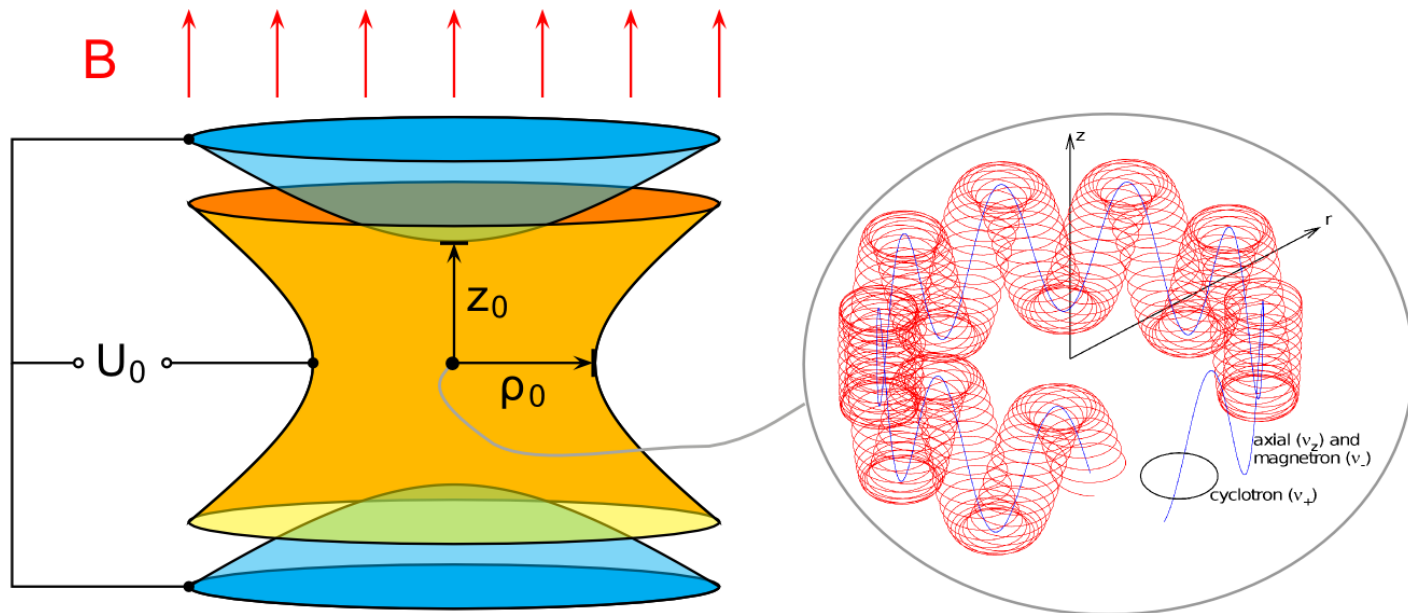
**JYFLTRAP**, CPT, ISOLTRAP, LEBIT, SHIPTRAP, TITAN, ...



# Penning trap – confining charged particles



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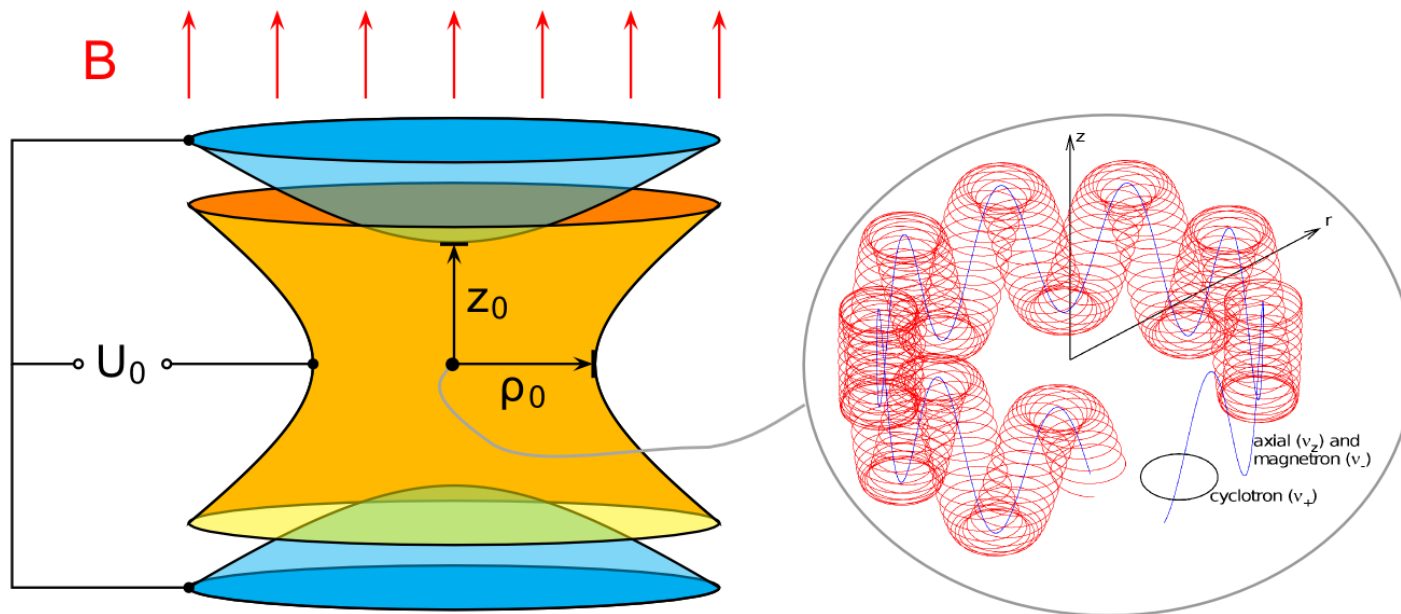
- Strong homogenous B-field
- Quadrupolar electrostatic potential



# Penning trap – confining charged particles



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Three eigenmotions

- Axial  $\nu_z$
- Magnetron  $\nu_-$
- Modified cyclotron  $\nu_+$

$$\nu_z = \frac{1}{2\pi} \sqrt{\frac{U_0}{d^2} \frac{q}{m}}$$

$$\nu_{\pm} = \frac{1}{2} \left( \nu_c \pm \sqrt{\nu_c^2 - 2\nu_z^2} \right)$$

**A=100, q=1, B=7 T**

- $f_+ \approx 1$  MHz
- $f_- \approx 1$  kHz
- $f_z \approx 44$  kHz





# Penning trap – confining charged particles



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FREE-CYCLOTRON FREQUENCY:  $\nu_c = \frac{1}{2\pi} \frac{q}{m} B$

→  $\frac{f_{c,\text{ref}}}{f_c} = \frac{m - m_e}{m_{\text{ref}} - m_e}$

INVARIANCE THEOREM:

$$\nu_c^2 = \nu_-^2 + \nu_+^2 + \nu_z^2$$

Forgives some misalignments etc.

SIDEBAND FREQUENCY:

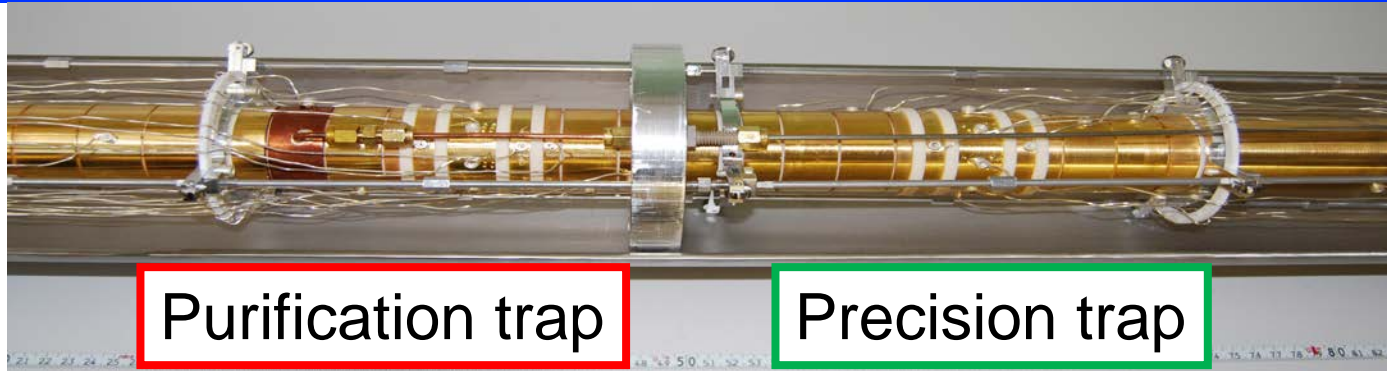
$$\nu_c = \nu_- + \nu_+$$

For ideal trap but usually precise enough





# Purification & measurement; JYFLTRAP

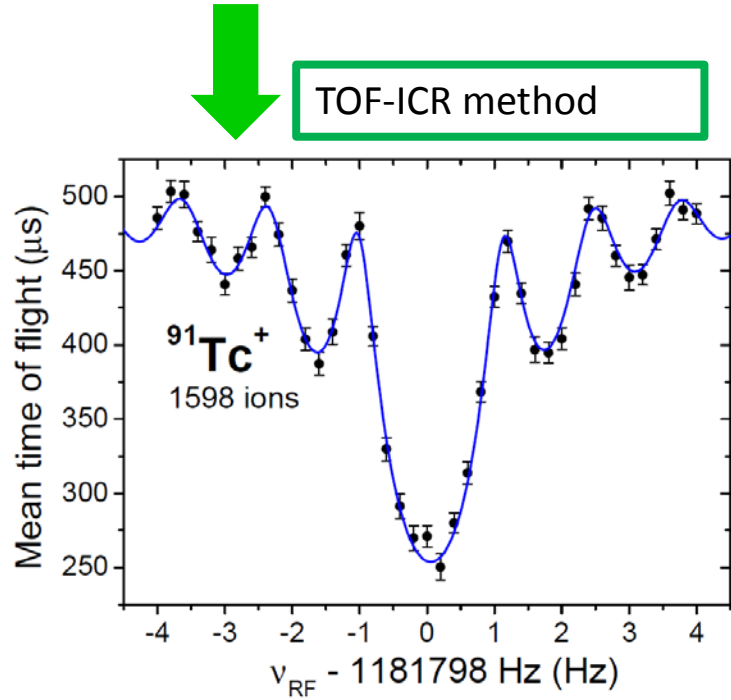
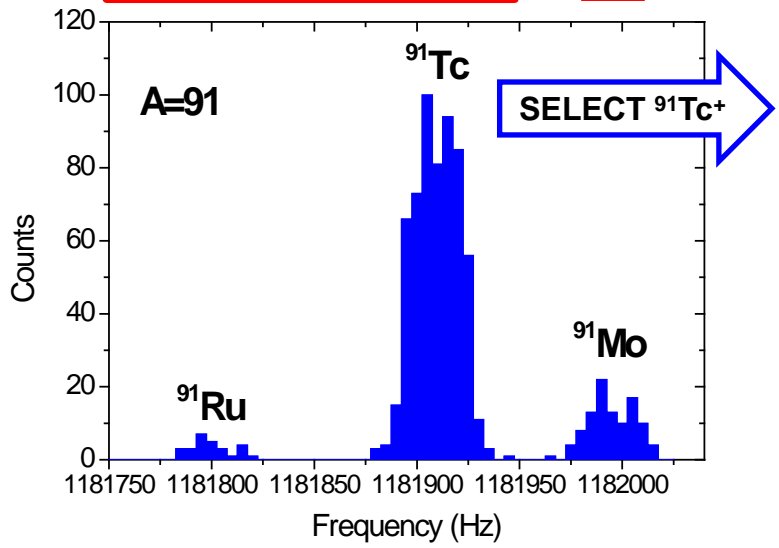


Purification trap

Precision trap

mass-selective buffer gas cooling

TOF-ICR method



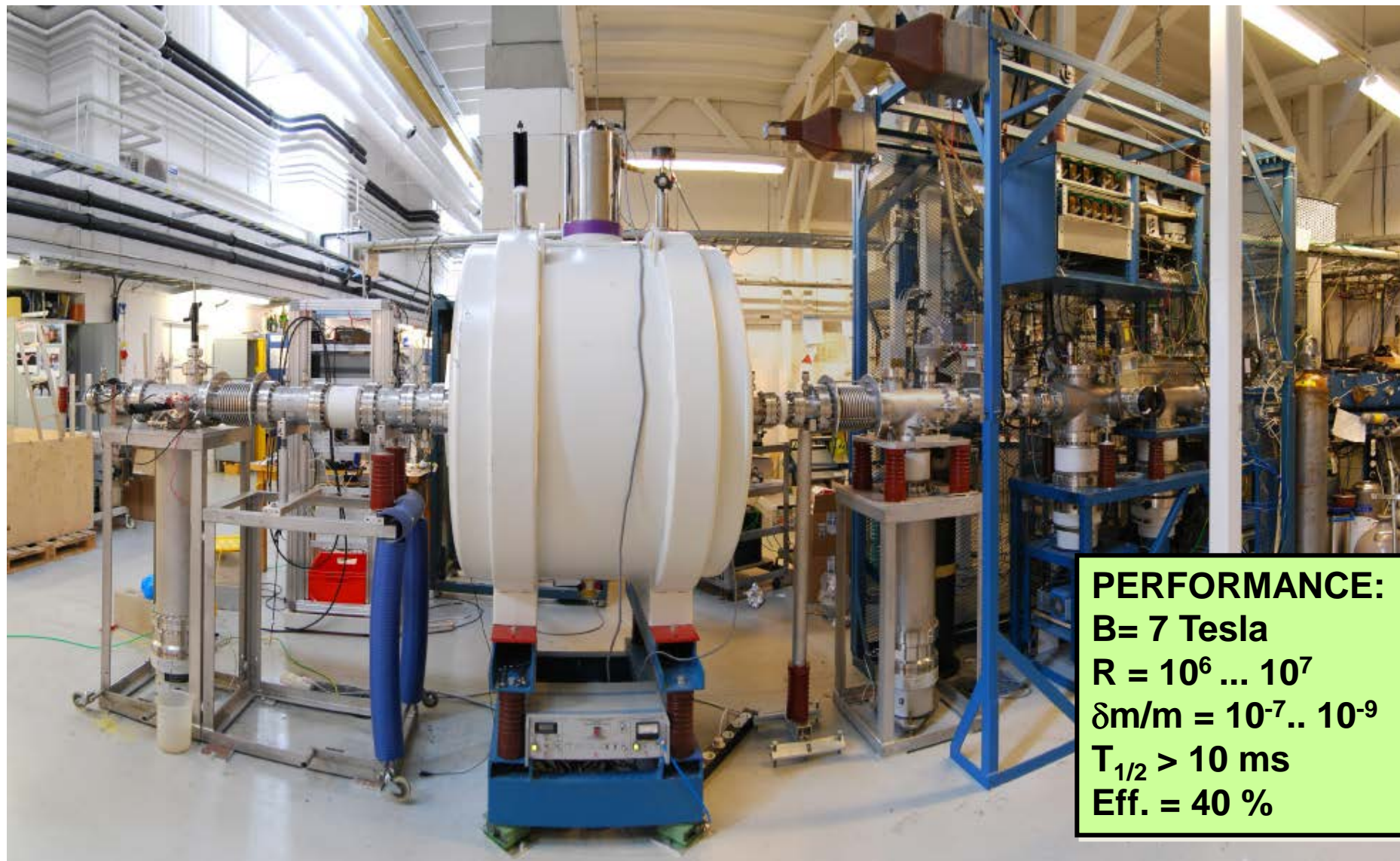
Basic equations for mass determination

$$f_c = \frac{1}{2\pi} \cdot \frac{q}{m} \cdot B$$

$$\frac{f_{c,\text{ref}}}{f_c} = \frac{m - m_e}{m_{\text{ref}} - m_e}$$

Routinely  $M/\Delta M \sim 10^5$   
 Space charge limit  $\sim 10^5$   
 Good/Bad  $\sim 10000$

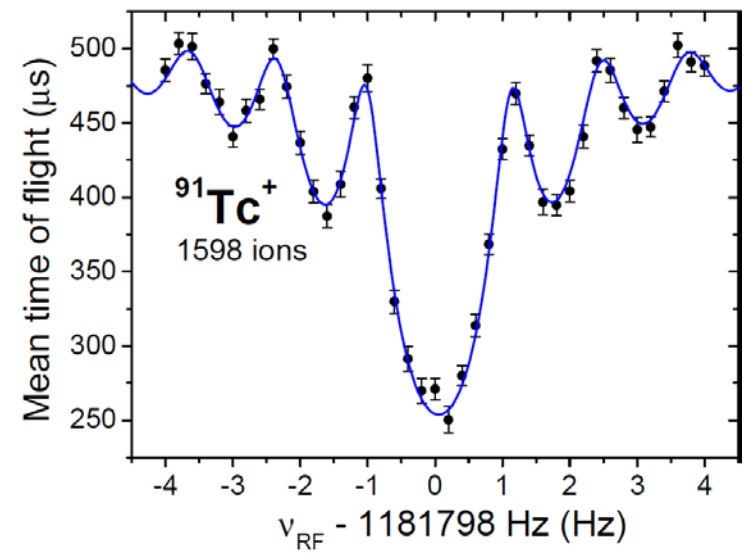
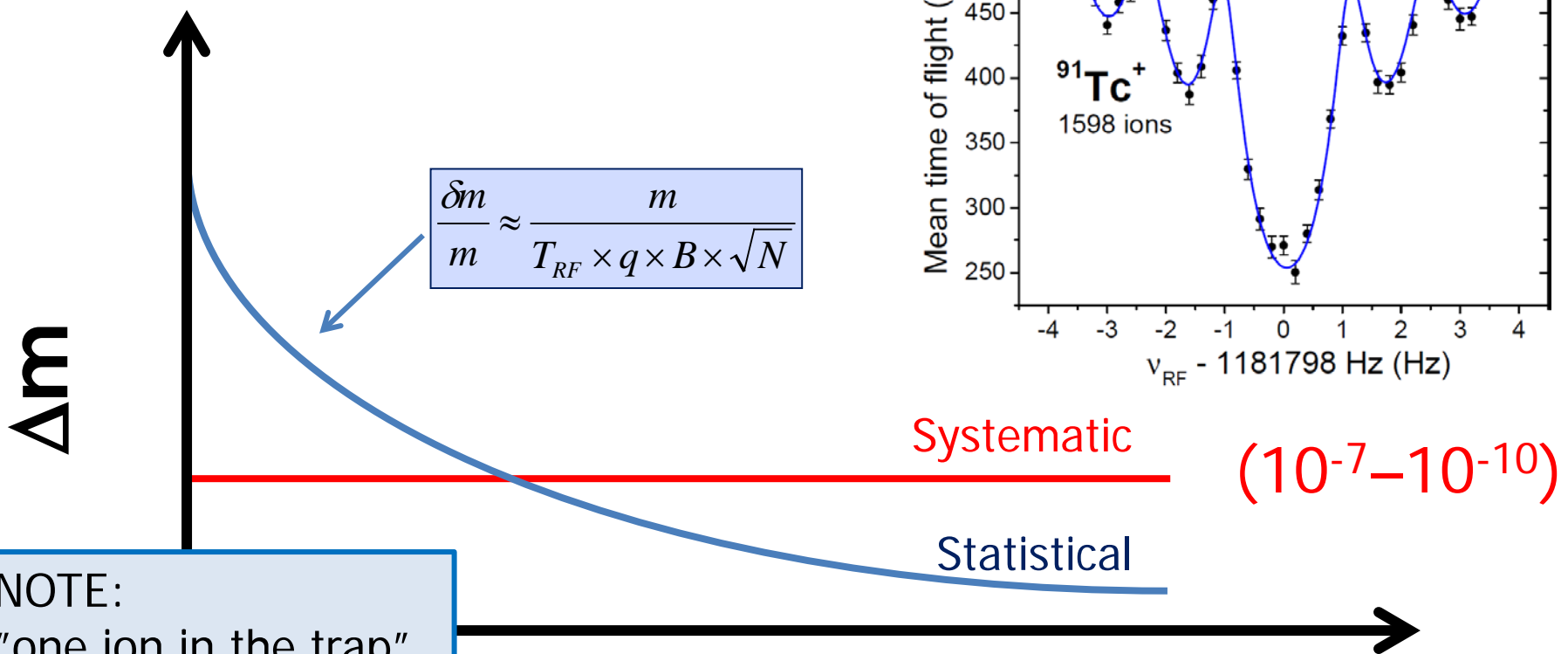
Routinely few keV  
 If required few tens of eV ( $\delta m/m < 1 \cdot 10^{-8}$ )



**PERFORMANCE:**  
**B = 7 Tesla**  
 **$R = 10^6 \dots 10^7$**   
 **$\delta m/m = 10^{-7} \dots 10^{-9}$**   
 **$T_{1/2} > 10 \text{ ms}$**   
**Eff. = 40 %**



# Statistics, systematics and ion rates



NOTE:  
 "one ion in the trap"  
 → Intensity increase  
 don't shorten the  
 measurement time !

**Statistics**

Systematic (10<sup>-7</sup>–10<sup>-10</sup>)

Statistical



**Absolute mass:** 
$$B\left({}_Z^A X_N\right) = Zm_H c^2 + Nm_n c^2 - M\left({}_Z^A X_N\right) c^2$$

High-accuracy mass measurements allow one to determine the atomic and nuclear binding energies reflecting all forces in the atom/nucleus

## Mass differences:

### *First order derivatives*

Nucleon (s.p) binding energy (drip-line definition)

Nucleon-pair binding energy ( $S_{2N}$ )

Decay energy ( $Q_\beta$ ,  $Q_\alpha$ )

Coulomb displacement energy (Isospin multiplets)

### *Second order derivatives*

Pairing energy (odd-even staggering)

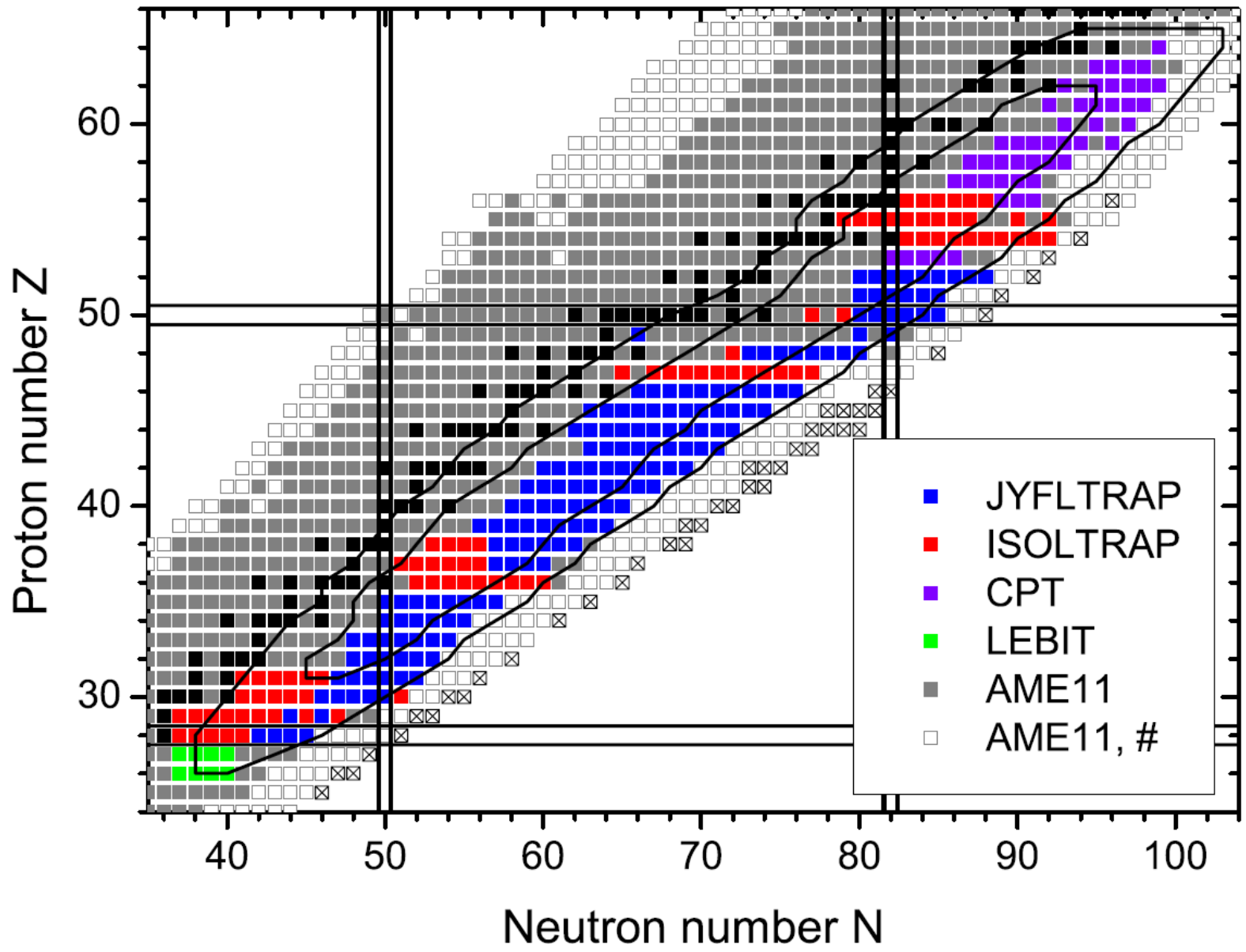
Shell-gap energy – shell survival for exotic nuclei ?

(atomic masses and/or Q-values)

- **Nuclear structure (10-100 keV)**
  - Global correlations (100 keV)
  - Local correlations (10 keV)
    - shell structure, spin-orbit interaction, pairing, collectivity
  - Drip-line phenomena, halos, isomers (1 keV)
  
- **Nuclear astrophysics ( $\geq 1$  keV)**
  
- **Charge symmetry in nuclei ( $\leq 1$  keV)**
  - Isospin multiplets
  - Coulomb energy differences
  
- **Test of Standard Model ( $\leq 100$  eV)  $\delta m/m < 1 \cdot 10^{-9}$** 
  - Nuclear  $\beta$  decay. Electroweak interaction
    - CVC theory and unitarity of CKM matrix
    - Double  $\beta$  decay



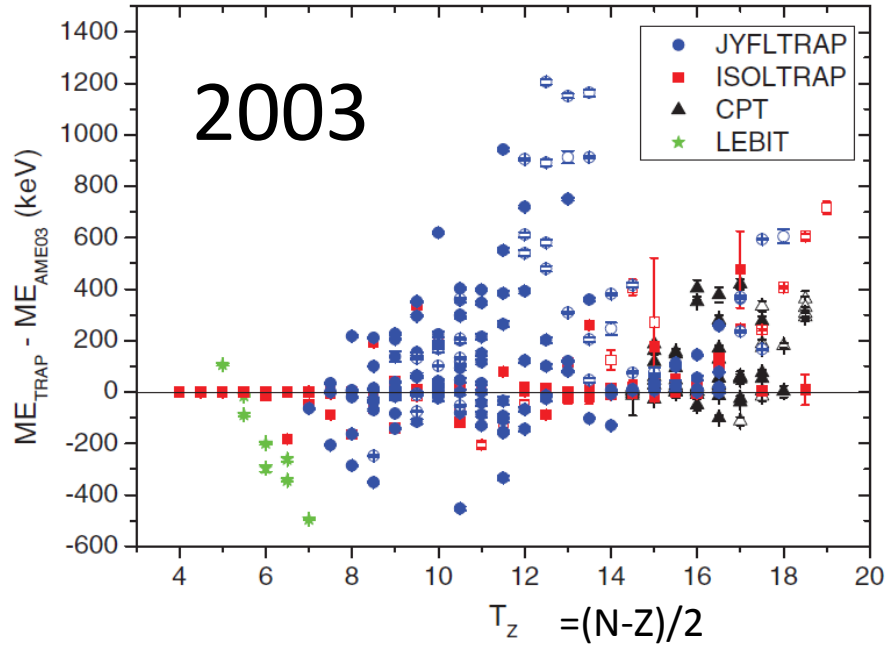
# PT measurements of fission fragments





# AME vs. PT data (n-rich nuclei)

A. Kankainen, J. Äystö and A. Jokinen, J. Phys. G 39 (2012) 093101

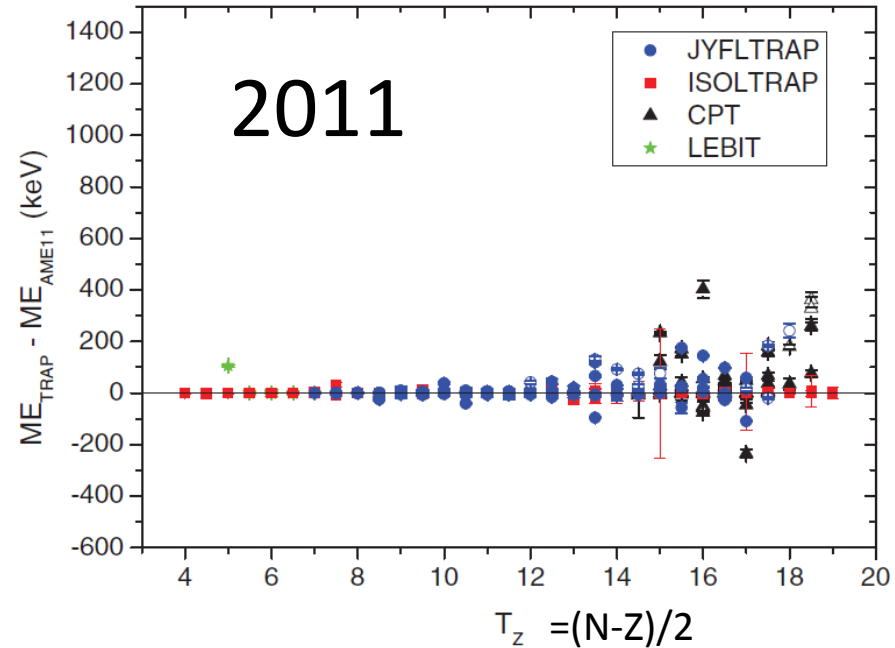
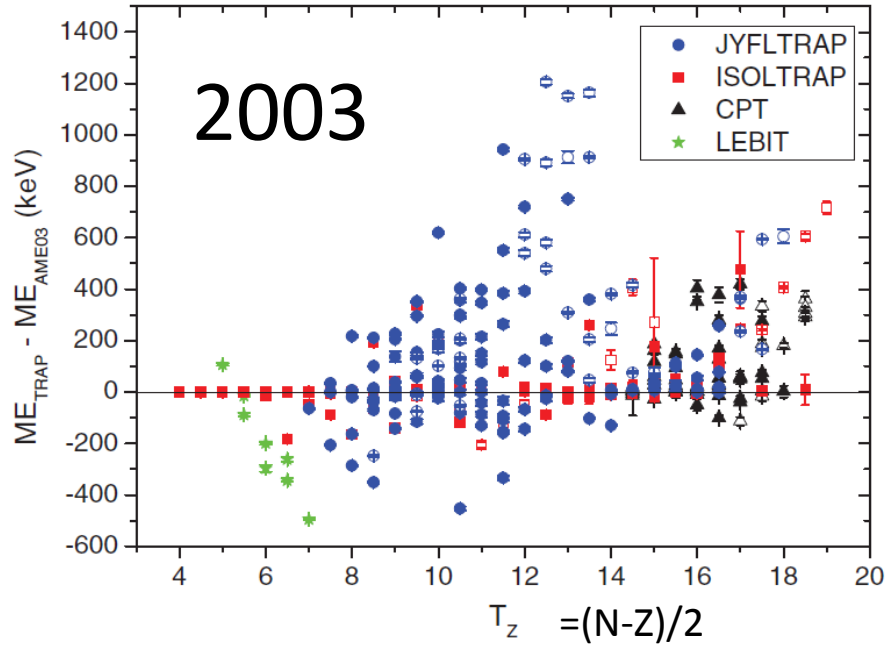






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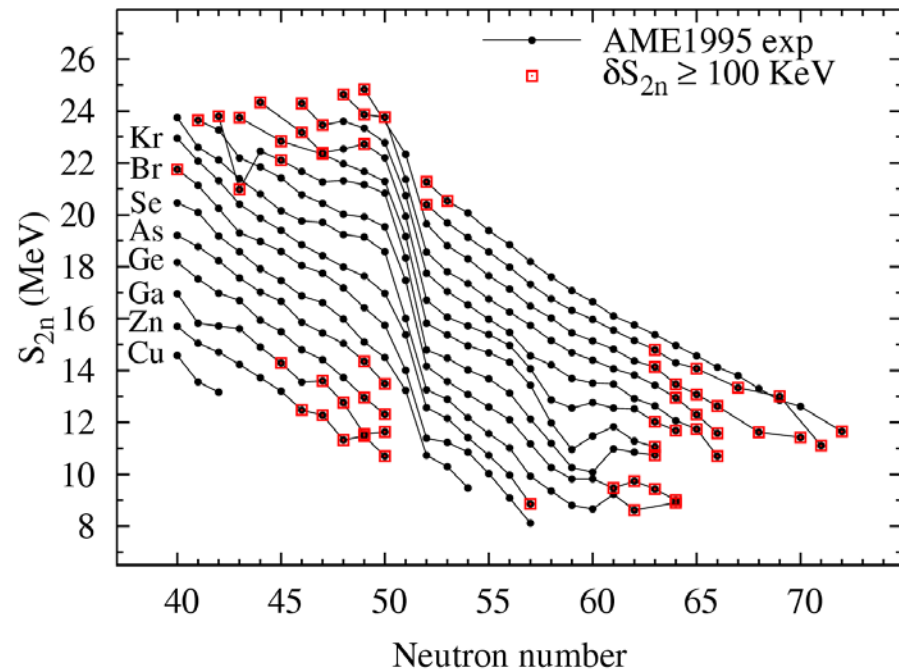
A. Kankainen, J. Äystö and A. Jokinen, J. Phys. G 39 (2012) 093101



New results deviate less from the AME11 values than the Penning-trap measurements in general from the AME03.

# Two-neutron separation energy $S_{2n}$

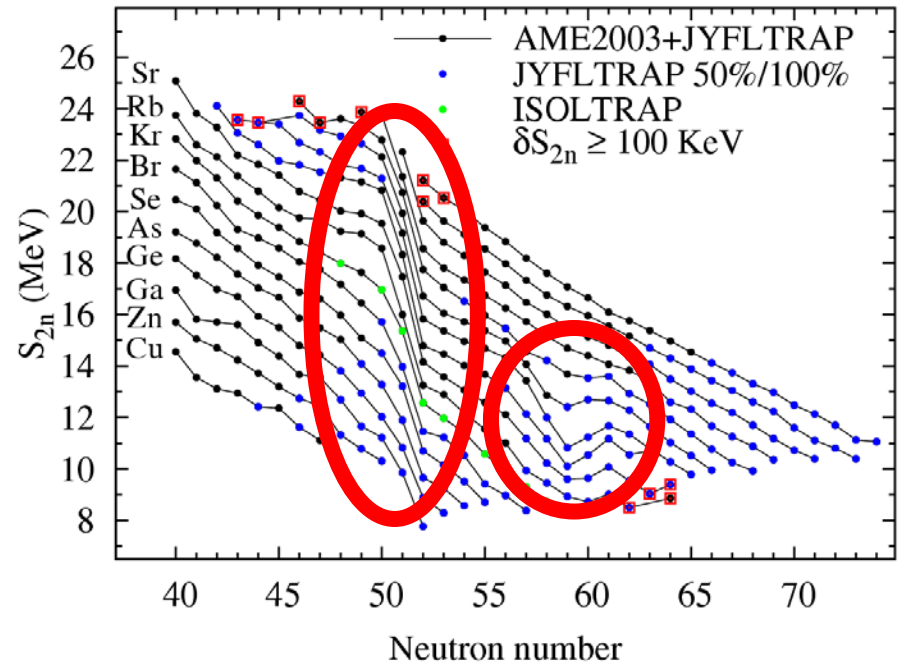
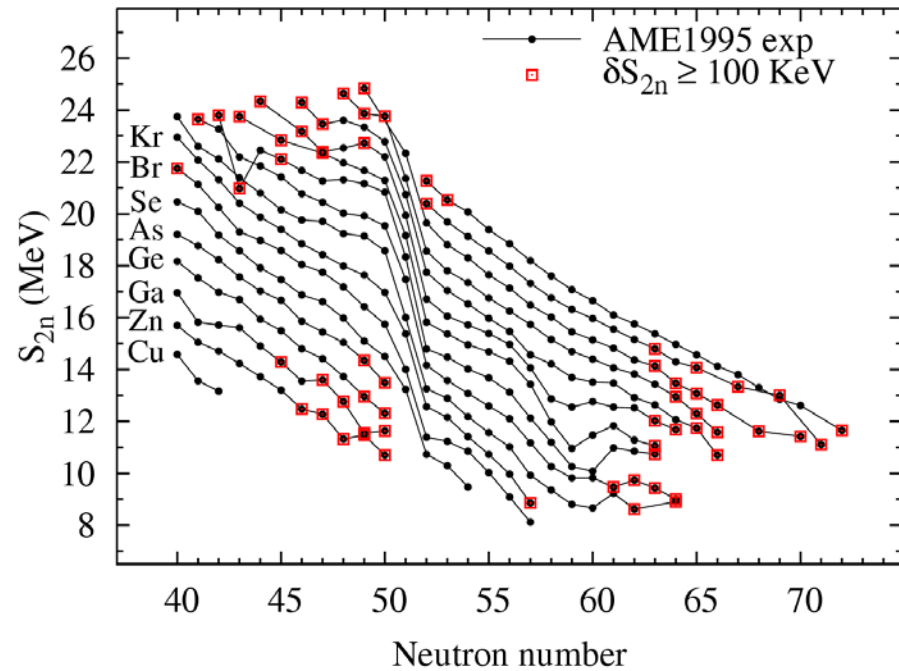
$$S_{2n}(N, Z) = B(N, Z) - B(N - 2, Z)$$





# Impact of the new data, e.x. $S_{2n}$ values

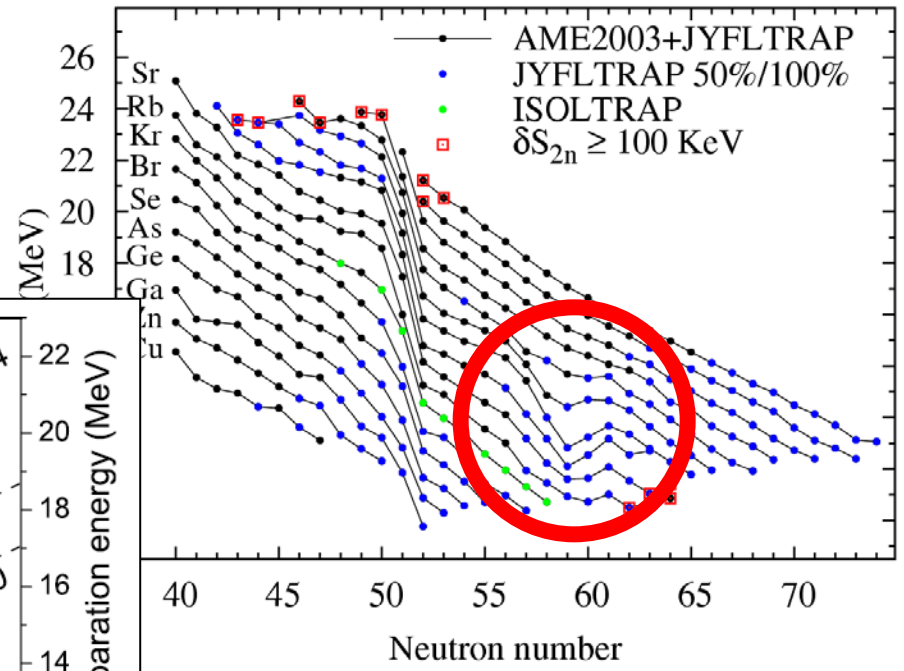
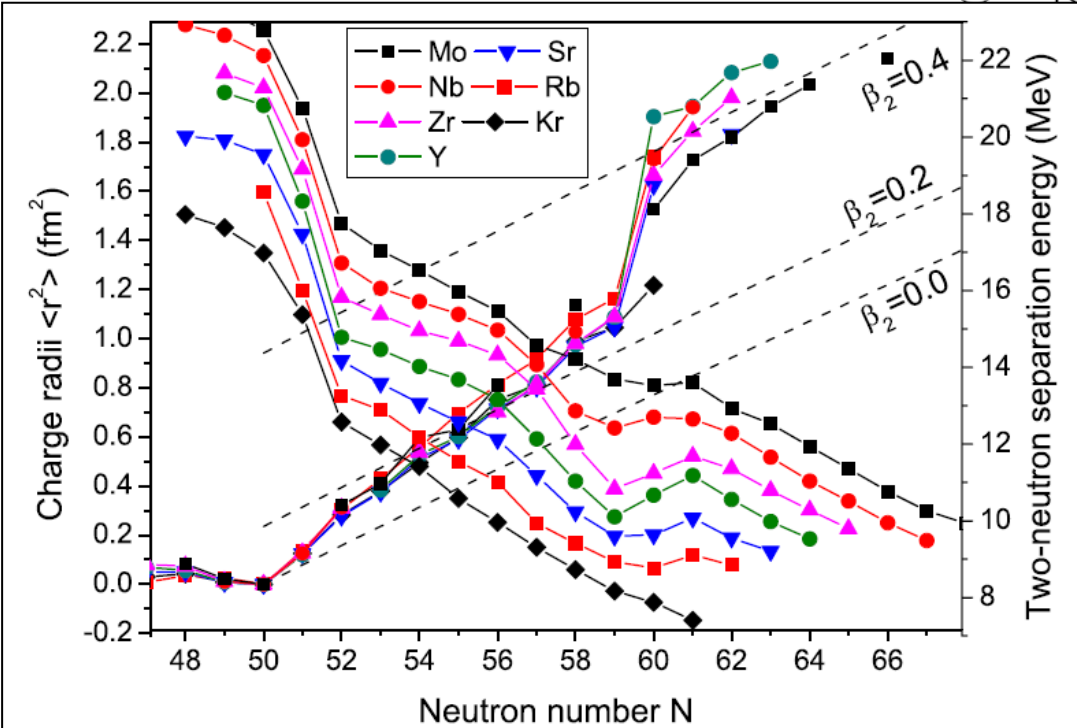
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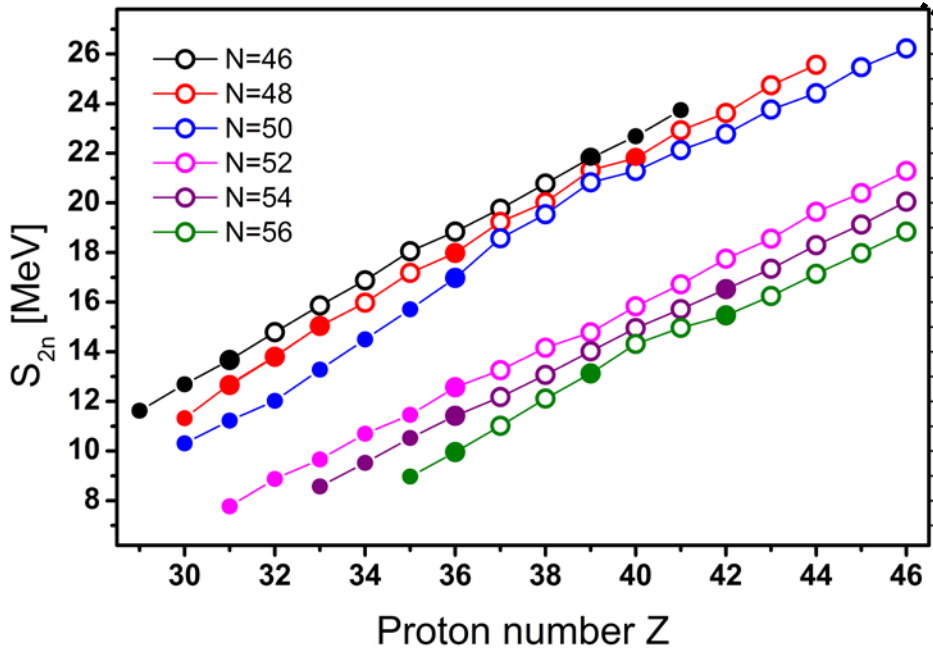
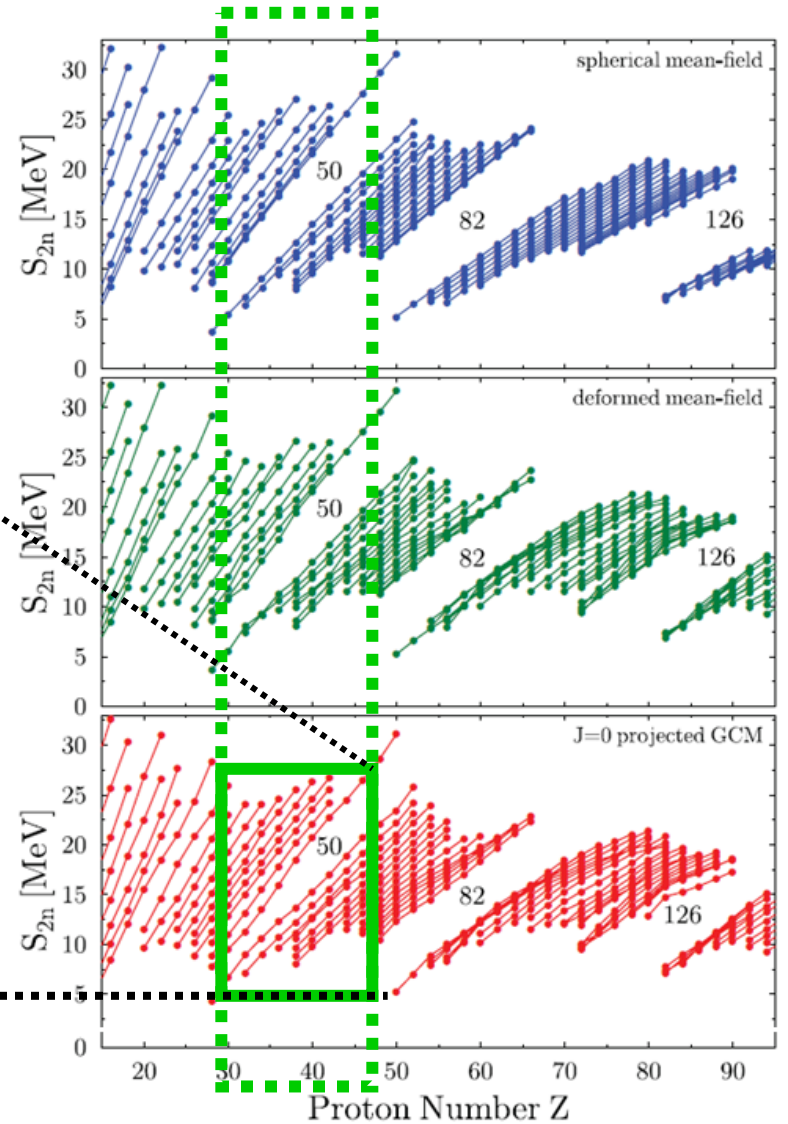
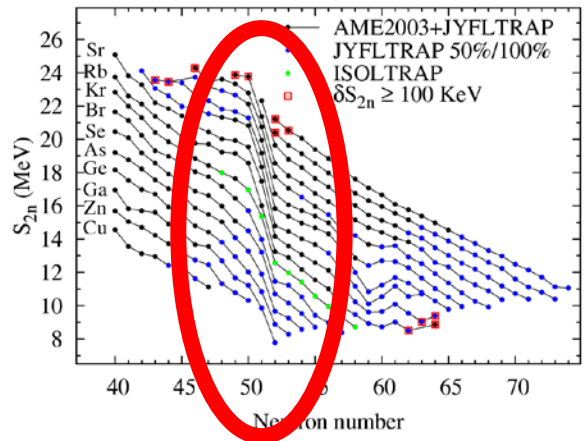


**Collinear laser spectroscopy:**  
 PRL 89 (2002) 082501  
 PLB 645 (2007) 133  
 PLB 674 (2009) 23  
 PRL 102 (2009) 222501





# Evolution of N=50 shell gap



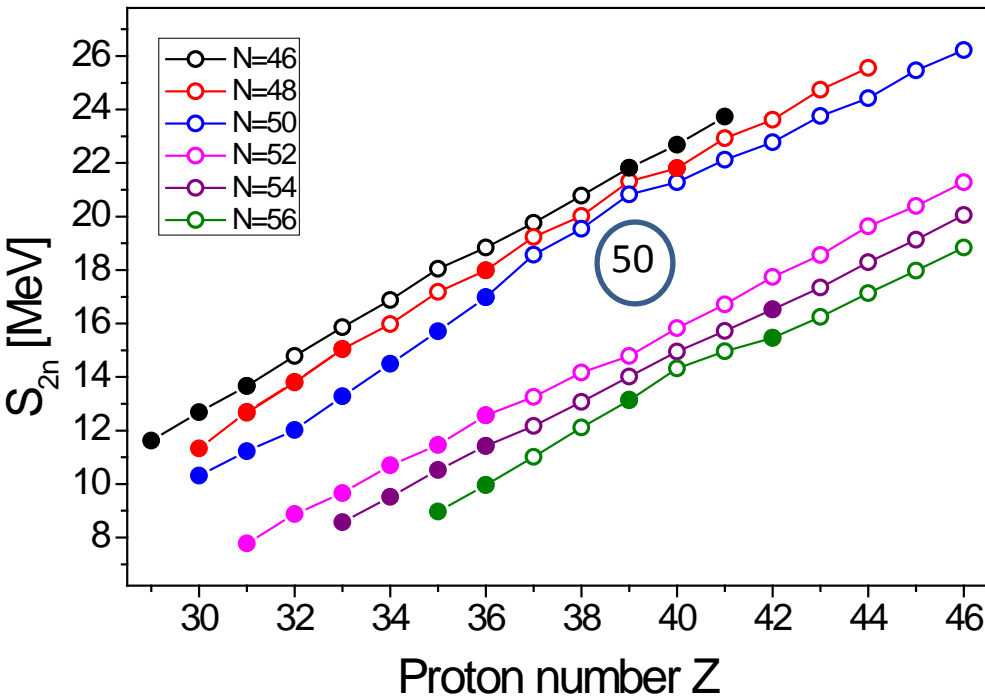
J. Hakala et al. PRL 101 (2008) 052502  
 +  $^{81}\text{Zn}$ : S. Baruah et al., PRL 101 (2008) 262501

M. Bender et al. PRC 78 (2008) 054312

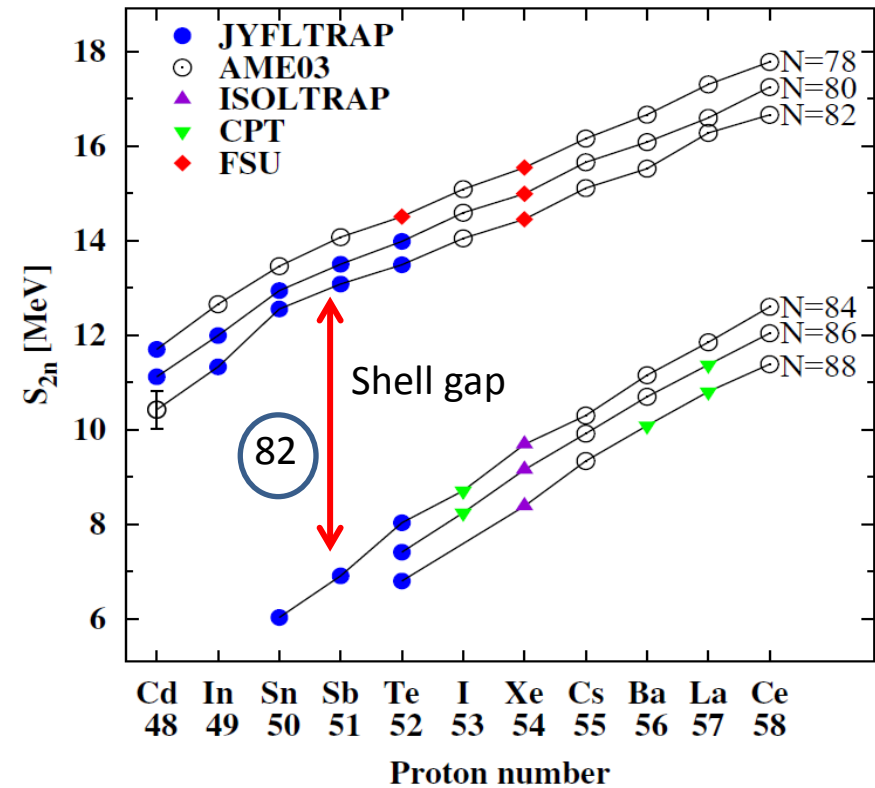
# Evolution of shell gaps

$$\delta_{2n}(N_0) = S_{2n}(Z, N_0) - S_{2n}(Z, N_0 + 2)$$

Two-neutron shell gap for N=50

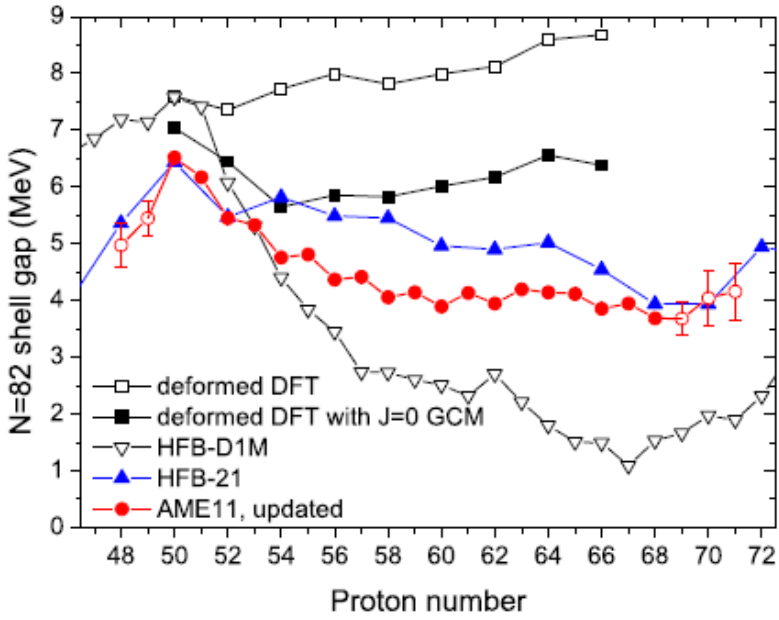
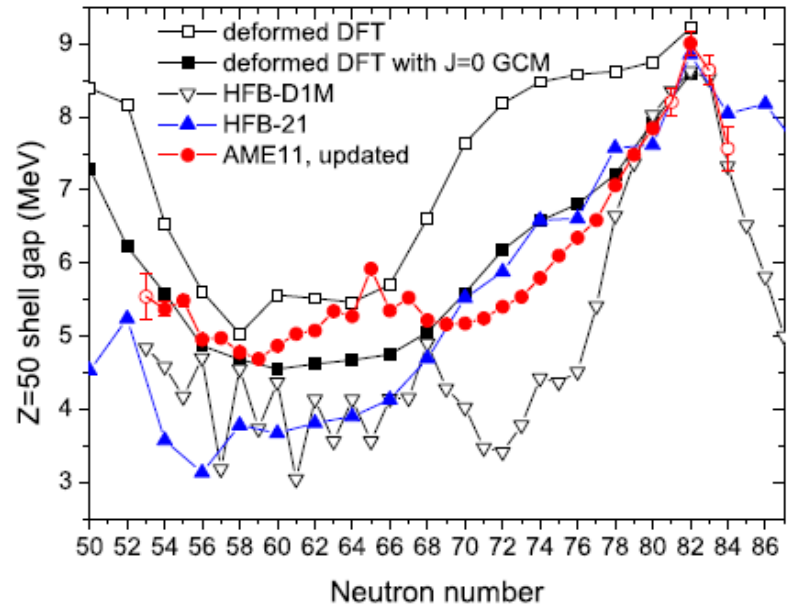
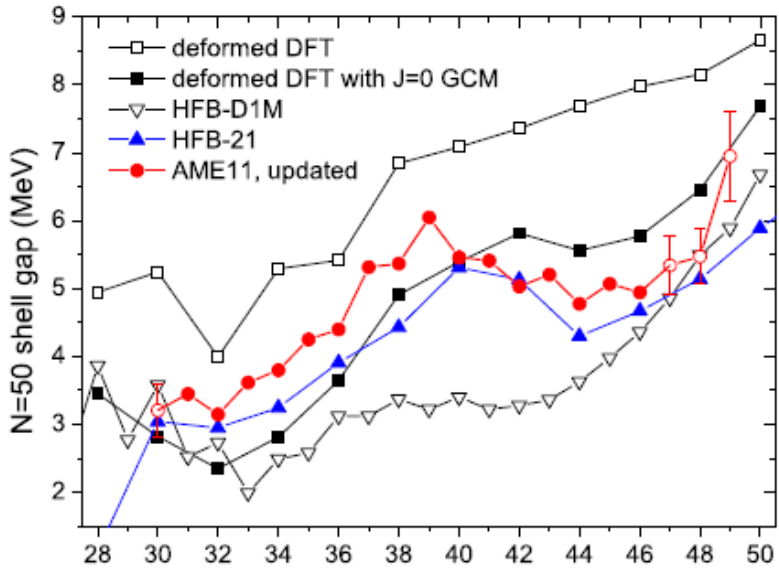


Two-neutron shell gap for N=82





# Shell gaps at Z=50, N=50 and N=82



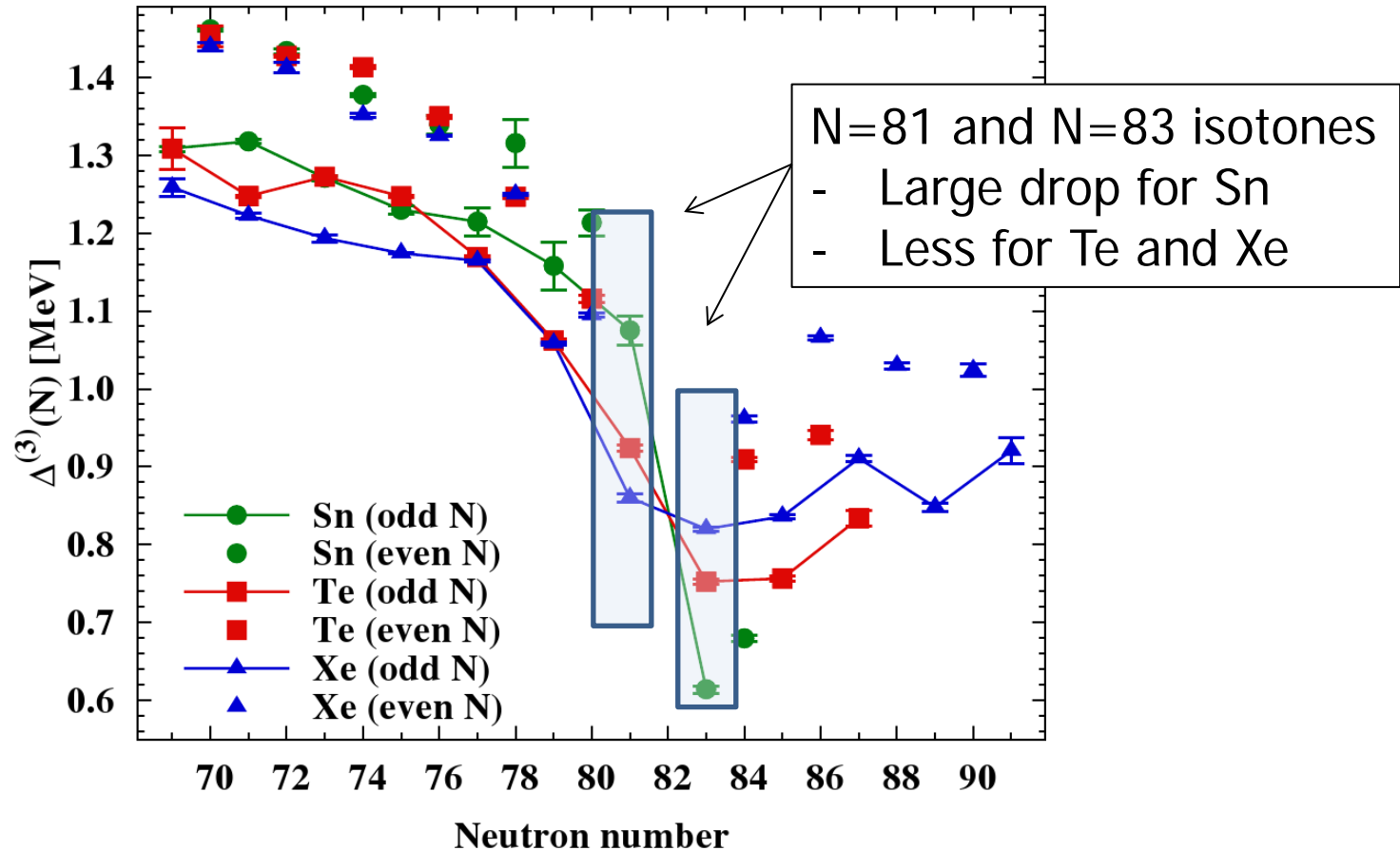
Shell gap equation:  

$$\delta_{2n}(N_0) = S_{2n}(Z, N_0) - S_{2n}(Z, N_0 + 2)$$

1. Persistence of N=82 shell gap
2. Reproduction of the data requires inclusion of dynamical correlations

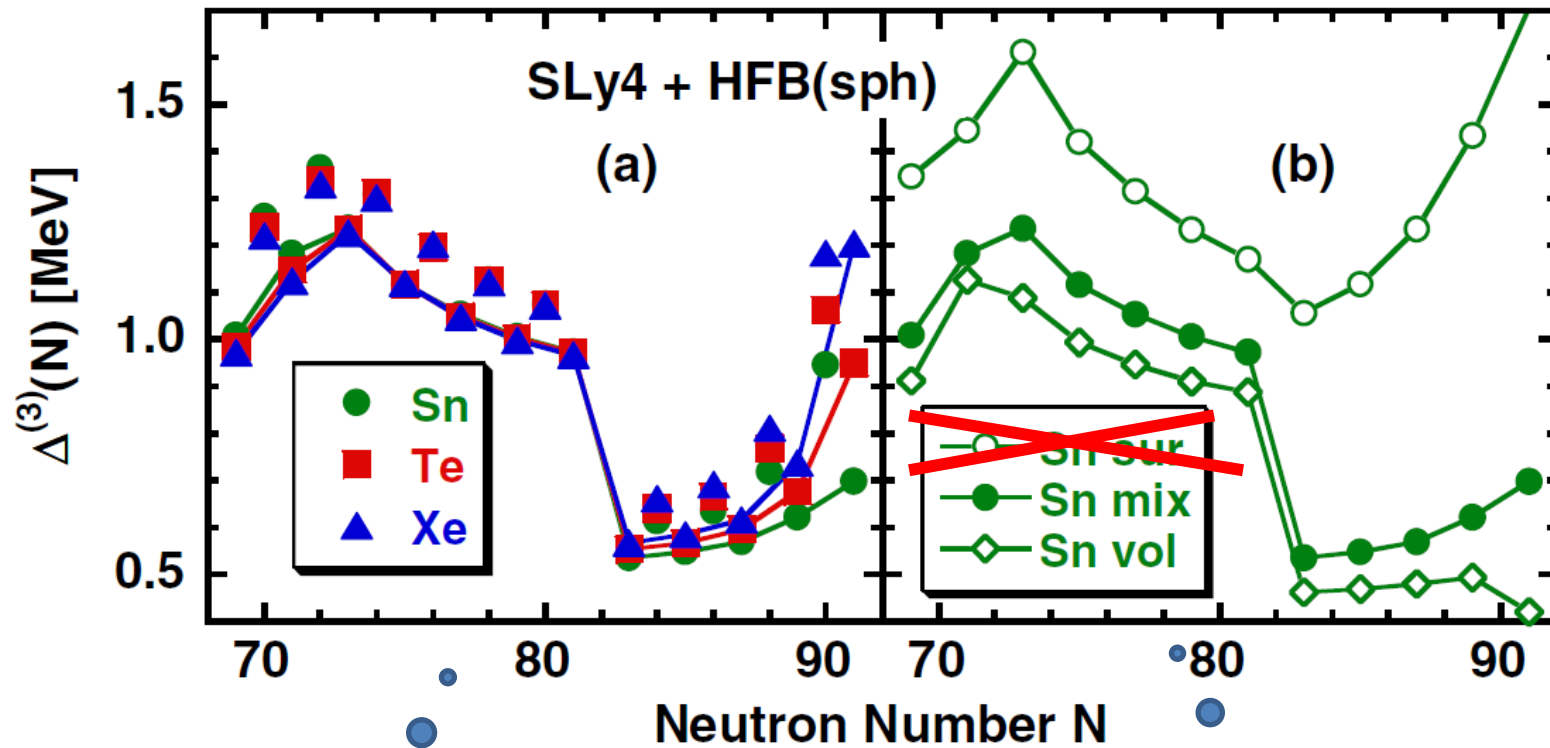
# Odd-even mass staggering; a measure of empirical pairing gap

$$\Delta^{(3)}(N) = (-1)^N [E(N+1) - 2E(N) + E(N-1)]/2$$





# Spherical EDF calculations around $^{132}\text{Sn}$

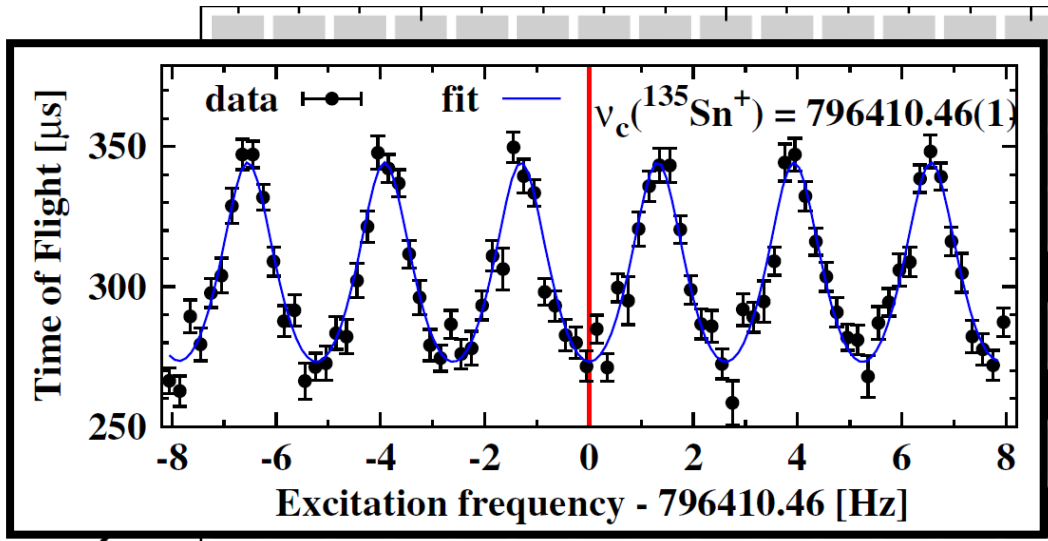


Spherical approach  
→ Sn isotopes

Pairing options (Sn):  
Pure surface pairing  
excluded

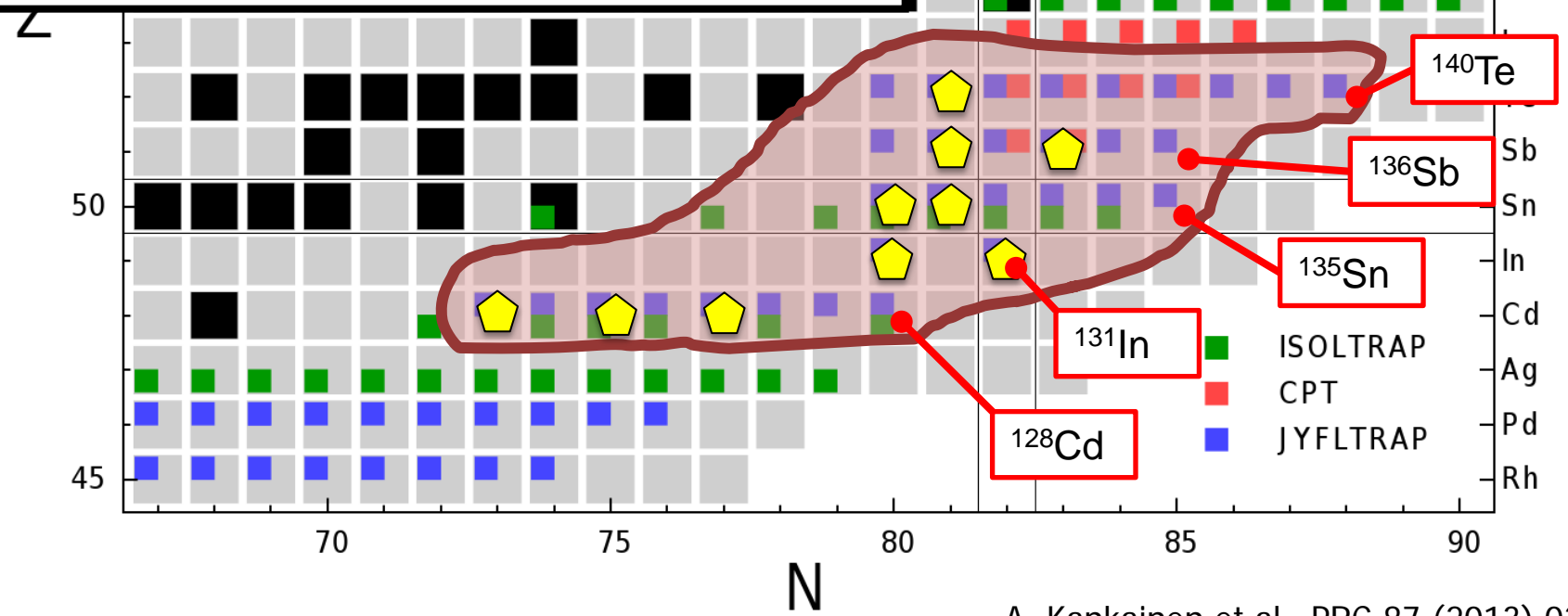


# Isomeric states close to $^{132}\text{Sn}$ , $T_{1/2} > 100$ ms



DIPOLE RAMSEY CLEANING  
 T. Eronen et al., NIM. B 266 (2008) 4527

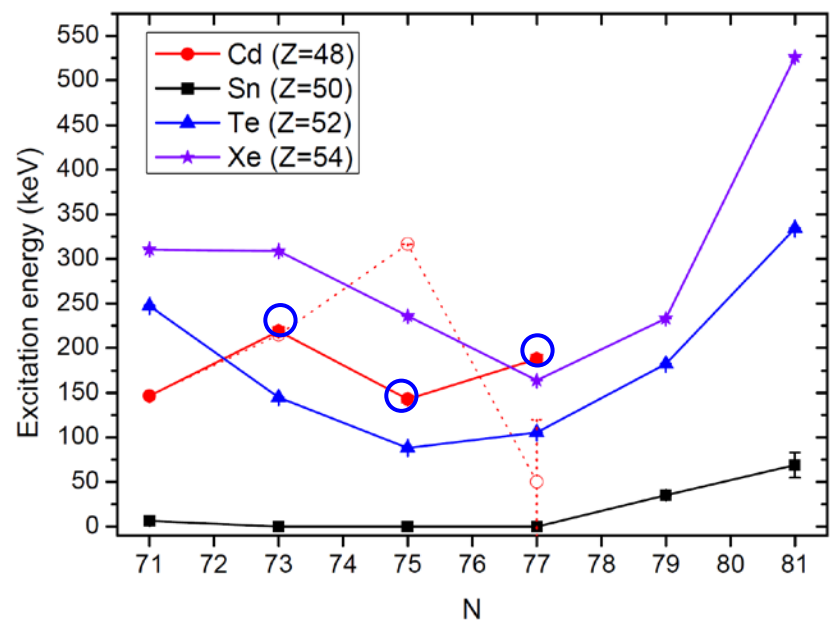
$m/\Delta m \approx 10^6$  can be achieved !



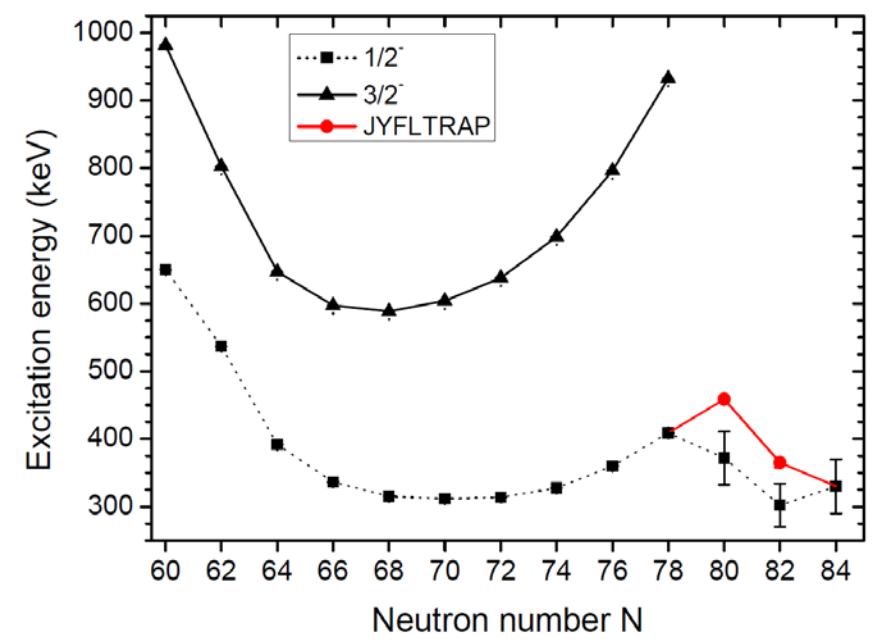


# Single-particle states close to $^{132}\text{Sn}$

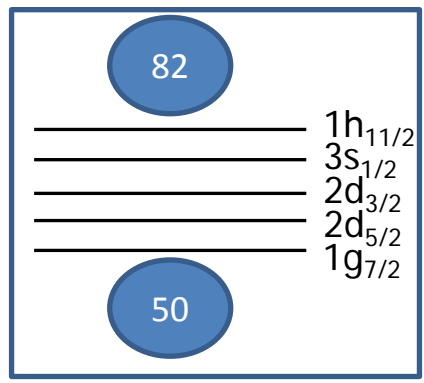
SYSTEMATICS of the  $11/2^-$  state



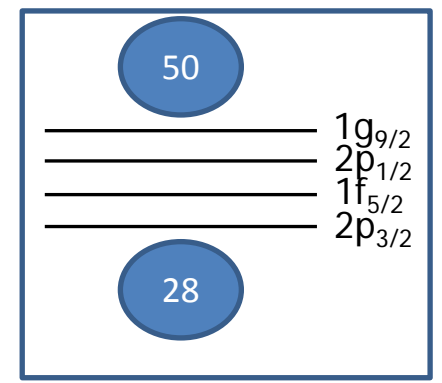
SYSTEMATICS of the  $1/2^-$  state



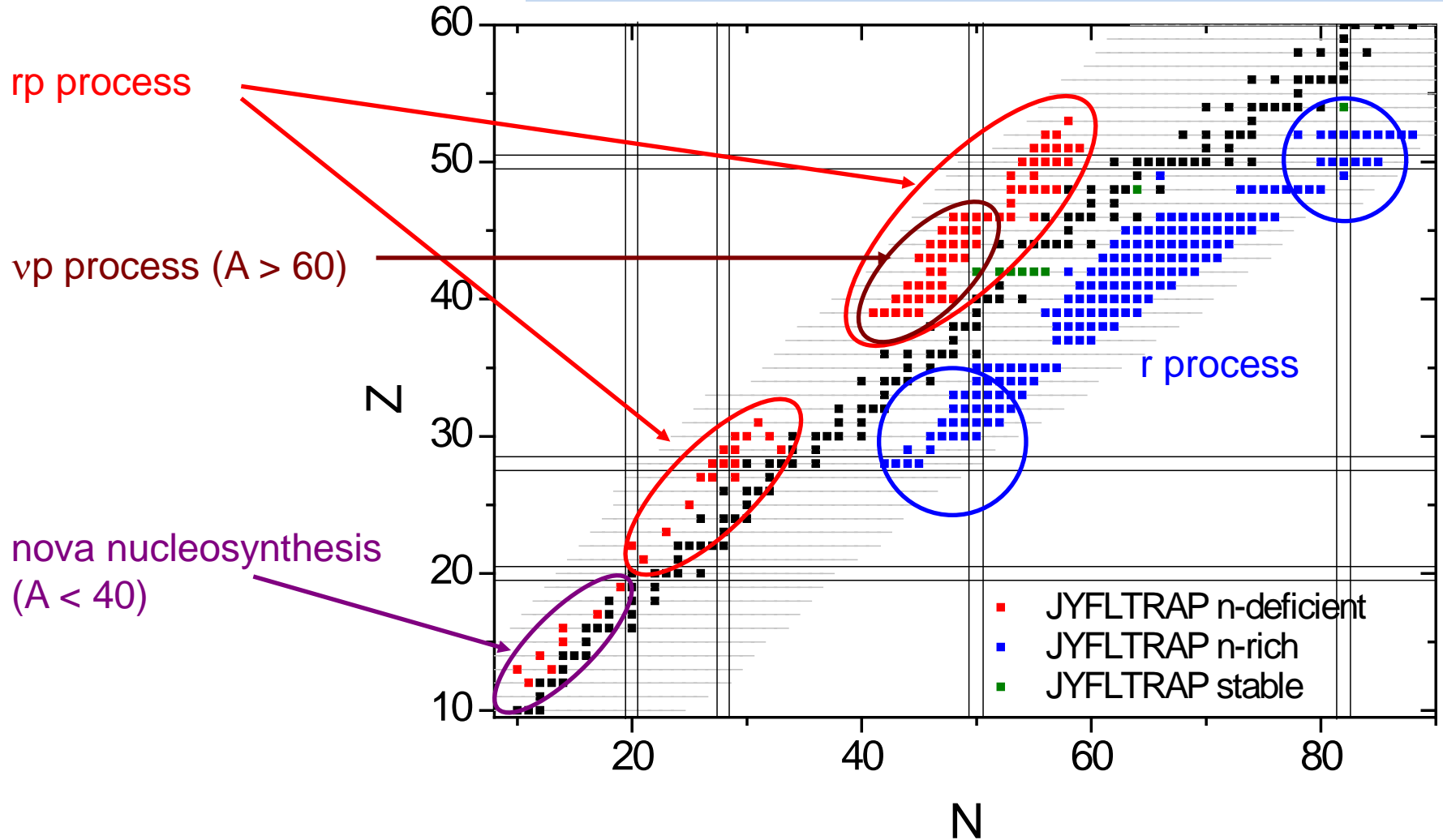
Odd neutron in the  $1h_{11/2}$  shell  
Cd isomers relocated  $\rightarrow$  trend similar to Te isomers



In (Z=49) proton-hole in the  $2p_{1/2}$  shell  
Old Q-value based energies corrected



Masses  $\rightarrow$  reaction rates  $\rightarrow$  path, abundance pattern,...





Astrophysical reaction rate for a (p,γ) resonant capture

$$N_A \langle \sigma v \rangle_r = 1.54 \times 10^{11} (\mu T_9)^{-3/2} \sum_i (\omega \gamma)_i \times \exp(-11.605 E_i / T_9) \text{ cm}^3 \text{ mol}^{-1} \text{ s}^{-1}$$

$$E_i = E_x - S_p$$

Abundances (Saha-equation)

$$\frac{Y(Z+1, N)}{Y(Z, N)} \propto \exp\left(\frac{S_p(Z+1, N)}{kT}\right)$$

Beta-decay rates are strongly mass dependent

$$\lambda_\beta \sim Q^5$$



# Reaction rate of $^{25}\text{Al}(p,\gamma)^{26}\text{Si}$

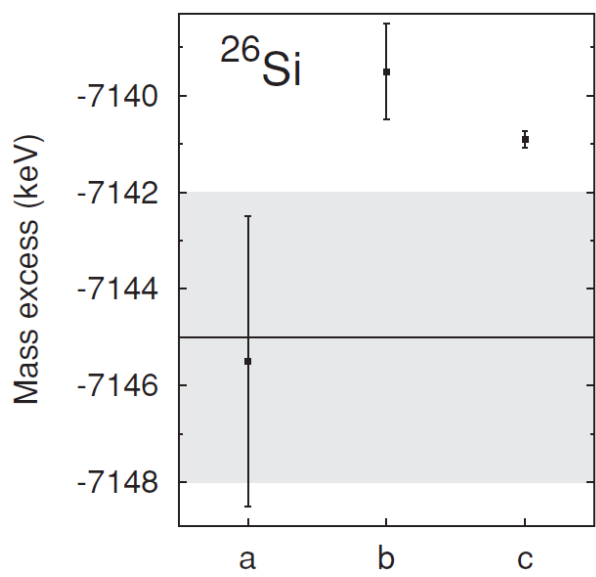
Important reaction to bypass  $^{26}\text{Al}$  production in MgAl cycle. Resonant proton captures to excited states above proton threshold

### Need to know:

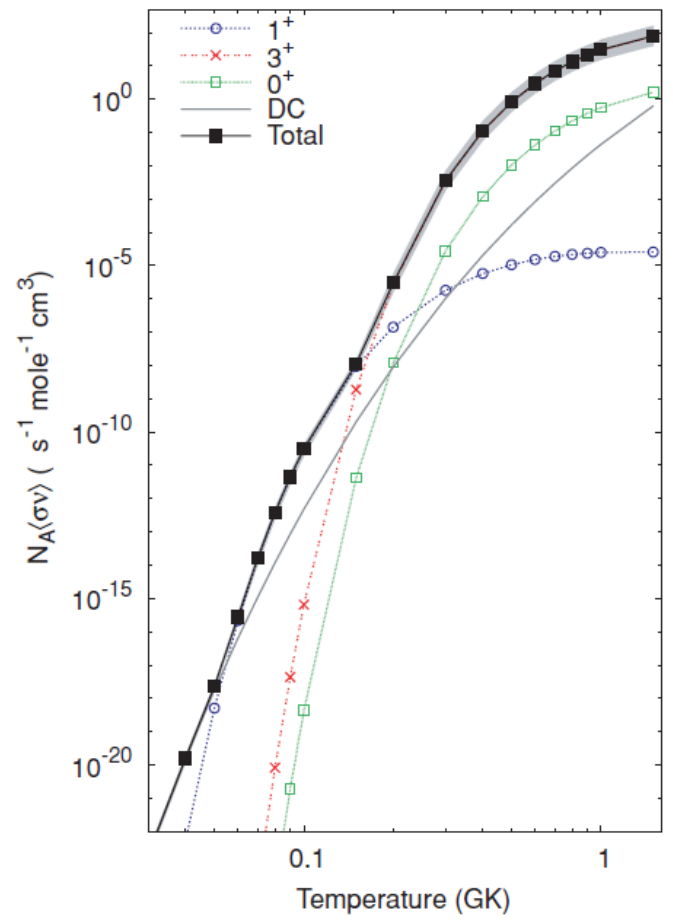
- Energies of the final states
- Width of the initial and final state
- Proton separation energy  $S_p=5513.7(5)$  keV**

$$N_A \langle \sigma v \rangle_r = N_A \left( \frac{2\pi}{\mu kT} \right)^{3/2} \hbar^2 \sum_i (\omega\gamma)_i \exp \left[ -E_{r,i}/(kT) \right]$$

$$E_r = E_x - S_p$$



(a) J. C. Hardy et al., Phys. Rev. C 9, 252 (1974)  
 (b) A. Parikh et al., Phys. Rev. C 71, 055804 (2005)  
 (c) JYFLTRAP



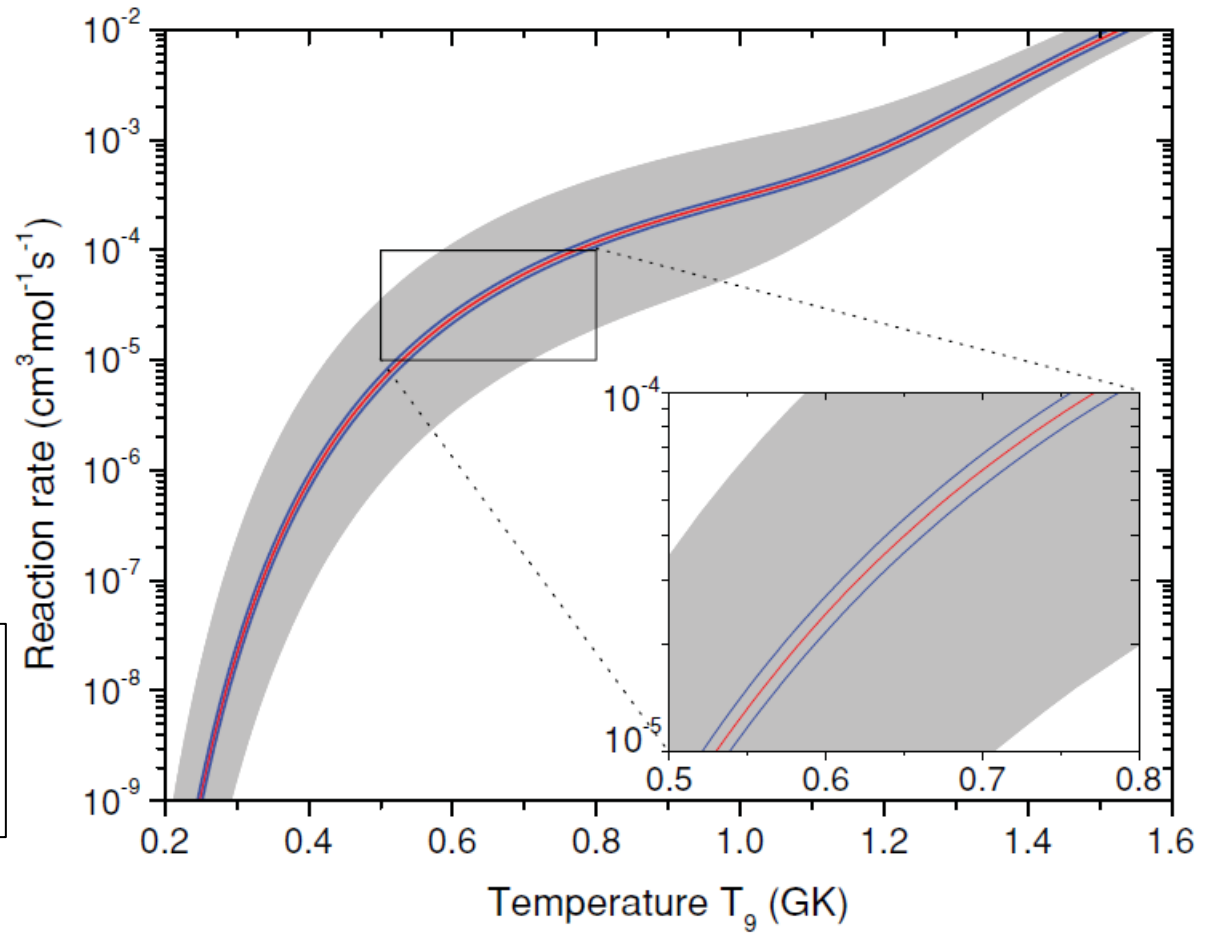
JYFLTRAP:  
 $Q_{(p,\gamma)} = 689.7(5) \text{ keV}$

vs

AME03:  
 $Q_{(p,\gamma)} = 695(19) \text{ keV}$

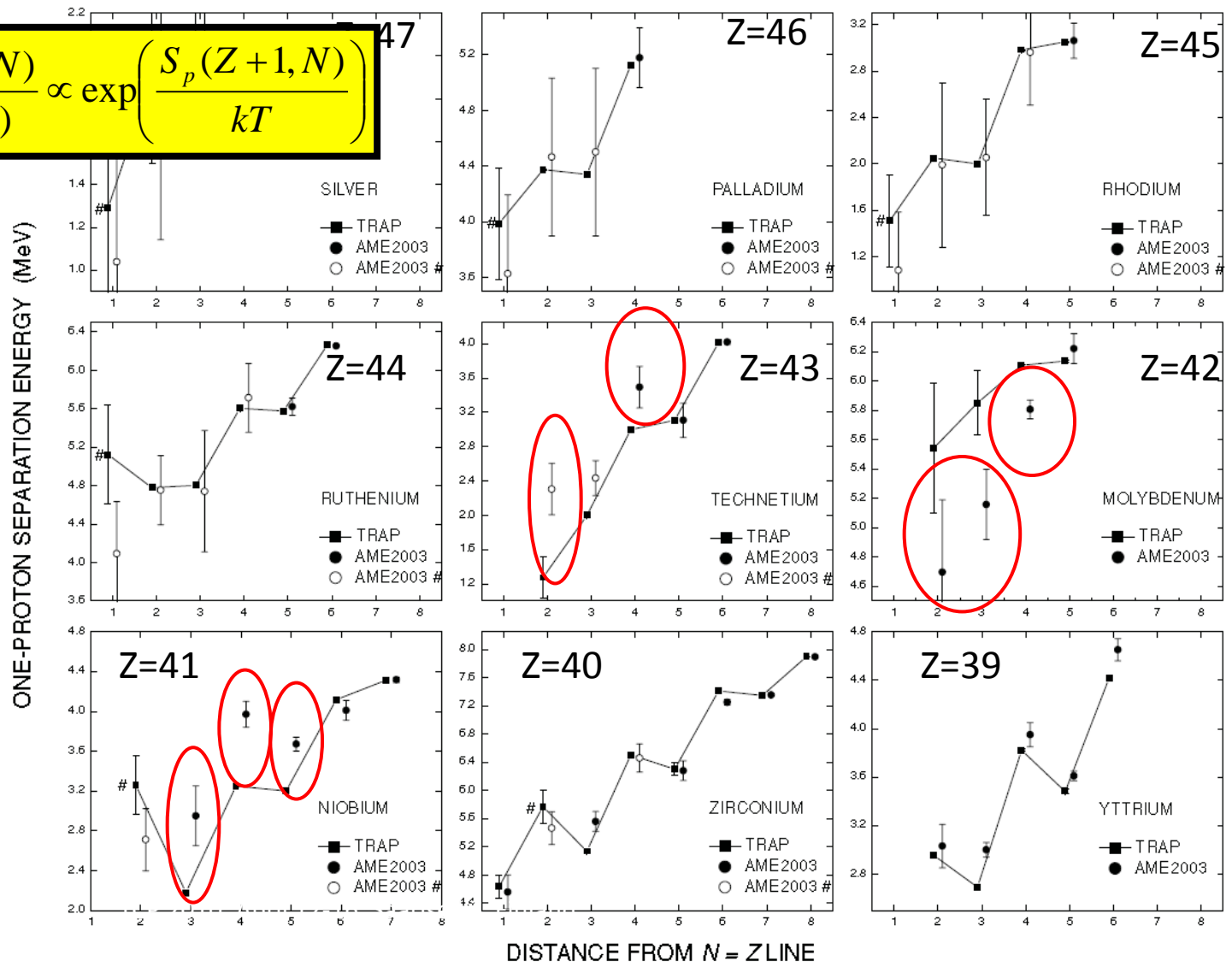


rates very similar  
but  
uncertainties much smaller



# Proton separation energies $S_p$

$$\frac{Y(Z+1, N)}{Y(Z, N)} \propto \exp\left(\frac{S_p(Z+1, N)}{kT}\right)$$

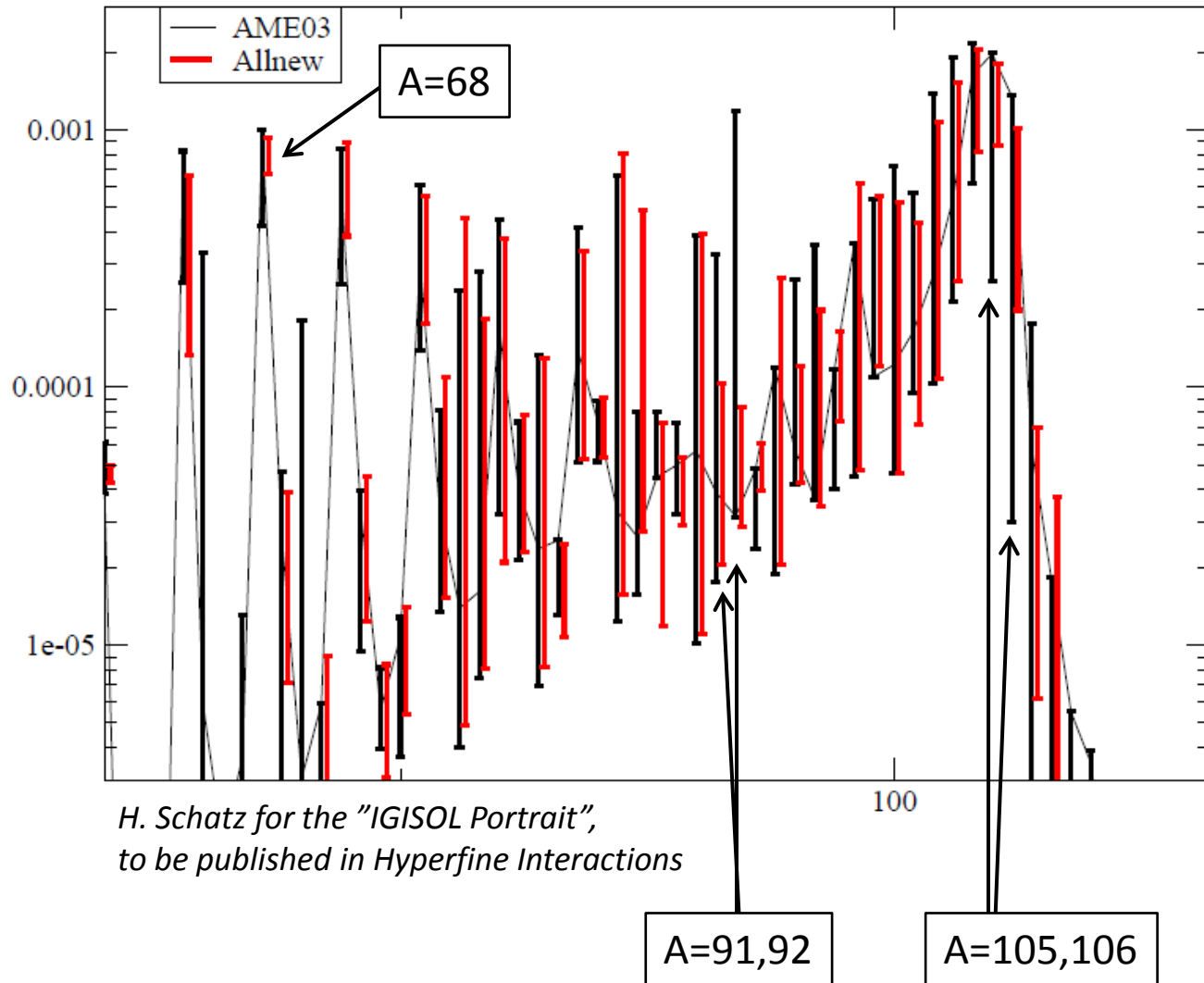


# Rp-process abundances

Penning trap measurements



uncertainties of important most abundant isotopes at  $A = 68, 91, 92, 105, 106$  drastically reduced



# Effect on the $\nu p$ process

$$\Delta ME_{\text{AME-TRAP}}(^{88}\text{Tc}) = -1031 \text{ keV}$$

$^{87}\text{Mo}(n,p)^{87}\text{Nb}$   
instead of  
 $^{87}\text{Mo}(p,\gamma)^{88}\text{Tc}$

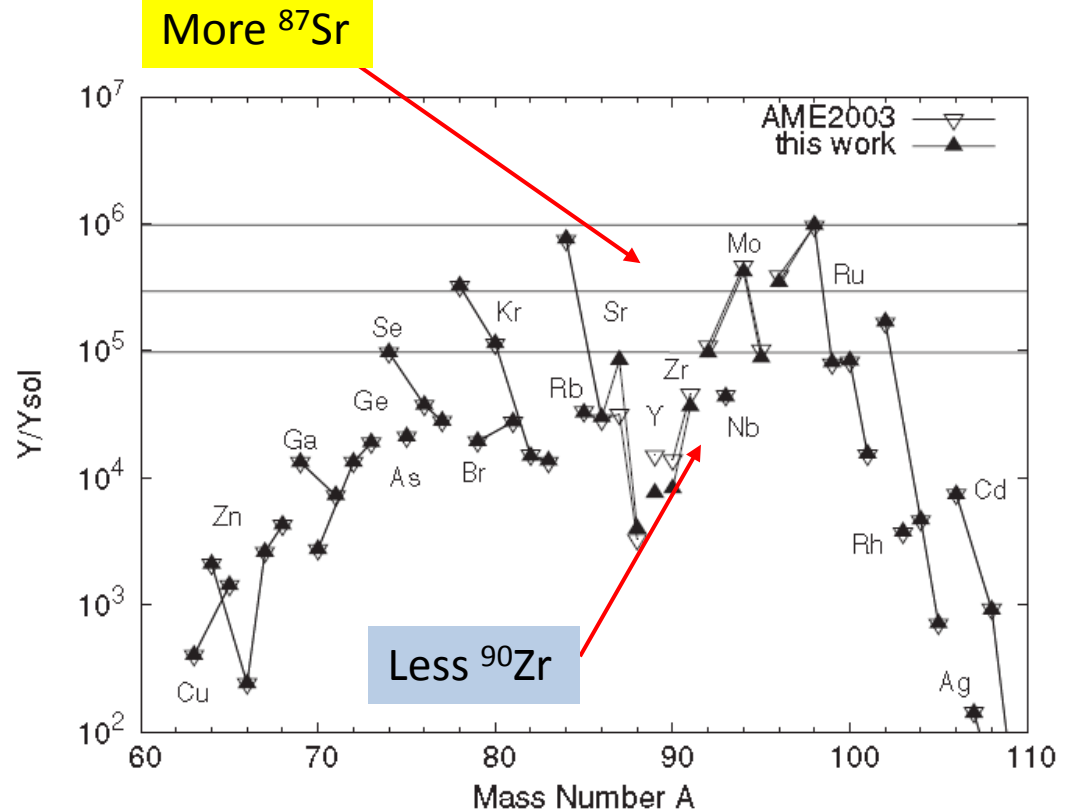
more  $^{87}\text{Nb} \rightarrow$  more  $A=87$

$$\Delta ME_{\text{AME-TRAP}}(^{90}\text{Tc}) = -486 \text{ keV}$$

increase in  $^{90}\text{Tc}(\gamma,p)^{89}\text{Mo}$

less  $^{90}\text{Tc} \rightarrow$  less  $A=90$

Final abundances after decay to stability relative to solar abundances

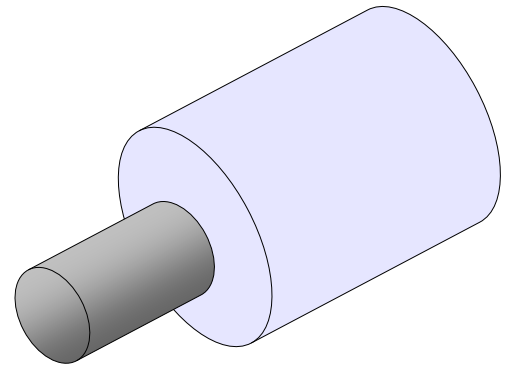
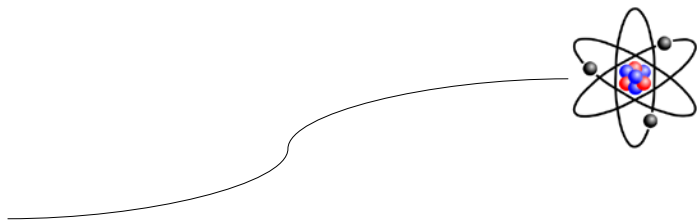




# Trap-assisted spectroscopy

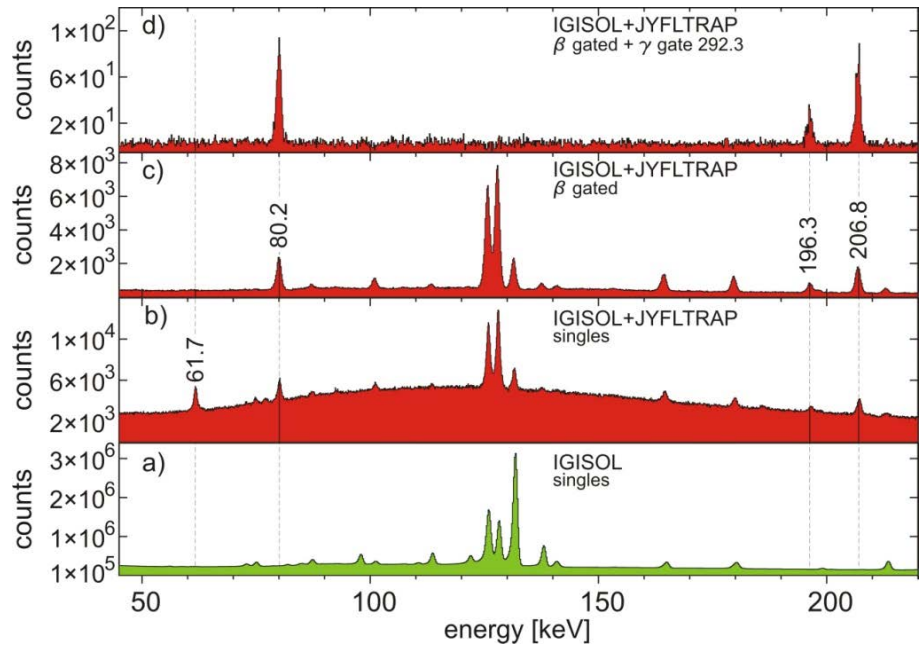
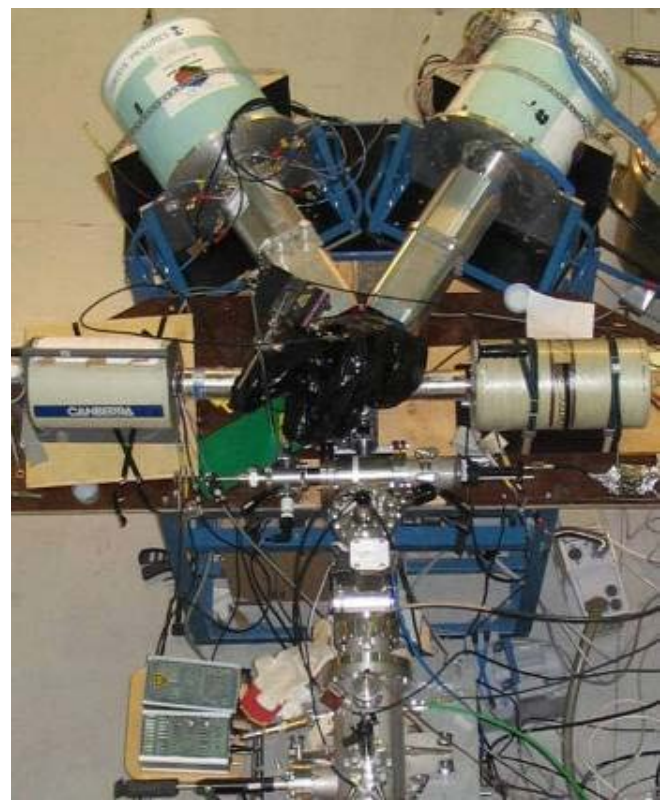
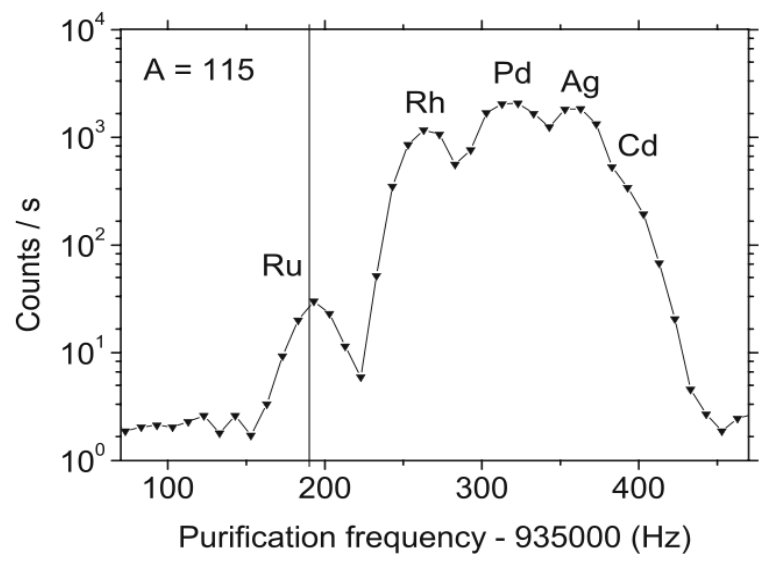
1. Precision mass measurement providing spectroscopically relevant information
2. Ion beam/cloud manipulation to improve spectroscopic measurements ("**Post-trap spectroscopy**")
  - Change of emittance, energy spread or time structure
  - Sample **purification (isobaric/isomeric)**
  - Change of the chemical element via decay in the trap
  - Change of the ionic state
3. Spectroscopy inside the trap ("in-trap spectroscopy")

TOOLS: Paul trap and Penning trap





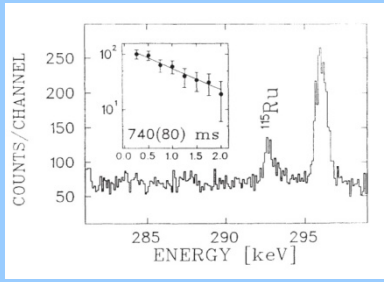
# Example: Purification in A=115





# Impact of the trap: $^{115}\text{Ru}$

IGISOL only

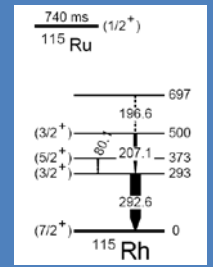
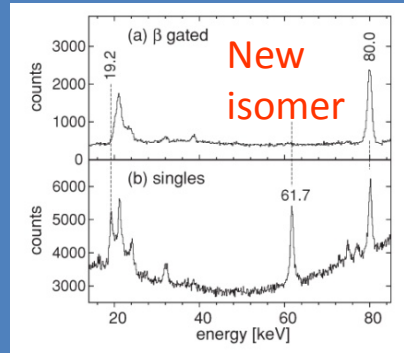


1992

IGISOL experiment  
292.8 keV gamma line  
 $t_{1/2} = 740(80)$  ms ??

J. Äystö et al., PRL 69, 1167 (1992)

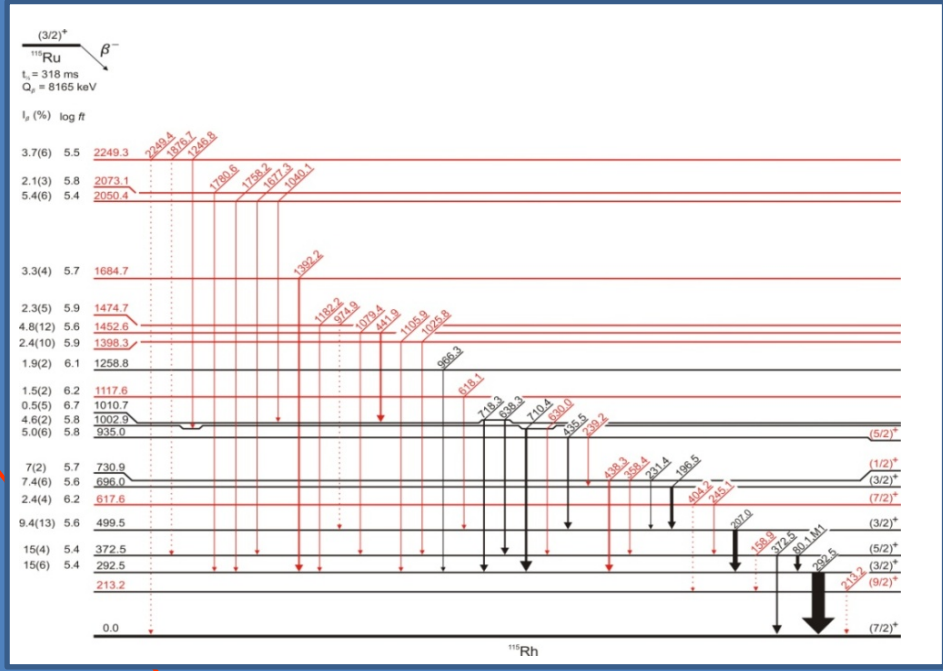
IGISOL+JYFLTRAP



2007

Trap-assisted test experiment  
First simple beta-decay scheme

J. Kurpeta et al., EPJ A 31, 263 (2007)



2010

Trap-assisted half-life measurement  
 $t_{1/2}(\text{g.s.}) = 318(19)$  ms  
 $t_{1/2}(\text{i.s.}) = 76(6)$  ms

J. Kurpeta et al., PRC 82, 064318 (2010)

2011

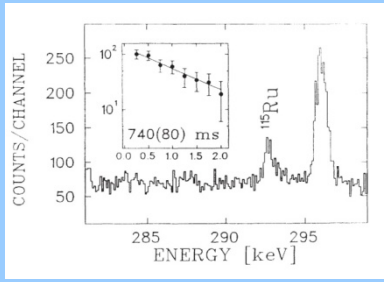
Trap-assisted beta-decay experiment  
Extended beta-decay scheme

J. Rissanen et al., EPJ A 47, 97 (2011)



# Impact of the trap: $^{115}\text{Ru}$

IGISOL only

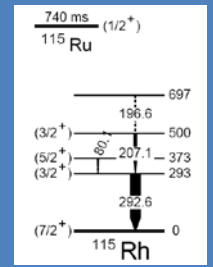
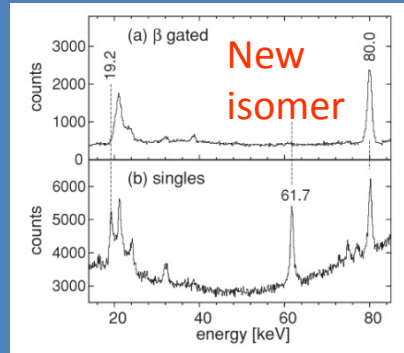


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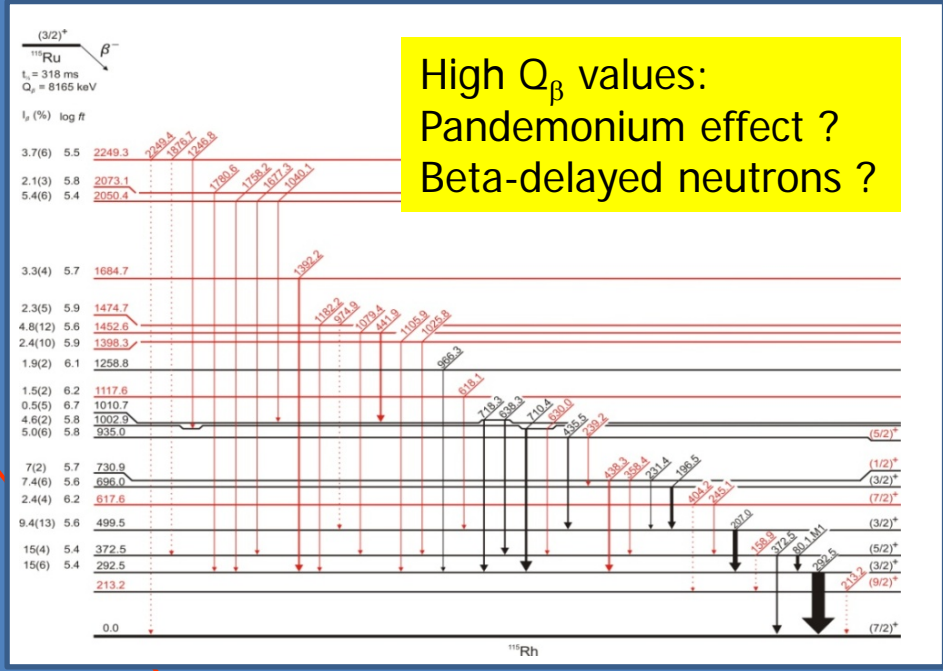
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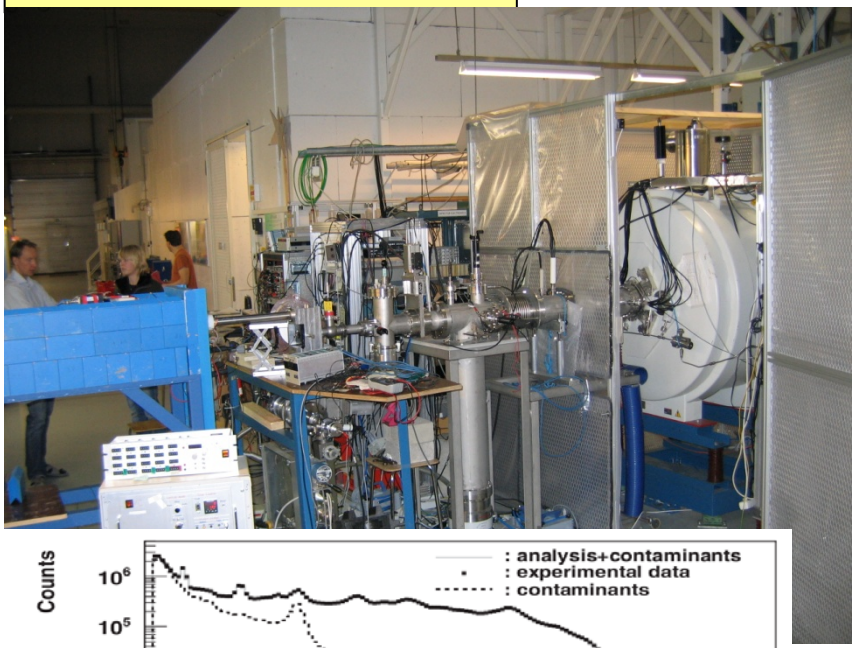
J. Rissanen et al., EPJ A 47, 97 (2011)



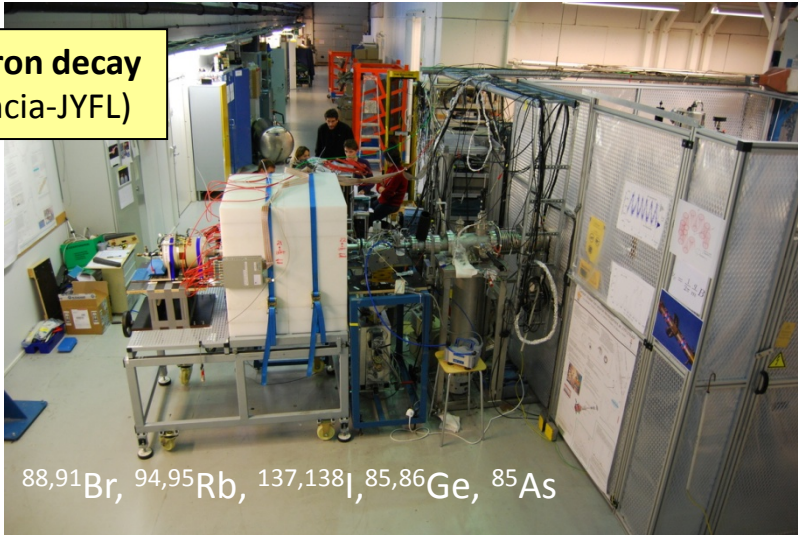


# Pure samples for unselective instruments

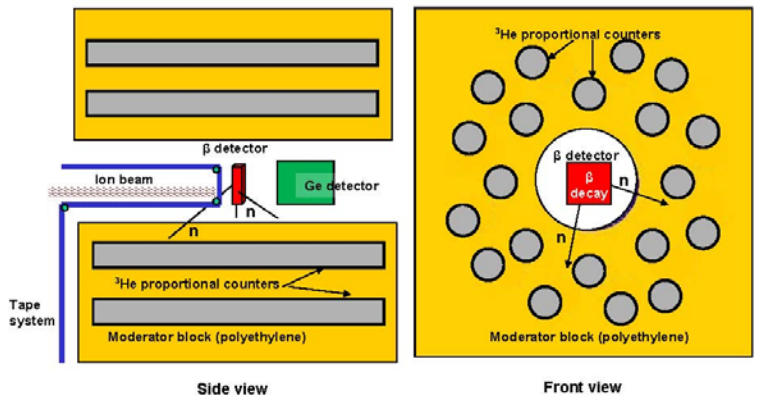
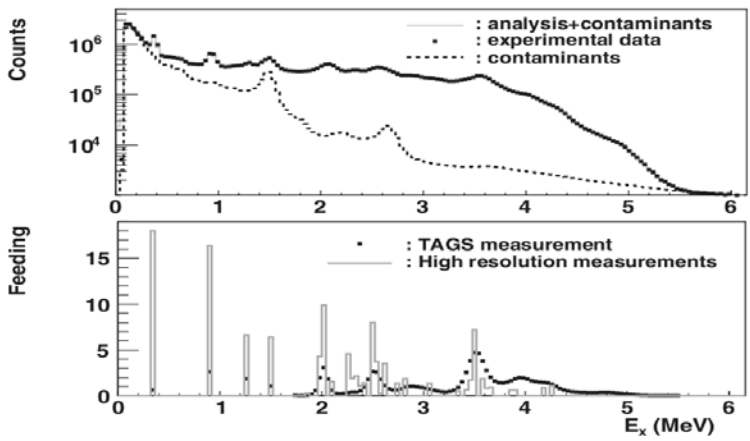
**Total absorption spectroscopy**  
"Reactor decay heat studies"  
PRL 105 (2010) 202501



**Beta-delayed neutron decay**  
Nuclear data (Valencia-JYFL)



$^{88,91}\text{Br}$ ,  $^{94,95}\text{Rb}$ ,  $^{137,138}\text{I}$ ,  $^{85,86}\text{Ge}$ ,  $^{85}\text{As}$



Collaboration:  
CIEMAT (Madrid) – IFIC (Valencia) – Inst. Nucl. Res. (Debrecen) – LPC (Caen) – PNPI (St. Petersburg) – Univ. Jyväskylä (Jyvaskyla) – UPC (Barcelona) – Univ. Surrey (Surrey)

# Q values from mass doublets

Parent and daughter produced simultaneously at IGISOL:

- cyclotron frequency of the parent:  $\nu_{c,p}$
- cyclotron frequency of the daughter:  $\nu_{c,d}$

$$Q_{EC} = \left( \frac{\nu_{c,d}}{\nu_{c,p}} - 1 \right) (m_d - m_e) c^2$$

$< 10^{-3}$

modest precision required

$$\begin{aligned} \Delta Q_{EC} &= \sqrt{(\Delta r)^2 (m_{\text{daughter}} - m_e)^2 + (\Delta m_{\text{daughter}})^2 (r - 1)^2} \\ &\approx \Delta r \times (m_{\text{daughter}} - m_e). \end{aligned}$$

## In addition:

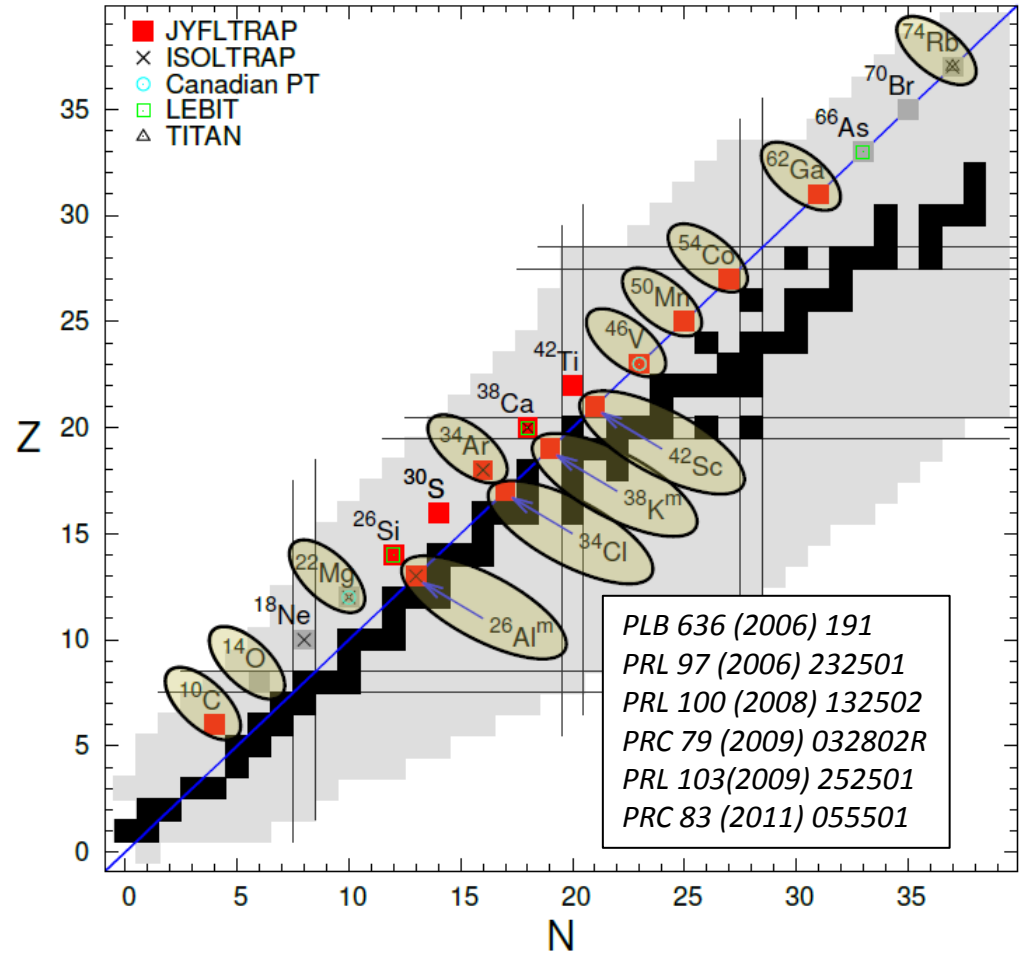
Mass dependent corrections cancel out  
(no external references required)

$$\text{JYFLTRAP: } \sigma_m(r)/r = 7.5(4) \times 10^{-10} \times \frac{\Delta m[\text{u}]}{u}$$



# Superaligned $Q_{EC}$ values

$$\mathcal{F}t = f \frac{T_{1/2}}{B} (1 + \delta'_R) (1 + \delta_{NS} - \delta_C) = \frac{K}{2G_V^2(1 + \Delta_V^R)}$$



2005:

- $^{62}\text{Ga}$

2006:

- $^{46}\text{V}$ ,  $^{42}\text{Sc}$ ,  $^{26}\text{Al}^m$
- $^{26}\text{Si}$ ,  $^{42}\text{Ti}$

2006-2007:

- $^{50}\text{Mn}$ ,  $^{54}\text{Co}$

2009:

- $^{38}\text{K}^m$ ,  $^{34}\text{Cl}$
- $^{30}\text{S}$

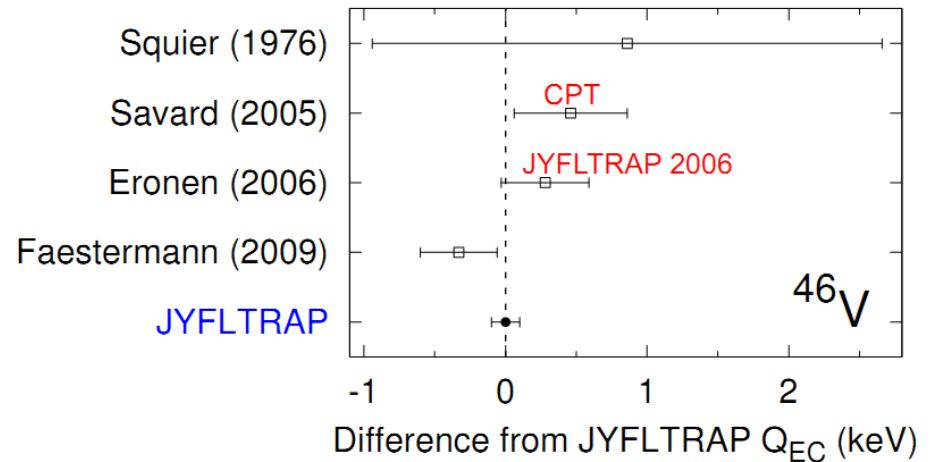
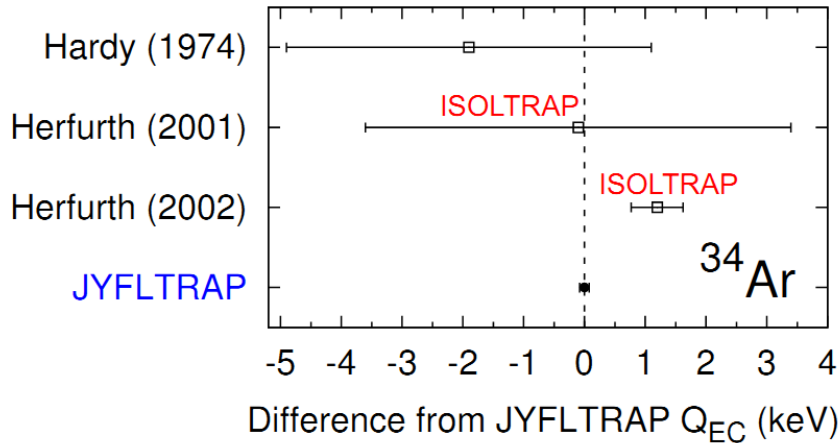
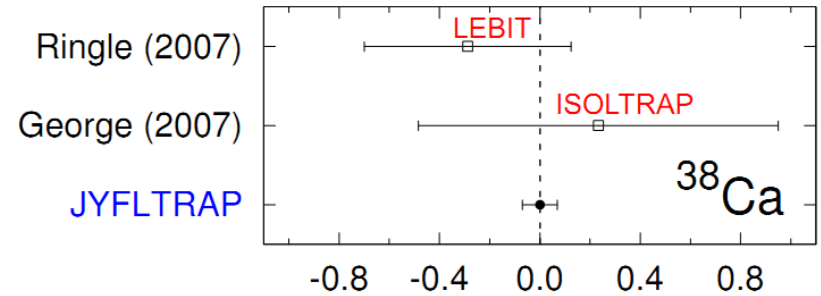
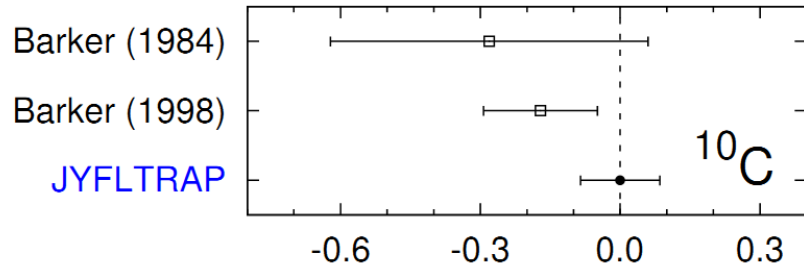
2010:

- $^{10}\text{C}$ ,  $^{34}\text{Ar}$ ,  $^{38}\text{Ca}$

$^{34}\text{Ar}$ ,  $^{38}\text{K}^m$  by using interleaved parent and daughter measurement !

# Most recent $Q_{EC}$ from JYFLTRAP

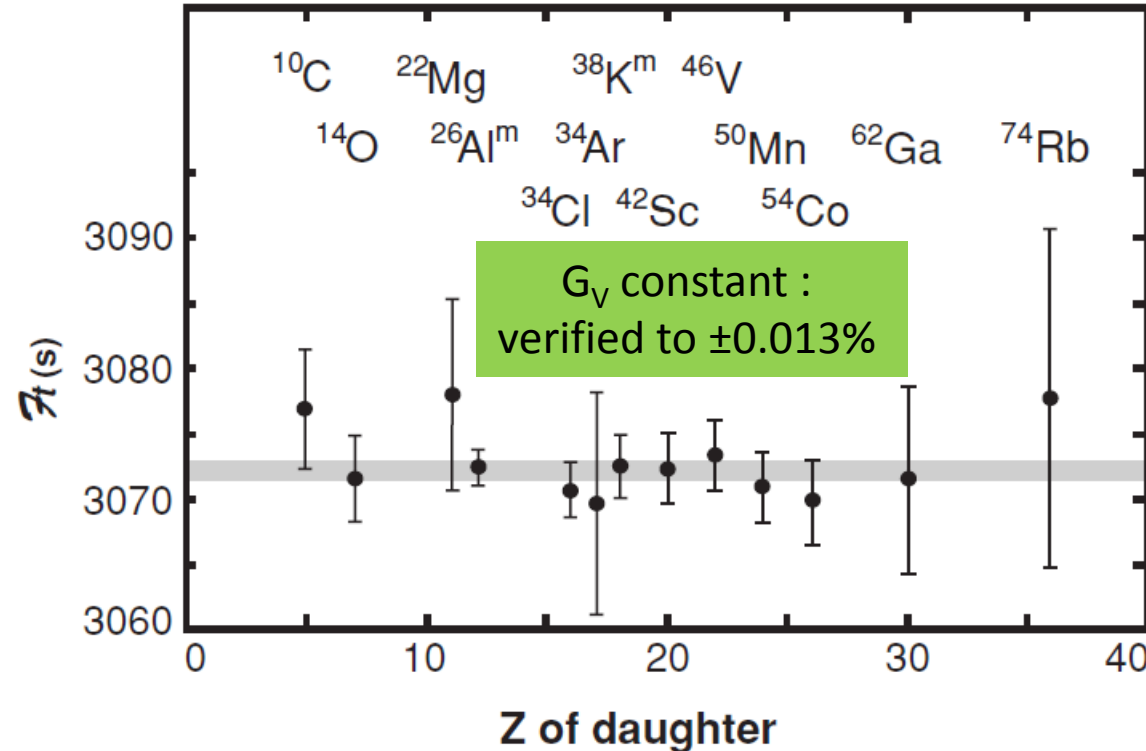
$^{10}\text{C}$ ,  $^{34}\text{Ar}$ ,  $^{38}\text{Ca}$ , (revisited  $^{46}\text{V}$ )



# CVC hypothesis and the CKM unitarity

$$\overline{\mathcal{F}t} = 3071.81 \pm 0.79_{\text{stat}} \pm 0.27_{\text{syst}} \text{ s}$$

$$V_{ud}^2 = \frac{K}{2G_F^2 (1 + \Delta_R^V) \overline{\mathcal{F}t}}$$



Cabibbo-Kobayashi-Maskawa  
quark mixing matrix:

$$V_{ud} = 0.97425(22)$$

Unitarity of the CKM matrix:

$$|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 0.99995(61)$$

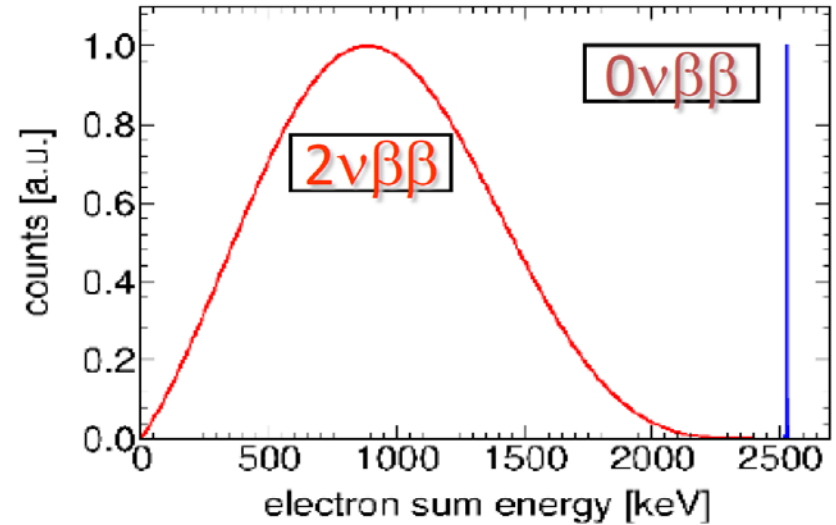
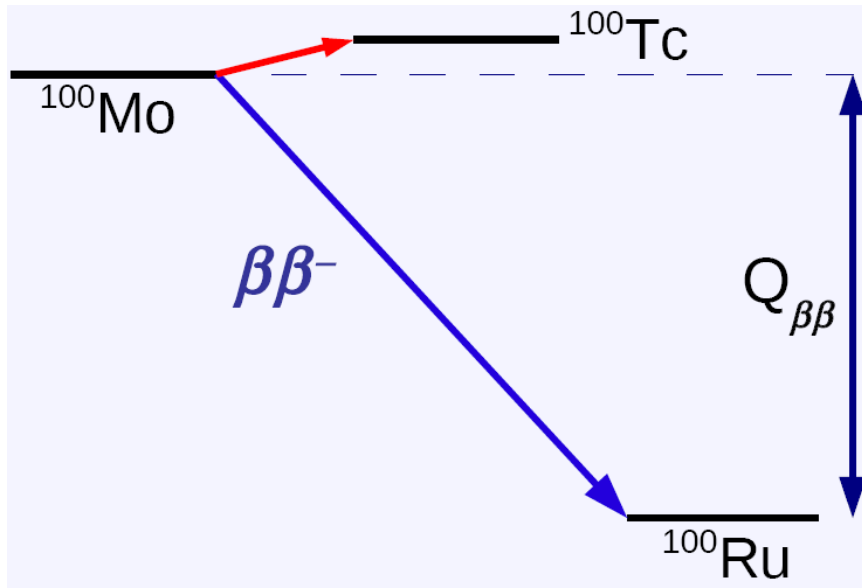
*J.C. Hardy and I.S. Towner,  
PRC 79 (2009) 055502*



**Few cases to be improved/checked**  
**Higher Z and larger theoretical corrections**  
**Mirror transitions**

$$|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 1.00008(56), \text{ J. Hardy and I. Towner, Ann. Phys. (Berlin) 525, No. 7, (2013) 443}$$

# Neutrinoless double beta-decay



$$2\nu\beta\beta : (A,Z) \rightarrow (A,Z+2) + 2e^- + 2\nu_e$$

$2\nu\beta\beta$  allowed in Standard Model  
Observed with  $t_{1/2} \sim 10^{(19-24)}$  years

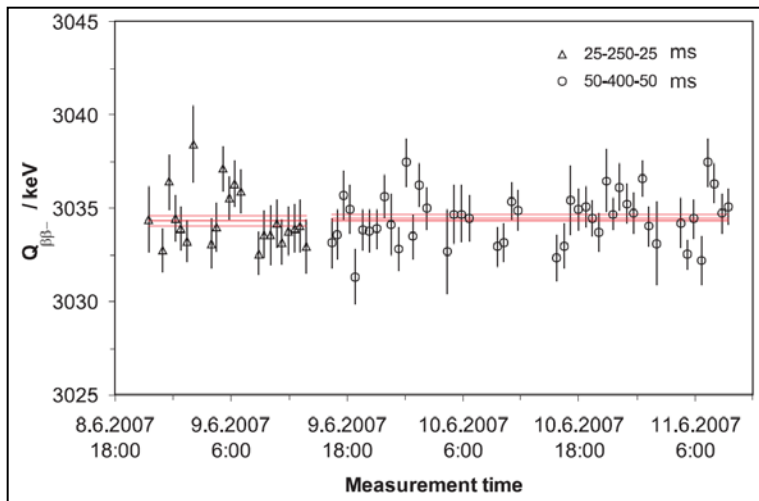
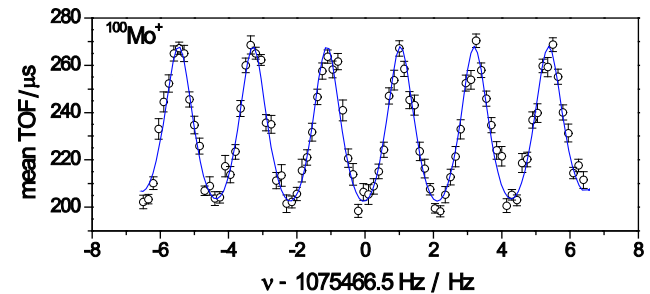
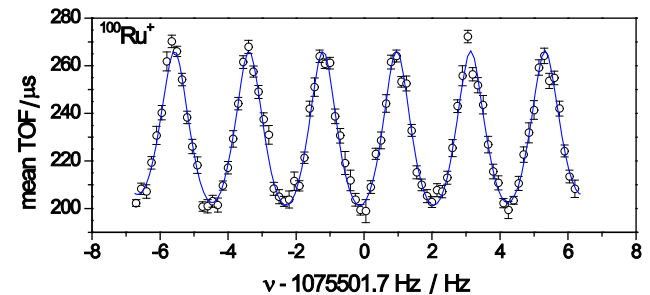
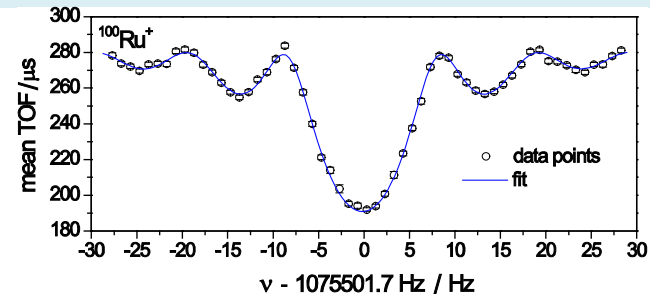
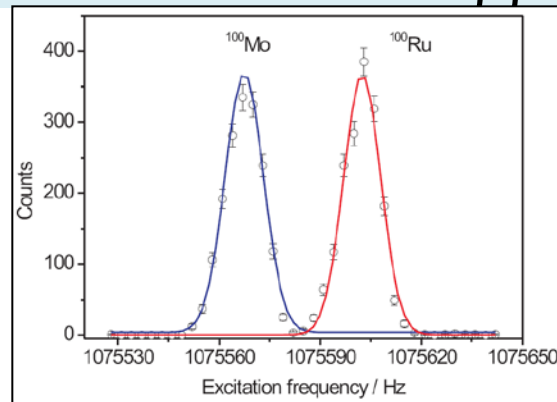
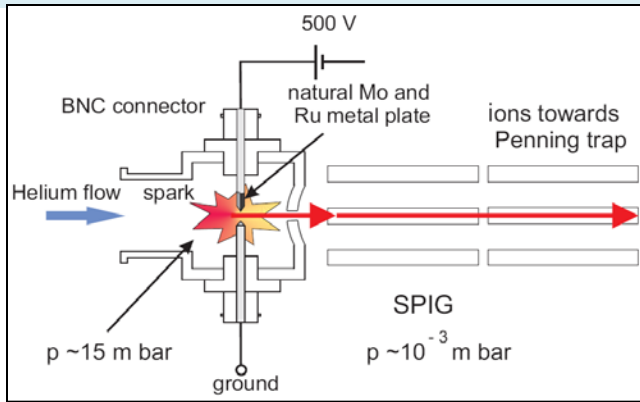
$$\left[ T_{1/2}^{2\nu} \right]^{-1} = G^{2\nu} \left| M^{2\nu} \right|^2$$

$$0\nu\beta\beta : (A,Z) \rightarrow (A,Z+2) + 2e^-$$

Not allowed in Standard Model  
Expected with  $t_{1/2} \sim 10^{(25-30)}$  years

$$\left[ T_{1/2}^{0\nu} \right]^{-1} = G^{0\nu} \left| M^{0\nu} \right|^2 \langle m_\nu \rangle^2$$

# Measurement of $Q_{\beta\beta}$ of $^{100}\text{Mo}$



Mother	Daughter	$Q_{\beta\beta}$ [keV] (a)	$Q_{\beta\beta}$ [keV] Lit.
$^{76}\text{Ge}$	$^{76}\text{Se}$	<b>2039.04(16)</b>	2039.006(50) (b)
$^{100}\text{Mo}$	$^{100}\text{Ru}$	<b>3034.40(17)</b>	3035(6) (c)

- (a) S. Rahaman *et al.*,  
PLB 662 (2008) 111
- (b) M. Suhonen *et al.*,  
J. of Instrum. 2 (2007) 06003
- (c) AME2003  
G. Audi *et al.*, NPA (2003)

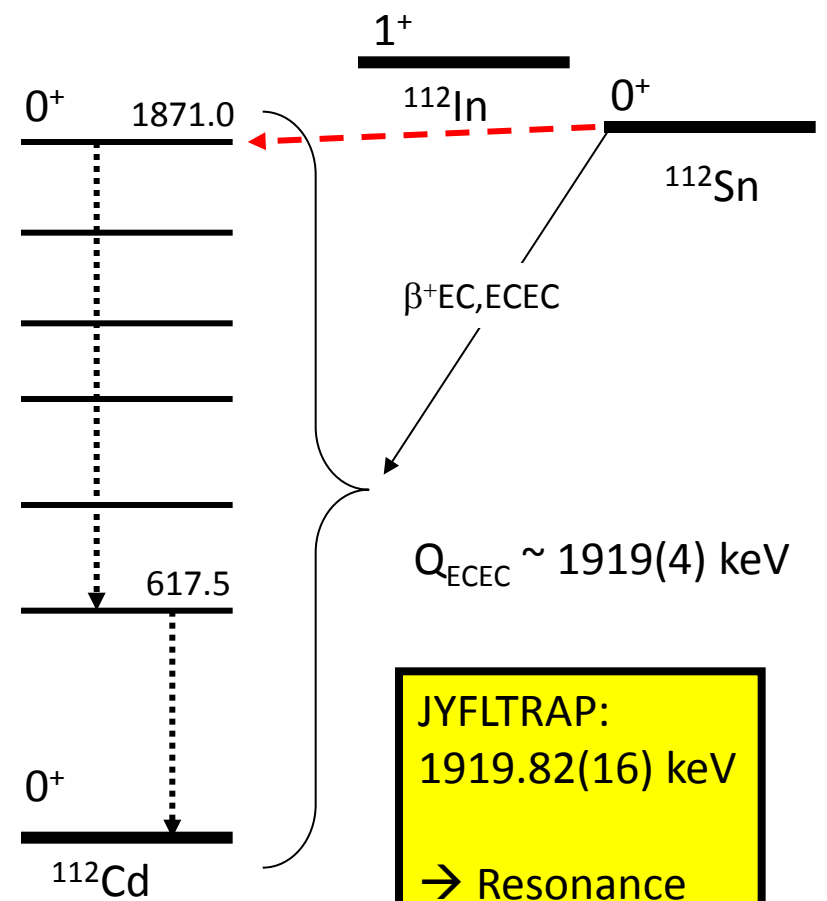
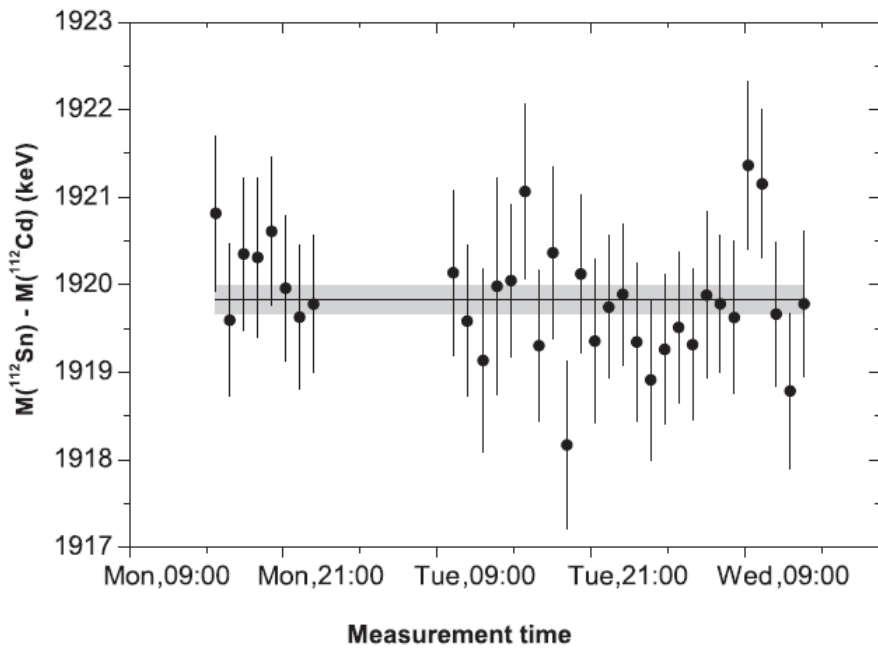
# Decay of $^{112}\text{Sn}$ and search for ECEC- $0\nu$ decay

Possible decay modes:

- $e^- + (A, Z) \rightarrow (A, Z-2) + e^+ + X \quad (\beta^+ EC; 0\nu)$
- $e^- + (A, Z) \rightarrow (A, Z-2) + e^+ + 2\nu + X \quad (\beta^+ EC; 2\nu)$
- $2e^- + (A, Z) \rightarrow (A, Z-2) + e^+ + 2X \quad (ECEC; 0\nu)$
- $2e^- + (A, Z) \rightarrow (A, Z-2) + e^+ + 2\nu + 2X \quad (ECEC; 2\nu)$

Resonance cond.  
for **ECEC- $0\nu$**

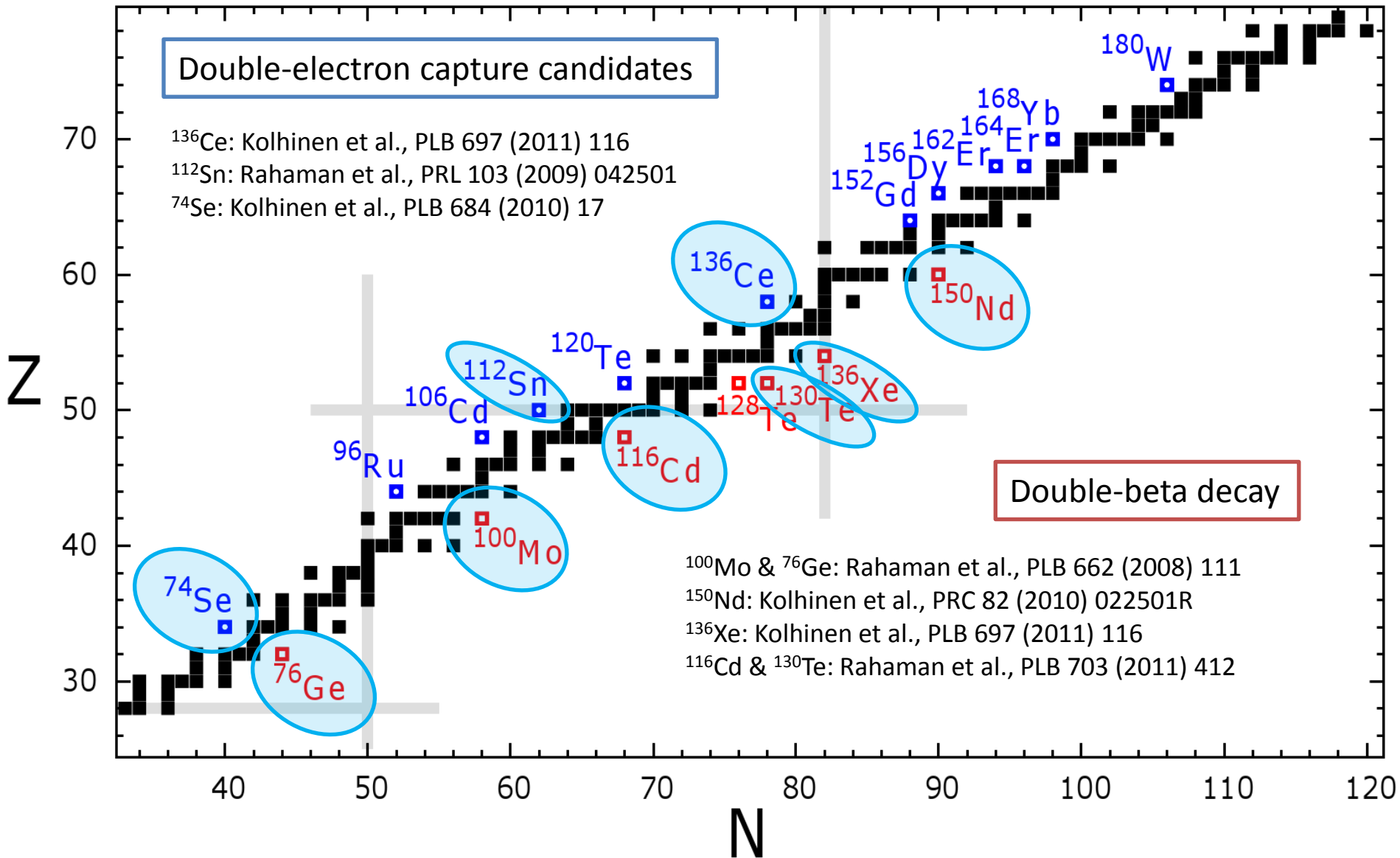
$$\frac{1}{T_{1/2}} = \frac{(\Delta m)^2}{(Q - E)^2 + 1/4\Gamma^2} \Gamma$$



JYFLTRAP:  
1919.82(16) keV  
  
→ Resonance  
not favoured !!

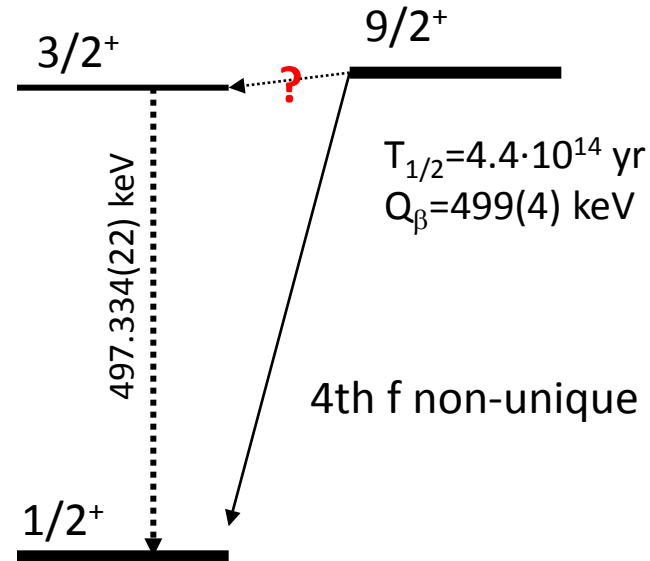


# JYFLTRAP harvest...



# Rare $\beta^-$ decay of $^{115}\text{In}(9/2^+) \rightarrow ^{115}\text{Sn}(3/2^+)$

2nd f unique



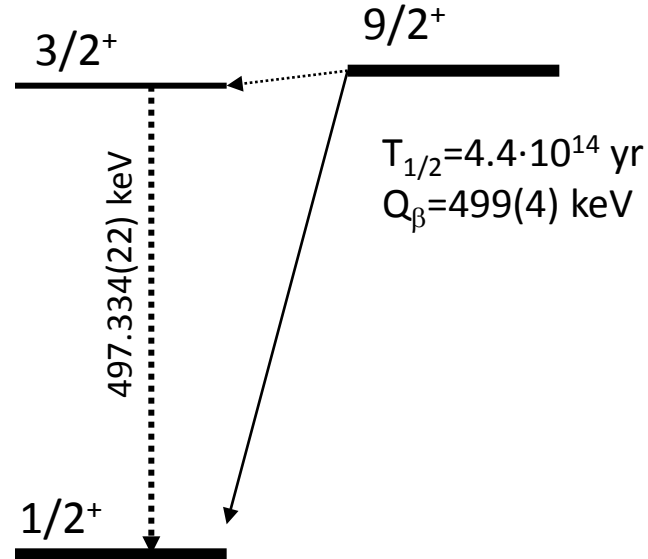
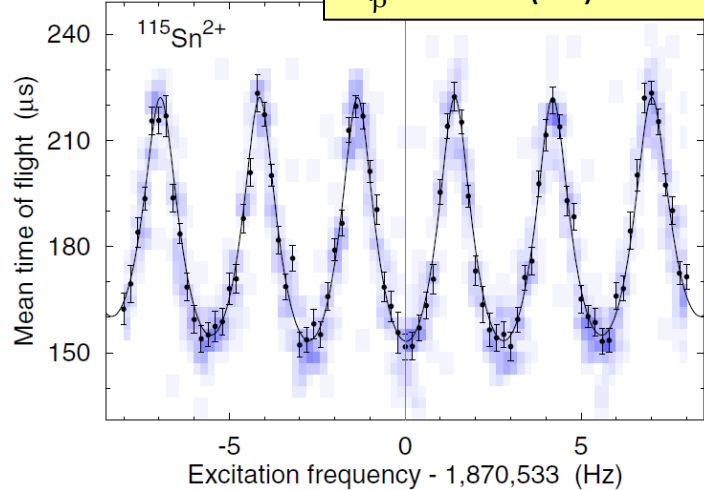
LENS neutrino project, bremsstrahlung spectrum of  $^{115}\text{In}$  in Gran Sasso  
C. Cattadori et al., Nucl. Phys. A748, 333 (2005)

# Rare $\beta^-$ decay of $^{115}\text{In}(9/2^+) \rightarrow ^{115}\text{Sn}(3/2^+)$

“Smallest Known Q Value of Any Nuclear Decay”

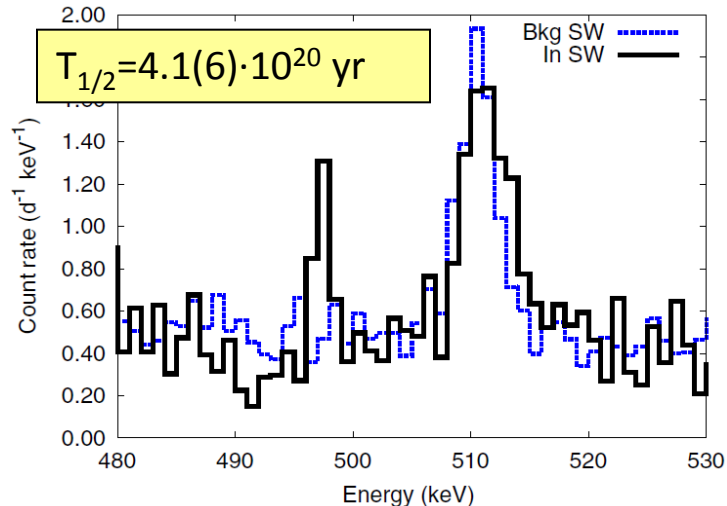
E. Wieslander et al., PRL 103 (2009) 122501

$$Q_\beta = 497.68(17) \text{ keV}$$



Transition to the  
1st excited state  
 **$Q = 350(170) \text{ eV}$**

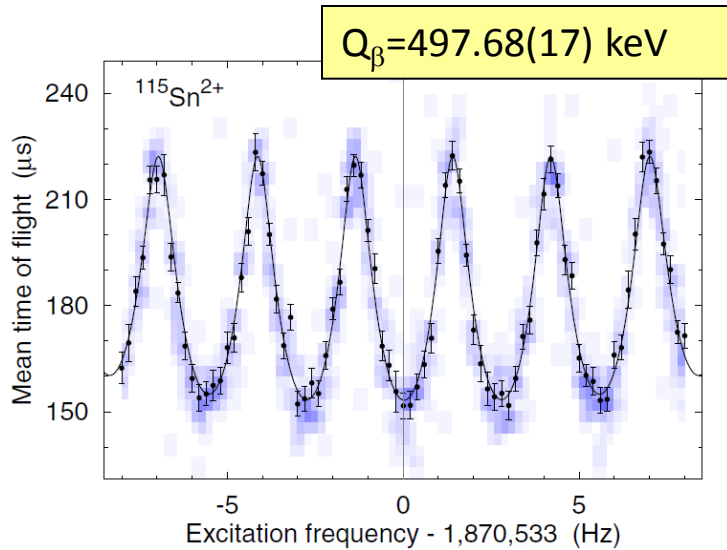
Low background gamma-measurement  
EU-JRC-IRMM, Geel, Belgium



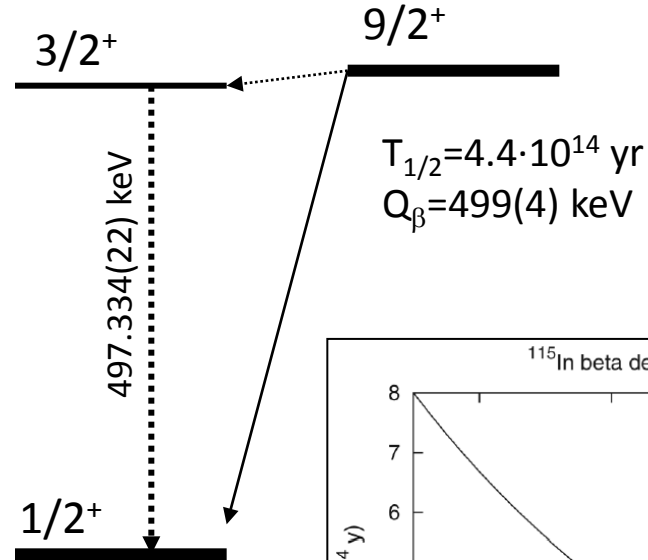
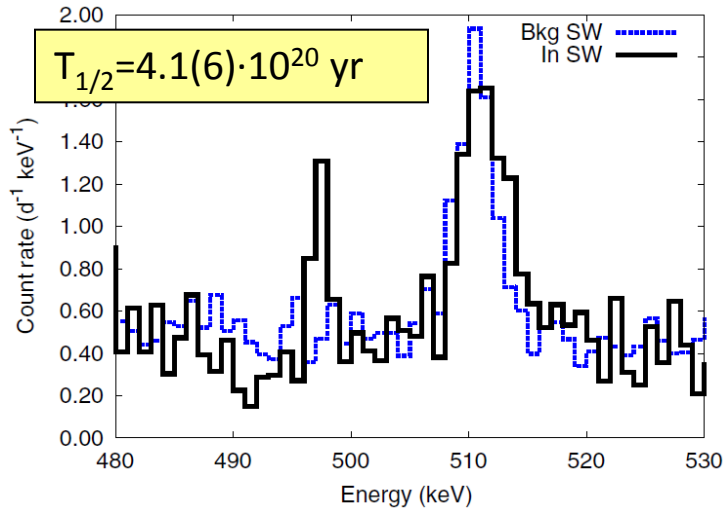
# Rare $\beta^-$ decay of $^{115}\text{In}(9/2^+) \rightarrow ^{115}\text{Sn}(3/2^+)$

“Smallest Known Q Value of Any Nuclear Decay”

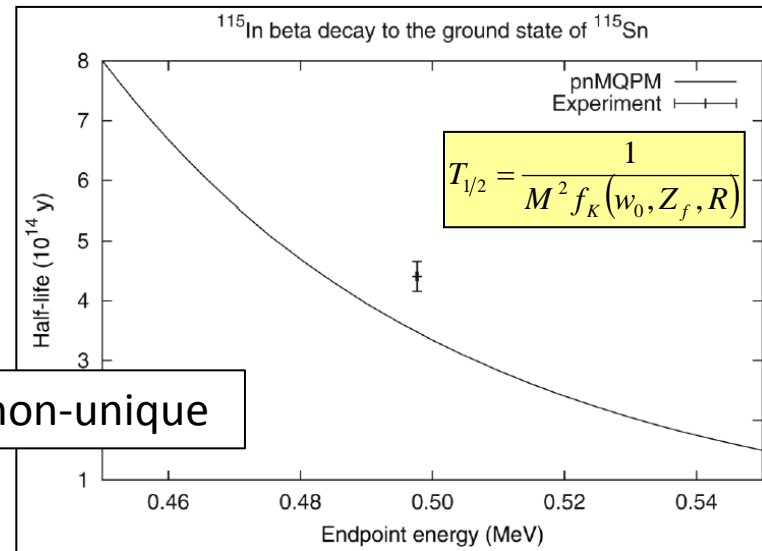
E. Wieslander et al., PRL 103 (2009) 122501



Low background gamma-measurement  
EU-JRC-IRMM, Geel, Belgium



Transition to the  
1st excited state  
**350(170) eV**



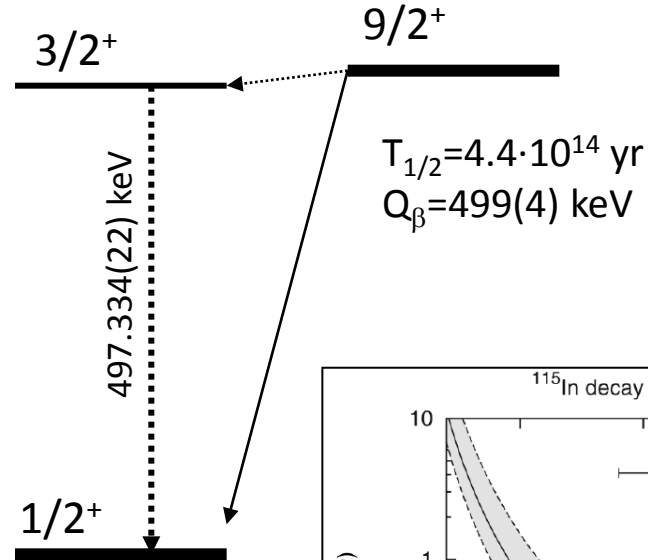
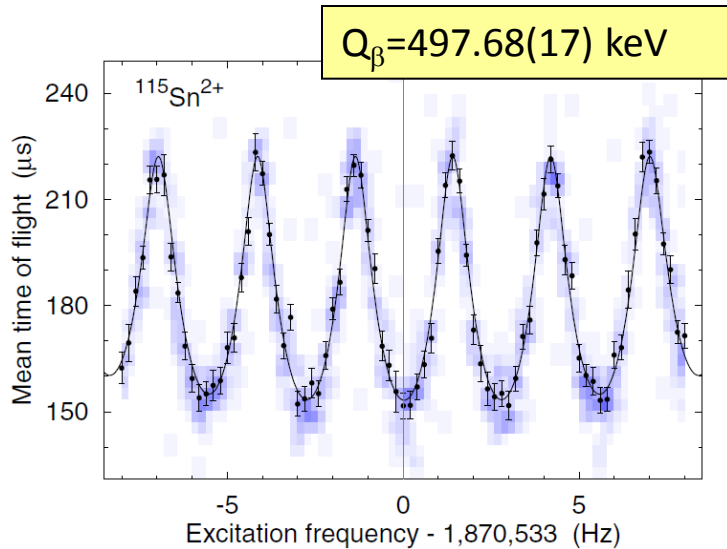
$M$  from proton-neutron microscopic  
quasiparticle-phonon model

M.T. Mustonen and J. Suhonen, PLB 657 (2007) 38

# Rare $\beta^-$ decay of $^{115}\text{In}(9/2^+) \rightarrow ^{115}\text{Sn}(3/2^+)$

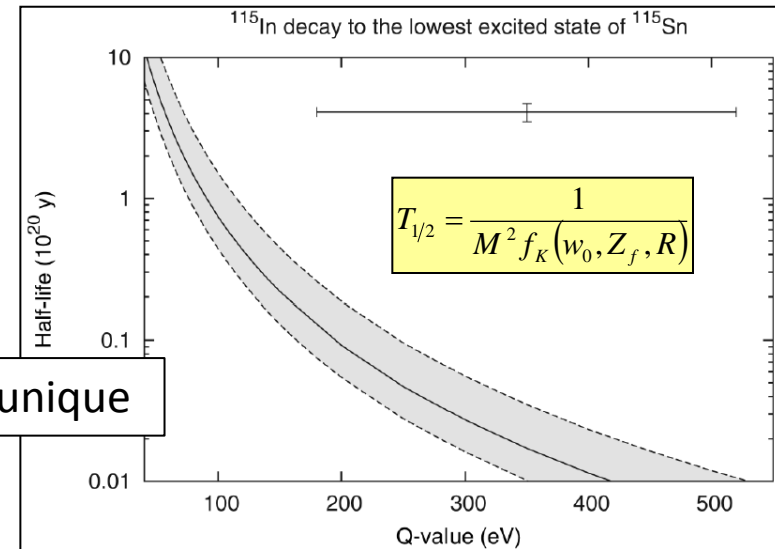
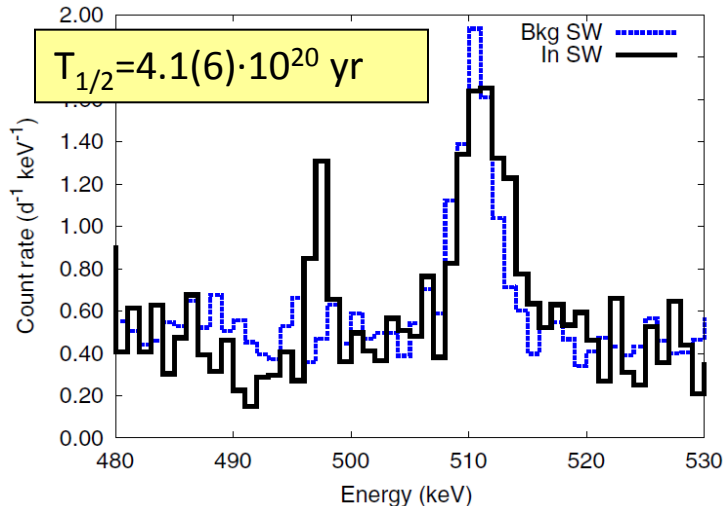
“Smallest Known Q Value of Any Nuclear Decay”

E. Wieslander et al., PRL 103 (2009) 122501



Transition to the 1st excited state  
**350(170) eV**

Low background gamma-measurement  
EU-JRC-IRMM, Geel, Belgium



$M$  from proton-neutron microscopic quasiparticle-phonon model

M.T. Mustonen and J. Suhonen, PLB 657 (2007) 38

# Summary



UNIVERSITY OF JYVÄSKYLÄ

## Mass measurements have contributed to:

- Better understanding of the structure and binding of exotic nuclei (Compare AME2003-AME2012)
- Nuclear structure studies: shell evolution, shape changes, new regions of deformation, pairing, single-particle energies
- Nuclear astrophysics
- CVC hypothesis and the unitarity of CKM
- Rare decays (Xth-forbidden beta decays,  $\beta\beta$ , ECEC,)
- Applications, etc

## Trap-assisted spectroscopy

- Isobaric and isomeric purification
- In-trap spectroscopy
- Optical manipulation in the trap

## Outlook

- Complementary information and competition: Storage rings, MR-TOF, ...
- New techniques: Ramsey and octupole excitations, phase imaging, ...
- Facility upgrades (IGISOL-4, HIE-ISOLDE, LEBIT, CARIBU, MATS@FAIR)





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J. Dobaczewski, J. Suhonen

<https://www.jyu.fi/fysiikka/en/research/accelerator/igisol>  
[http://research.jyu.fi/igisol/JYFLTRAP\\_masses/](http://research.jyu.fi/igisol/JYFLTRAP_masses/)

